



# The Bullet Cluster: A Challenge to

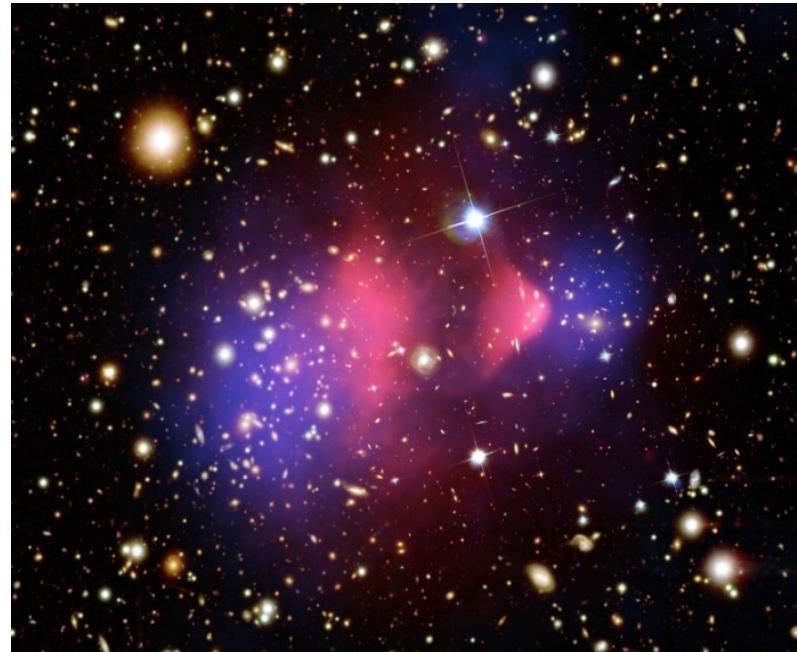
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Nat'l Univ.)

# This Lecture is based on

□ J.L. & Eiichiro Komatsu (UT Austin)  
(ApJ in press, arXiv:1003.0939)

# The Bullet Cluster: IE0657-56

- Discovered as a failed cluster (Tucker et al.1995):
  - a large cloud of hot-gas
  
- First observed by *Chandra* (Markevitch et al.2002):
  - a bullet-like subcluster exiting its main cluster with a bow shock
  - a system of two colli-

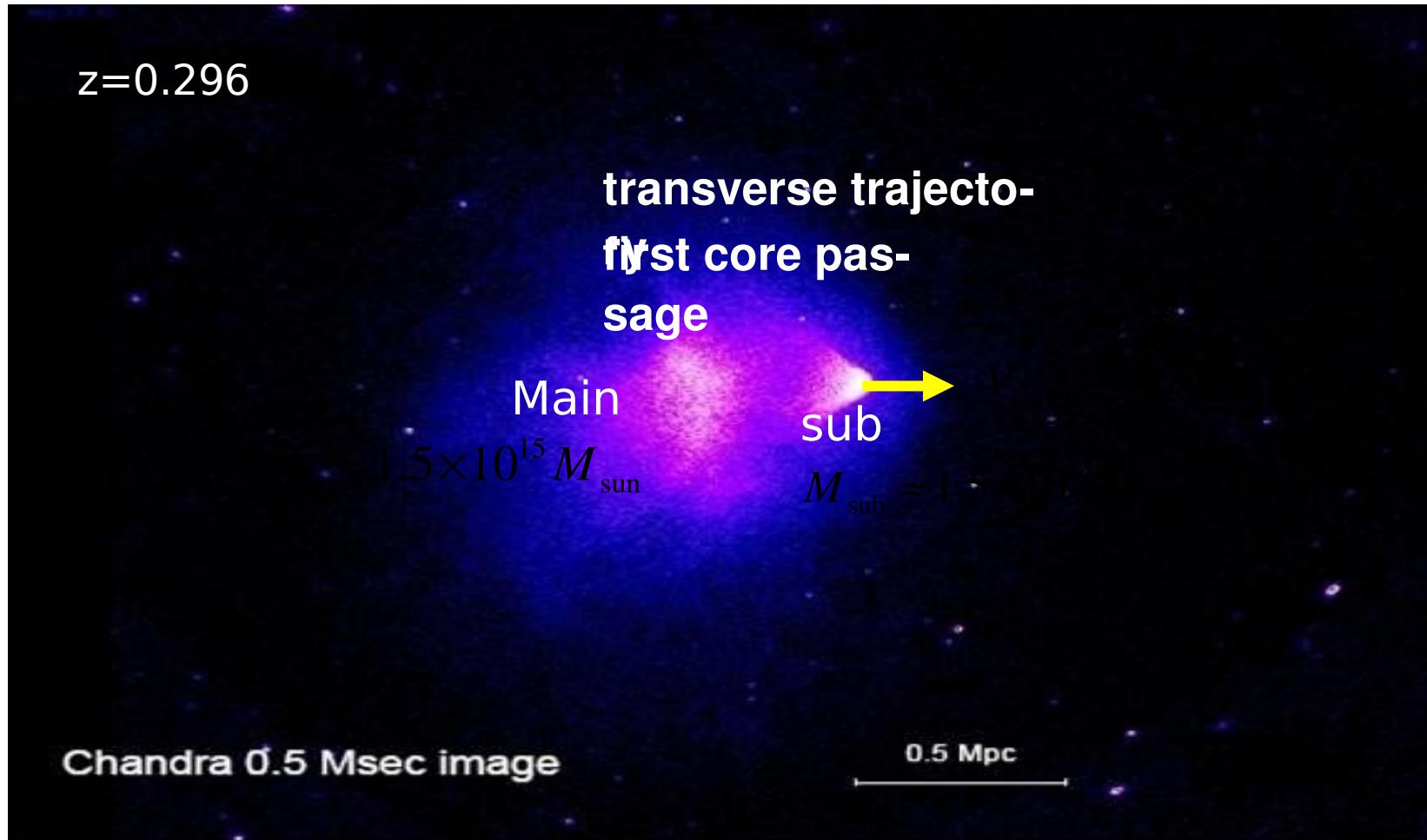


X-ray: Markevitch et al. (2004)

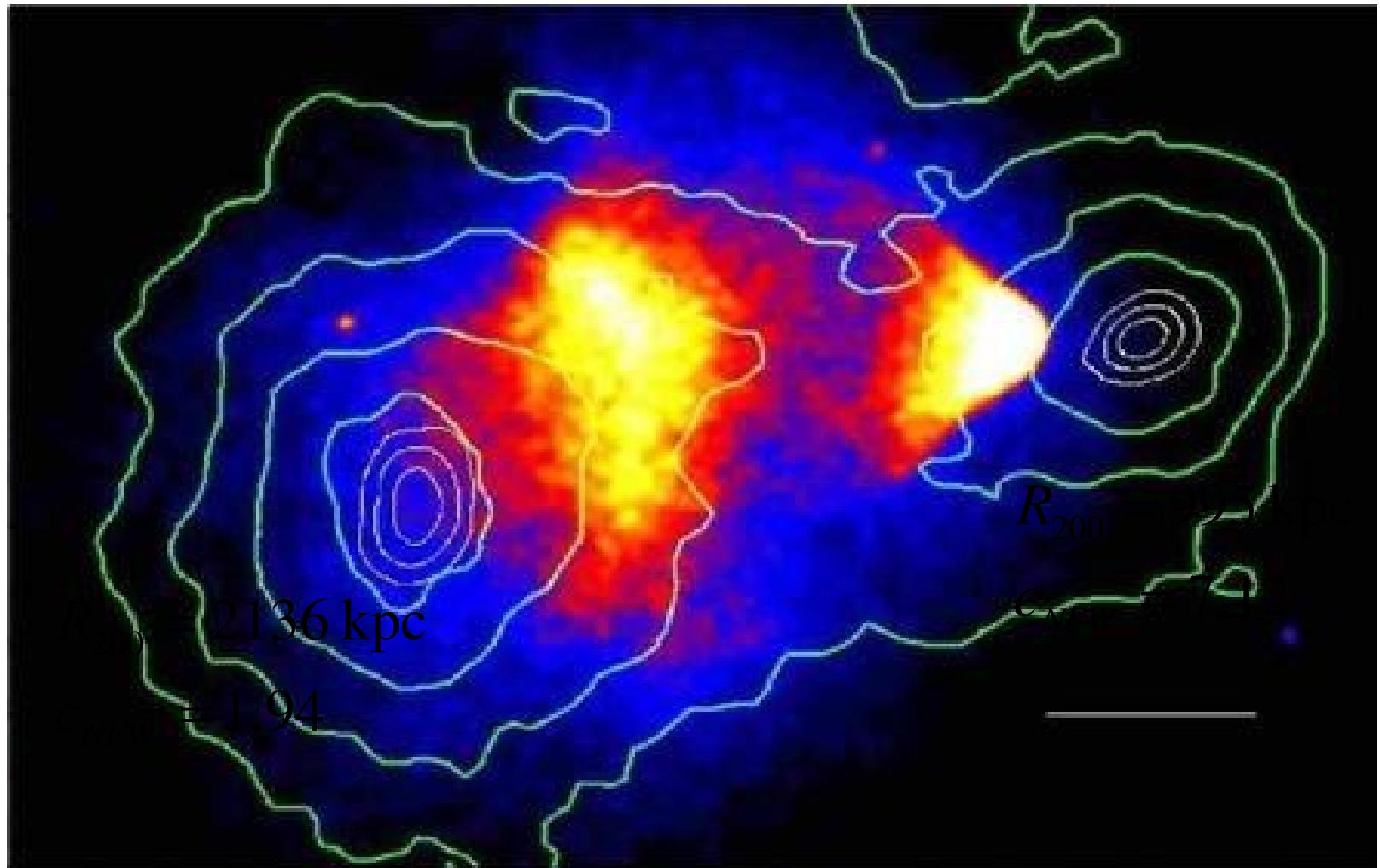
Lensing Map: Clowe et al. (2006)

Optical: Clowe et al. (2006)

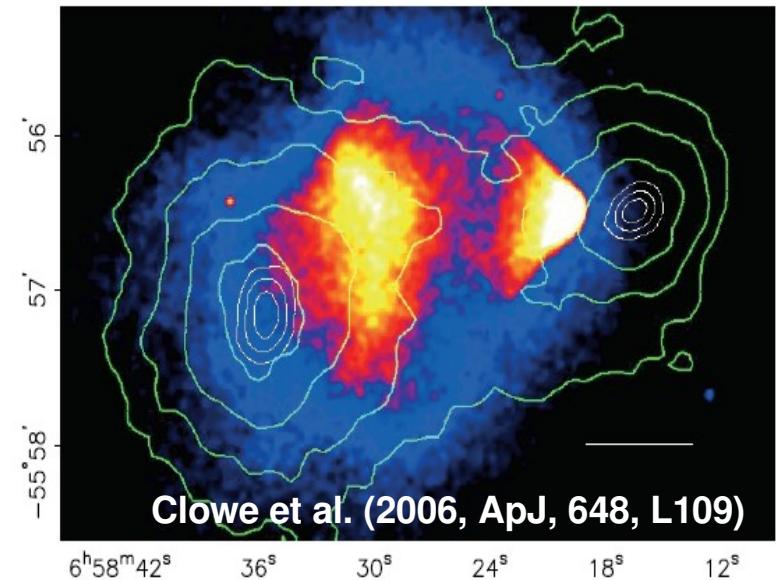
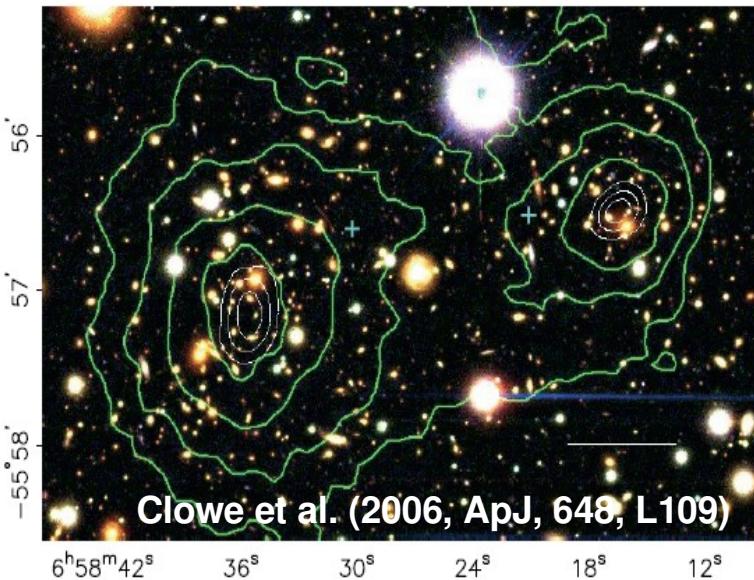
# Morphology of IE0657-56



# Matter Distribution of IE0657-56



# Surprise 1 – Offset of CM



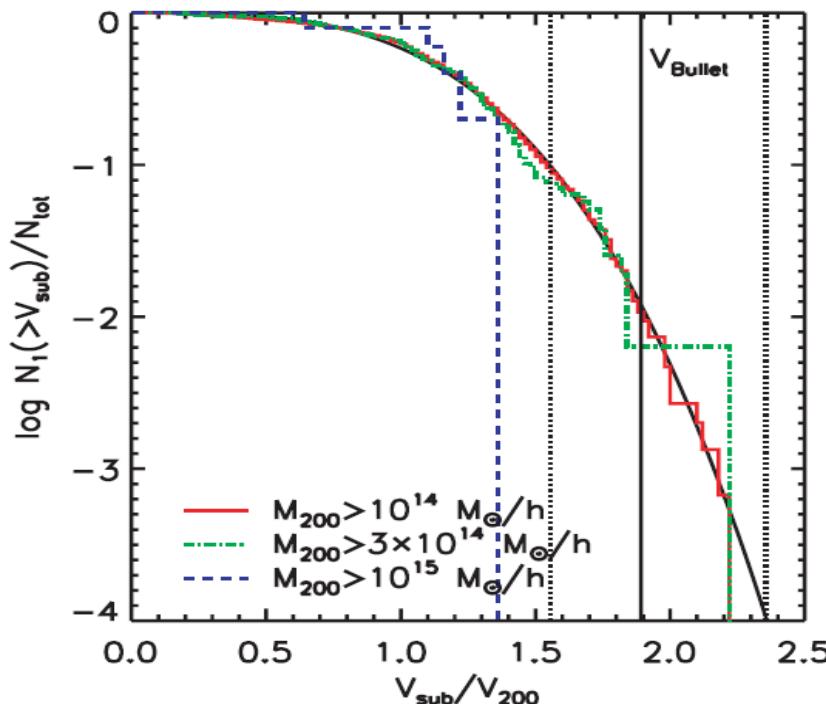
center of mass = center of galaxies

center of mass  $\neq$  center of plasma

**direct proof of the existence of nonbaryonic dark matter**

# Likelihood of Bullet Cluster I

Hayashi & White (2006)



The number fraction of bullet-like subclusters in a LCDM universe.

$$f = \exp\left[-\left(\frac{V_{\text{sub}}/V_c}{1.55}\right)^{3.3}\right] \approx \frac{1}{500}$$

- § large uncertainty due to the small sample size
- using inaccurate old data of the bullet cluster
  - $V_{\text{shock}} = 4500 \text{ km/s}$
  - $V_{\text{main}} = 2380 \text{ km/s}$

# Likelihood of Bullet Cluster II

- Farra & Rosen (2007) reestimated the likelihood of bullets, using the updated data:

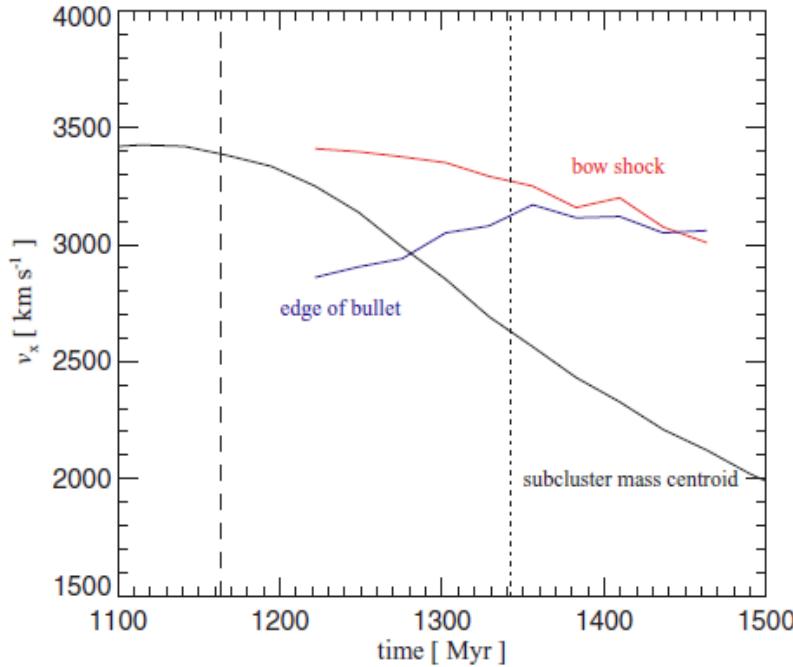
$$\begin{array}{ccc} V_{shock} = 4500 \text{ km/s} & \longrightarrow & V_{shock} = 4740 \text{ km/s} \\ V_{main} = 2380 \text{ km/s} & & V_{main} = 1770 \text{ km/s} \end{array}$$

$$f \approx 10^{-7}$$

- The bullet cluster seems to be quite unusual in LCDM...

# Likelihood of Bullet Cluster III

- Hydrodynamic simulations by Springel & Frenk (2007)



$$V_{\text{shock}} \neq V_{\text{sub}}$$

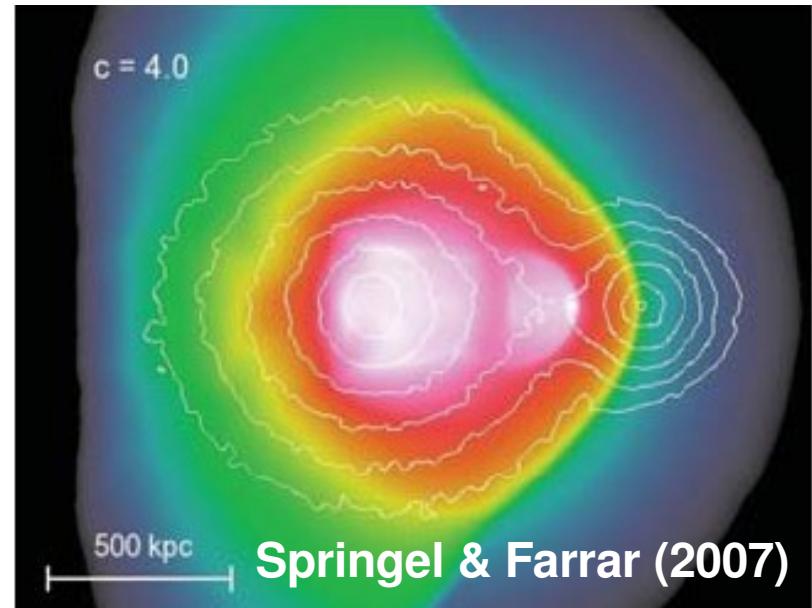
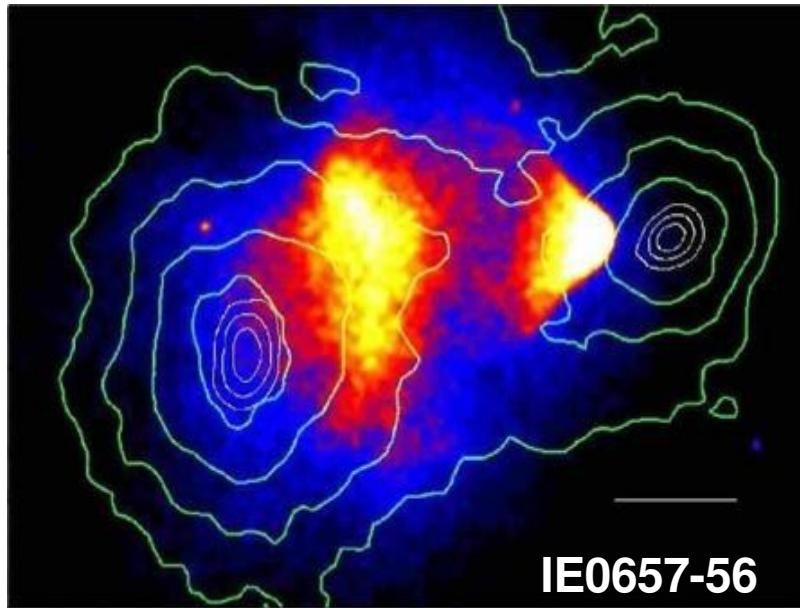
$$V_{\text{shock}} = 4500 \text{ km/s}$$

$$\Rightarrow V_{\text{sub}} = 2700 \text{ km/s}$$

$$\Rightarrow f \approx 0.07$$

The bullet cluster systems are not so rare in LCDM.

# Surprise 2 – Escape of Gas

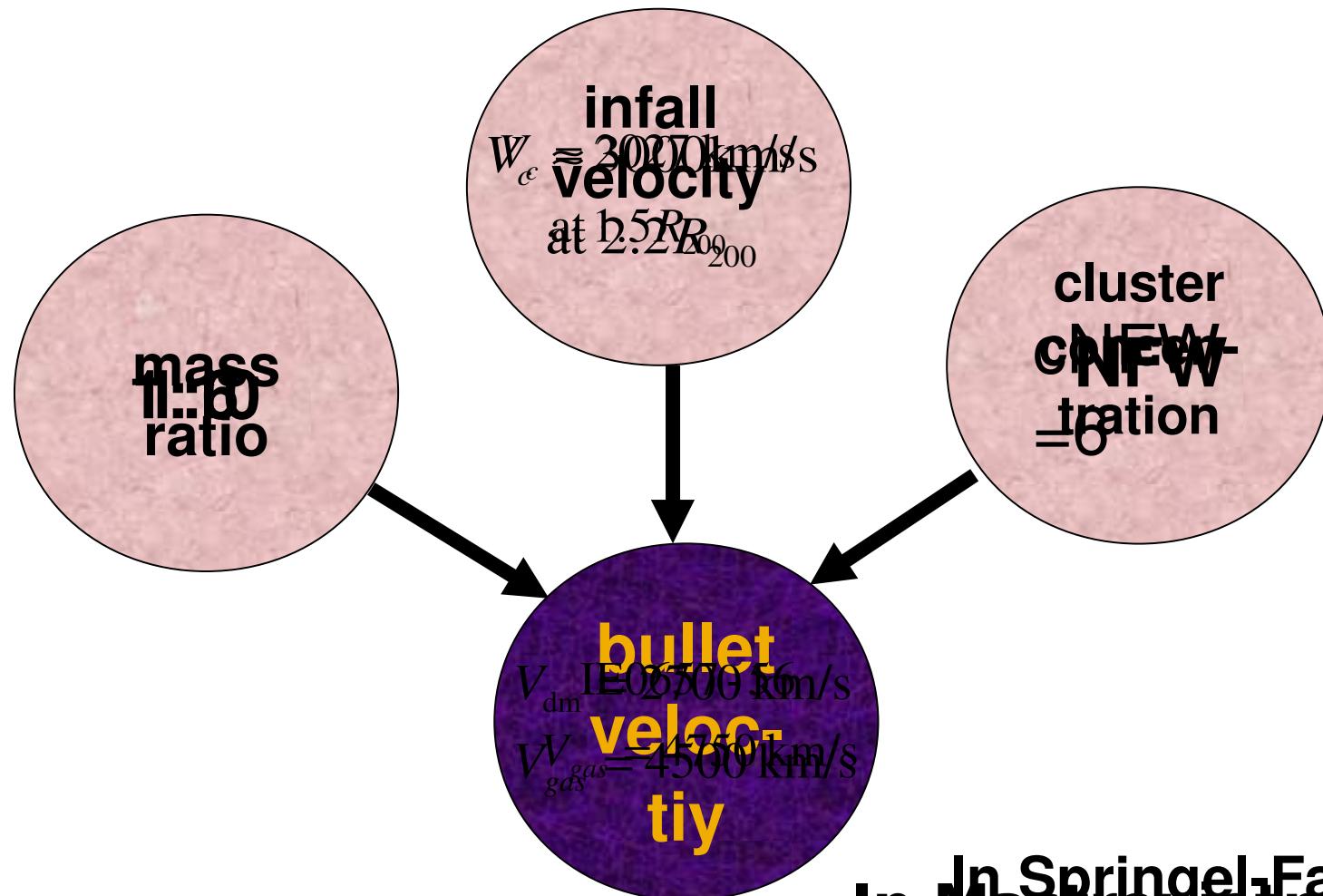


Gas of the main cluster escape the gravitational potential.

Gas of the main cluster could not escape the gravitational potential.

**The velocity of the bullet cluster is not fast enough!**

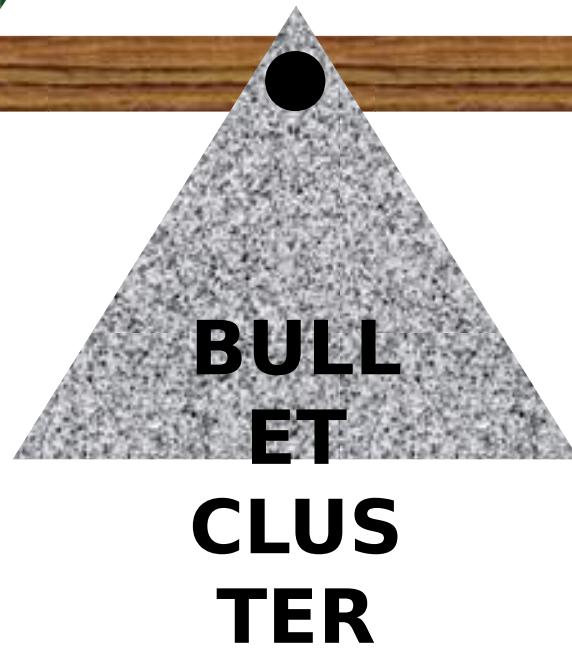
# Conditions for Bullet



In Springel, Farris 07  
In Mastroianni-Burkert 08

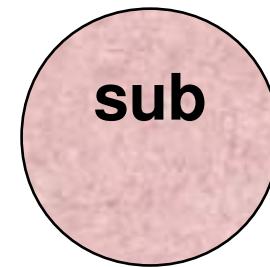
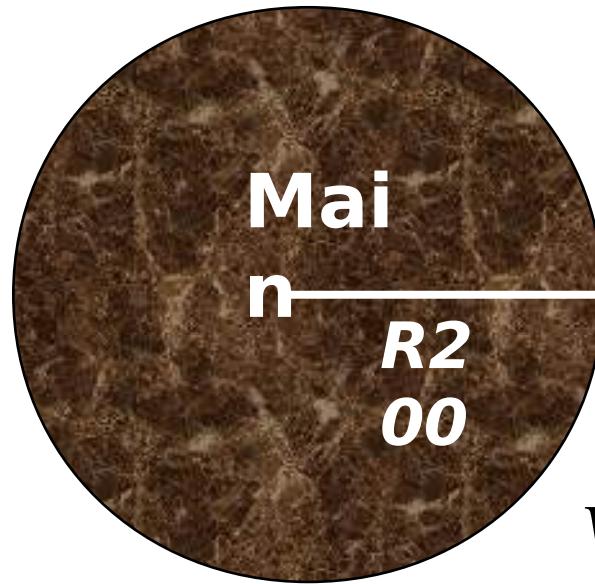
**SUPPORT  
 $\Lambda$ CDM**

**CHALLENGE  
E  
 $\Lambda$ CDM**



**BULL  
ET  
CLUS  
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# A Key to the Puzzle



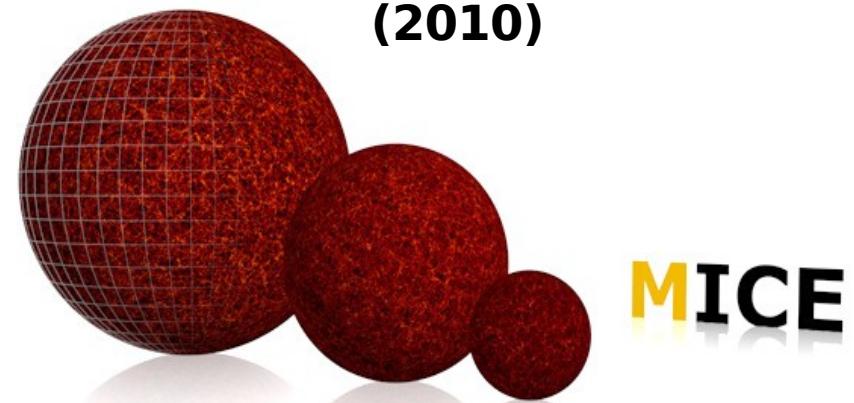
$V_c$  at  $r = R_{200}$

# The Strategy



# MICE Simulation

- A flat LCDM with
  - ∅  $W_m=0.25$ ,  $h=0.7$
  - ∅  $n_s=0.95$ ,  $s_8=0.8$
- **Lbox = 3h-1Gpc: largest ever!**
- # of particles = 2048
- **Mpar=2x10<sup>11</sup> h-1M-sun** <http://segre.ieec.uab.es/fosalba/MICE/>

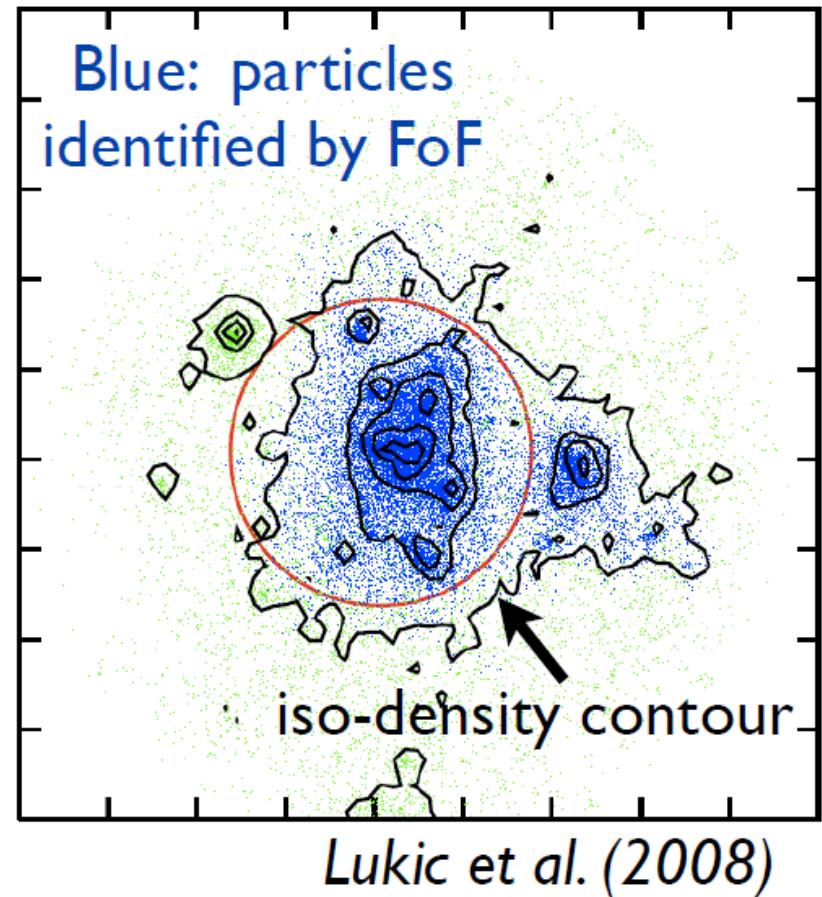


Crocce et al.  
(2010)

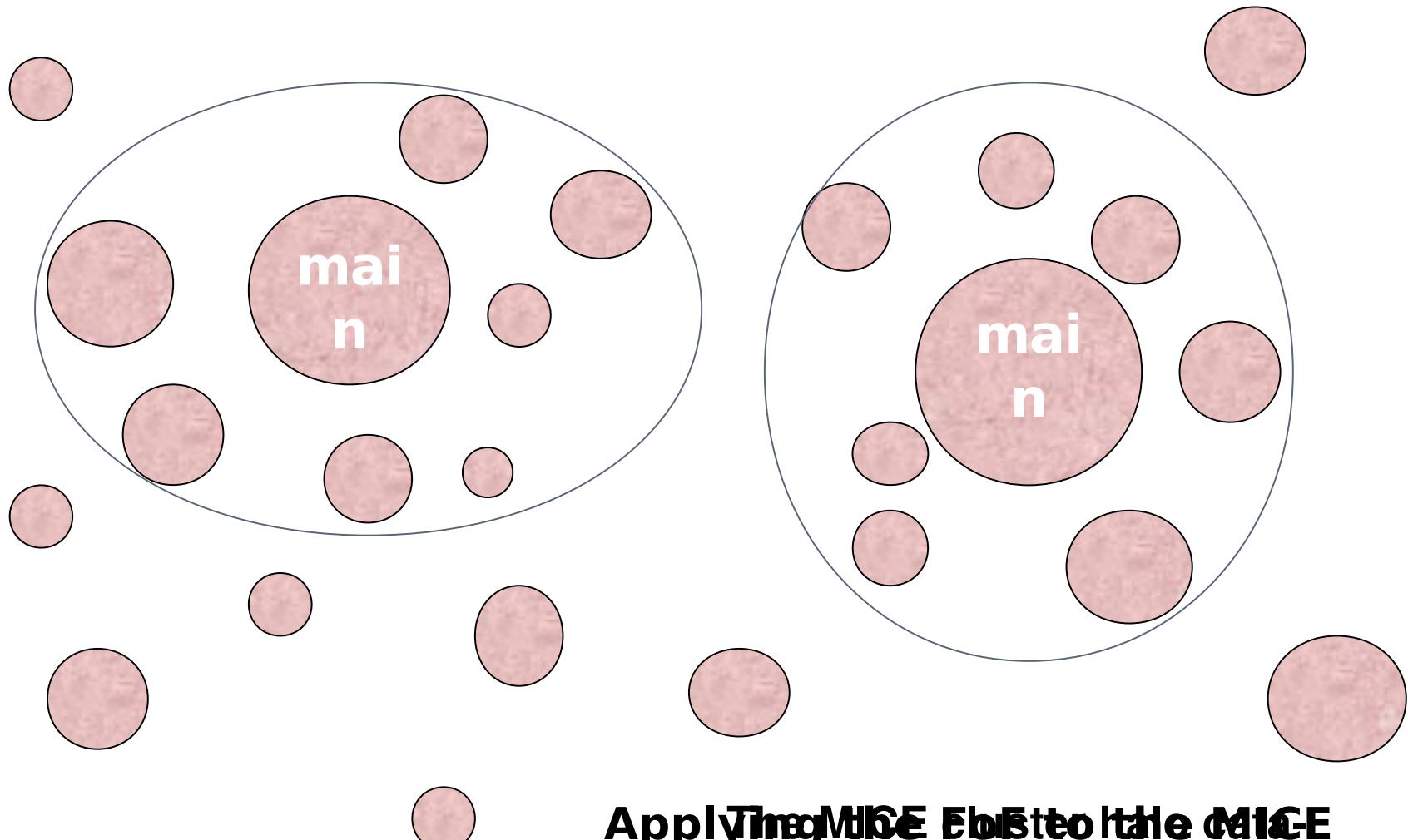
# MICE Catalog of Cluster Halos

- Identified by the friends-of-friends algorithm with a linkage parameter

$z$	the number of clusters
0	2.8 million
0.5	1.7 million



# Clusters of Clusters



Applying the MICE Ebo to the MICE catalog

$z$	the number of clusters	the number of clusters of clusters <sup>a</sup>	the mean mass of main clusters
0	2.8 million	0.29 million	$1.3 \times 10^{14} h^{-1} M_{\odot}$
0.5	1.7 million	0.20 million	$1.1 \times 10^{14} h^{-1} M_{\odot}$

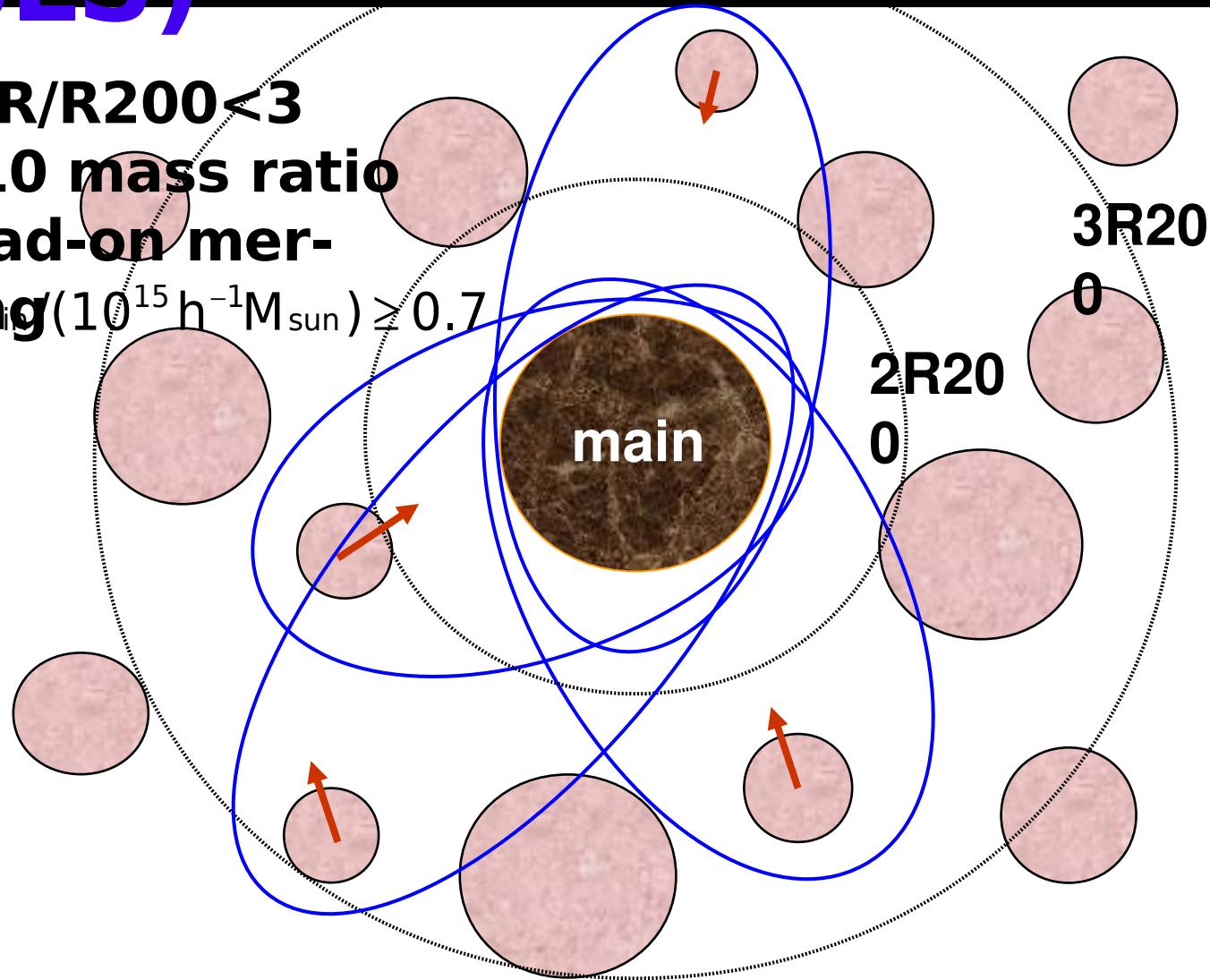
# Bullet-Like Systems (BLS)

$2 < R/R_{200} < 3$

1:10 mass ratio

head-on mer-

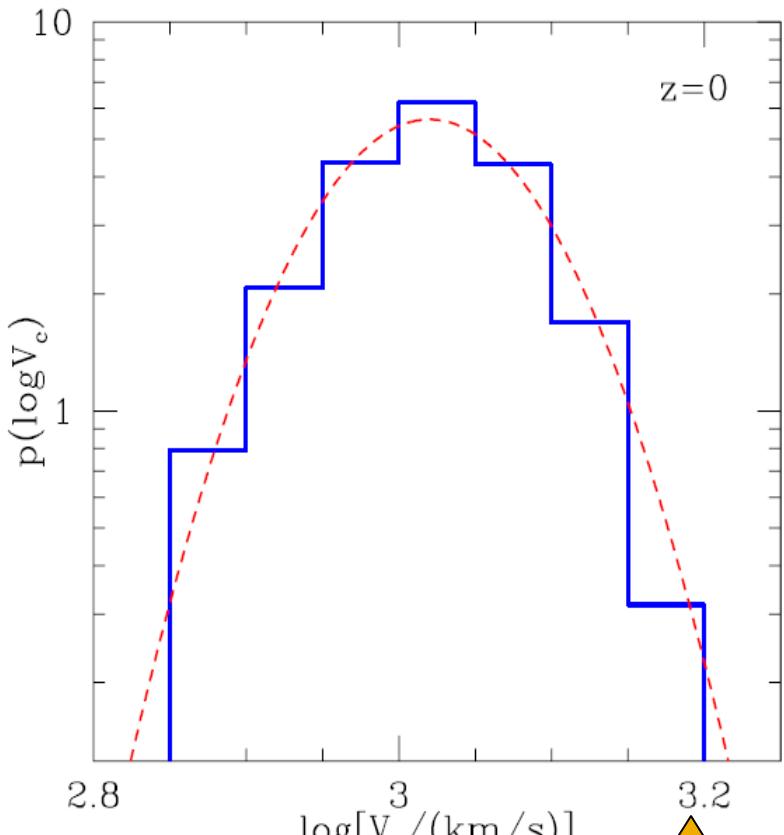
ging ( $10^{15} h^{-1} M_{\text{sun}}$ )  $\geq 0.7$



$M_{\text{main}}$ $[10^{15} h^{-1} M_\odot]$	the number of clusters of clusters at $z = 0$	the number of bullet-like systems at $z = 0$
$\geq 0.5$	8523	2189
$\geq 0.7$	3135	1135
$\geq 1$	911	351

$M_{\text{main}}$ $[10^{15} h^{-1} M_\odot]$	the number of clusters of clusters at $z = 0.5$	the number of bullet-like systems at $z = 0.5$
$\geq 0.5$	3108	186
$\geq 0.7$	800	78
$\geq 1$	138	27

# Infall Velocity Distribution at $z=0$



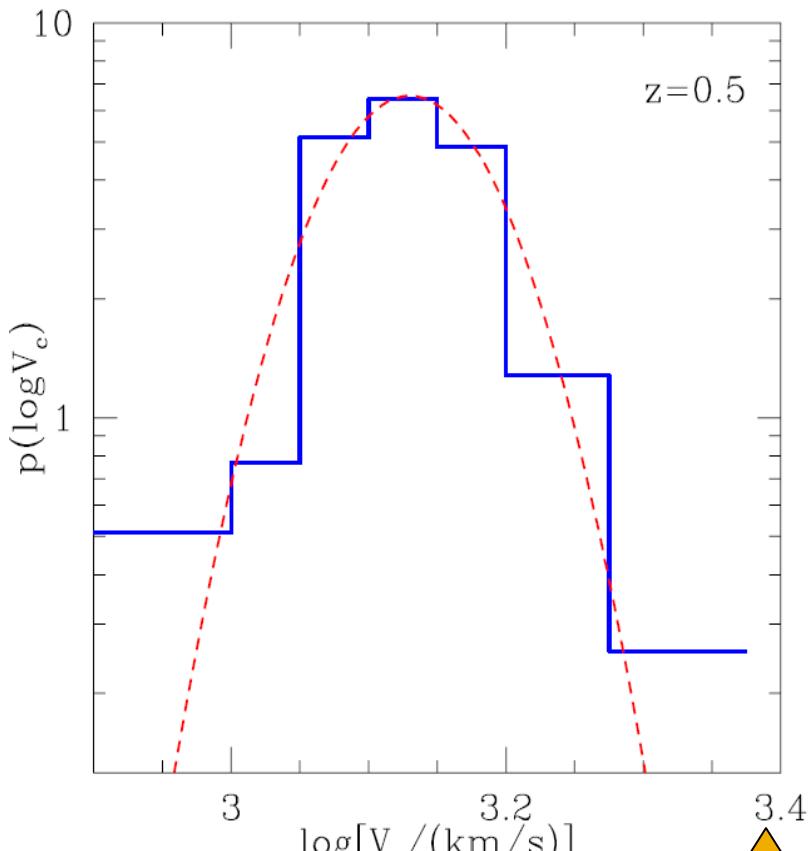
$$p(\log V_c) = \frac{1}{\sqrt{2\pi\sigma_\nu^2}} \exp \left[ -\frac{(\log V_c - \nu)^2}{2\sigma_\nu^2} \right]$$

$$P(V_c \geq 3000 \text{ km/s}) \\ \approx 3.3 \times 10^{-11} \text{ at } z = 0$$



1800 km/s

# Infall Velocity Distribution at z=0.5



$P(V_c \geq 3000 \text{ km/s}) \approx 3.6 \times 10^{-9}$   
at  $z = 0.5$

$\wedge$  **slows down  
the  
structure for-  
mation.**



2500 km/s

# Surprise 3 – Infall Velocity

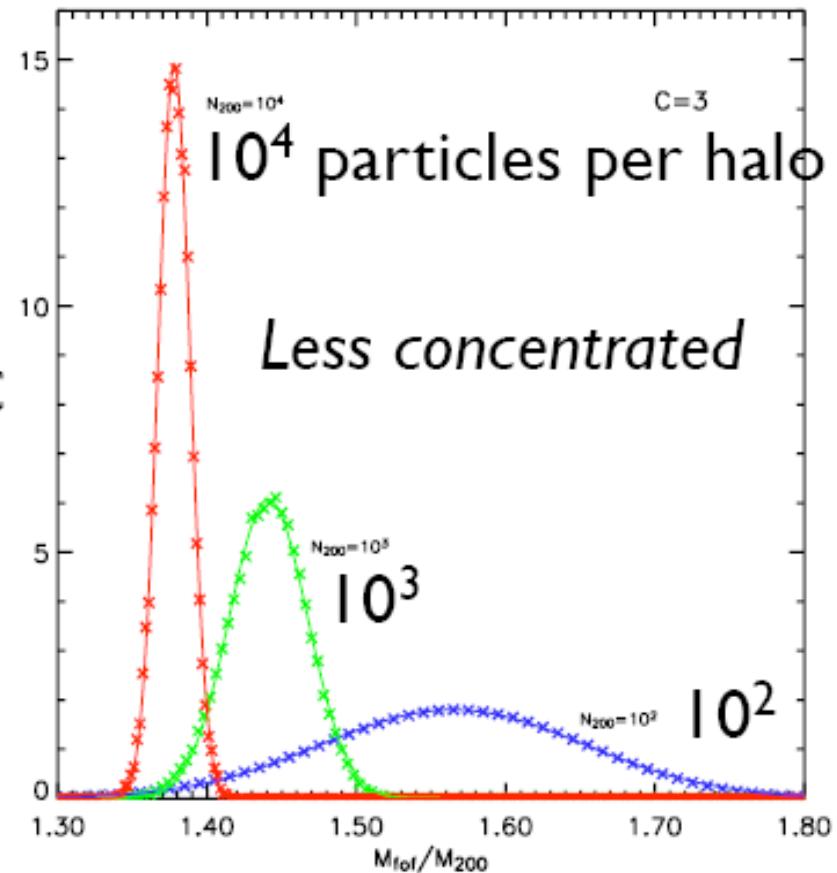
- IE0657-56 requires  $V_c \sim 3000$  km/s at  $2R_{200}$  (Maspertopietro & Burkert 2008).
- While LCDM predicts

$$P(V_c \geq 3000 \text{ km/s}) \approx 3.3 \times 10^{-11} \text{ at } z = 0,$$

$$P(V_c \geq 3000 \text{ km/s}) \approx 3.6 \times 10^{-9} \text{ at } z = 0.5.$$

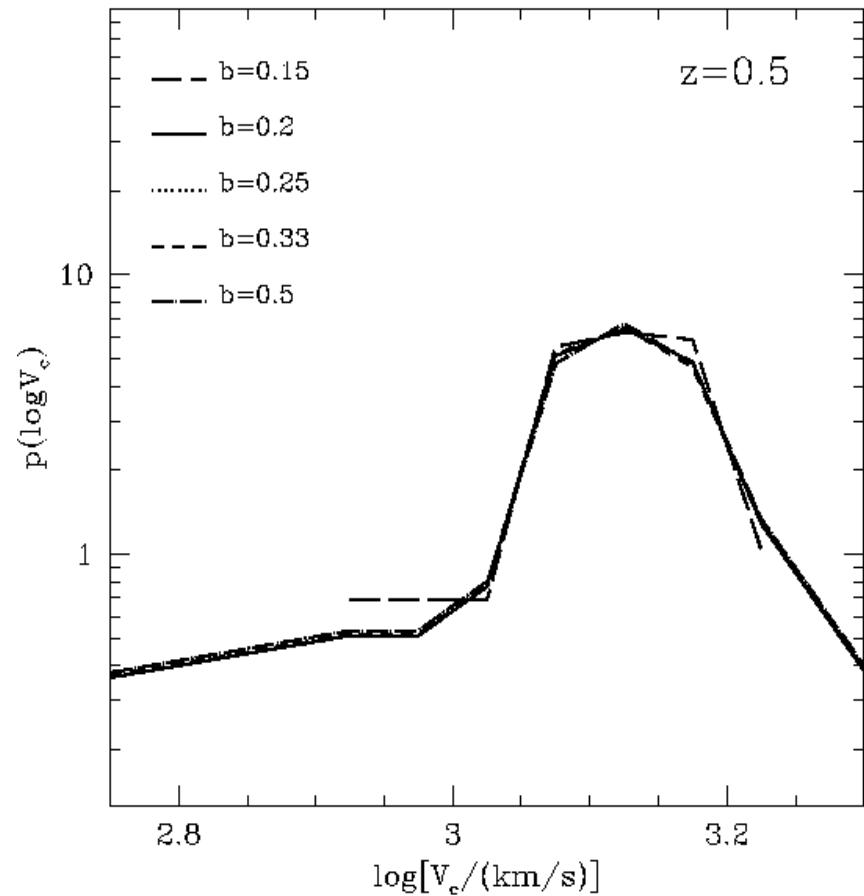
# Discussion on Uncertainty I

- How accurate is our estimate of  $R_{200}$  ?
- It depends on the halo concentration and the number of particles.
- $R_{\text{fof}}/R_{200} \sim 1.1$ .
- Good enough!



# Discussion on Uncertainty II

- How does the final result depend on the linking length,  $b$ , used to identify clusters of clusters?
- Almost no change as the value of  $b$  changes.
- Statistically robust.



# The Other Candidates



**RXJ1347-  
1145**

(Komatsu et  
al.2001)  
 $V_{\text{shock}} \sim$   
3900 km/s



**MACS J0025.4-**

(Bradac et  
al.2008)

# Conclusions

- The observed property of IE0657-56 calls for a high infall velocity: 3000 km/s at 2R<sub>200</sub>.