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Chalonge School  
July 19, 2008*



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# Cosmology Confronts Fundamental Questions:

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## From Dark Energy and Inflation to Eternity..

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*July 19, 2008*



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# or.. The Good, the Bad, and the Ugly

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*Chalonge School*  
*July 19, 2008*



# A Fundamental Question

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Are Fundamental  
Cosmological Questions  
Falsifiable?

# I. The Good:

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# I. The Good: “Proving” Inflation

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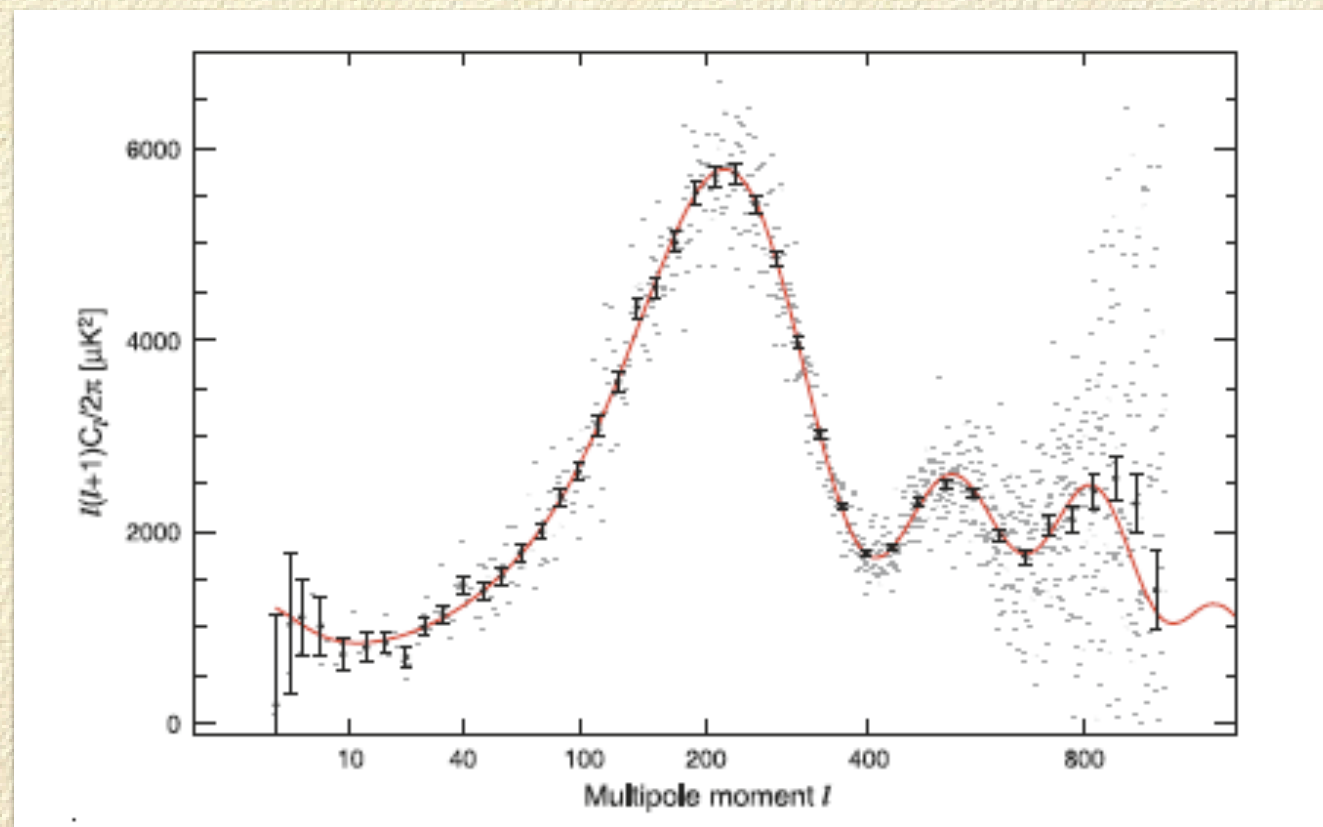
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- Flatness, Isotropy, Adiabatic, Gaussian Density Fluctuations...

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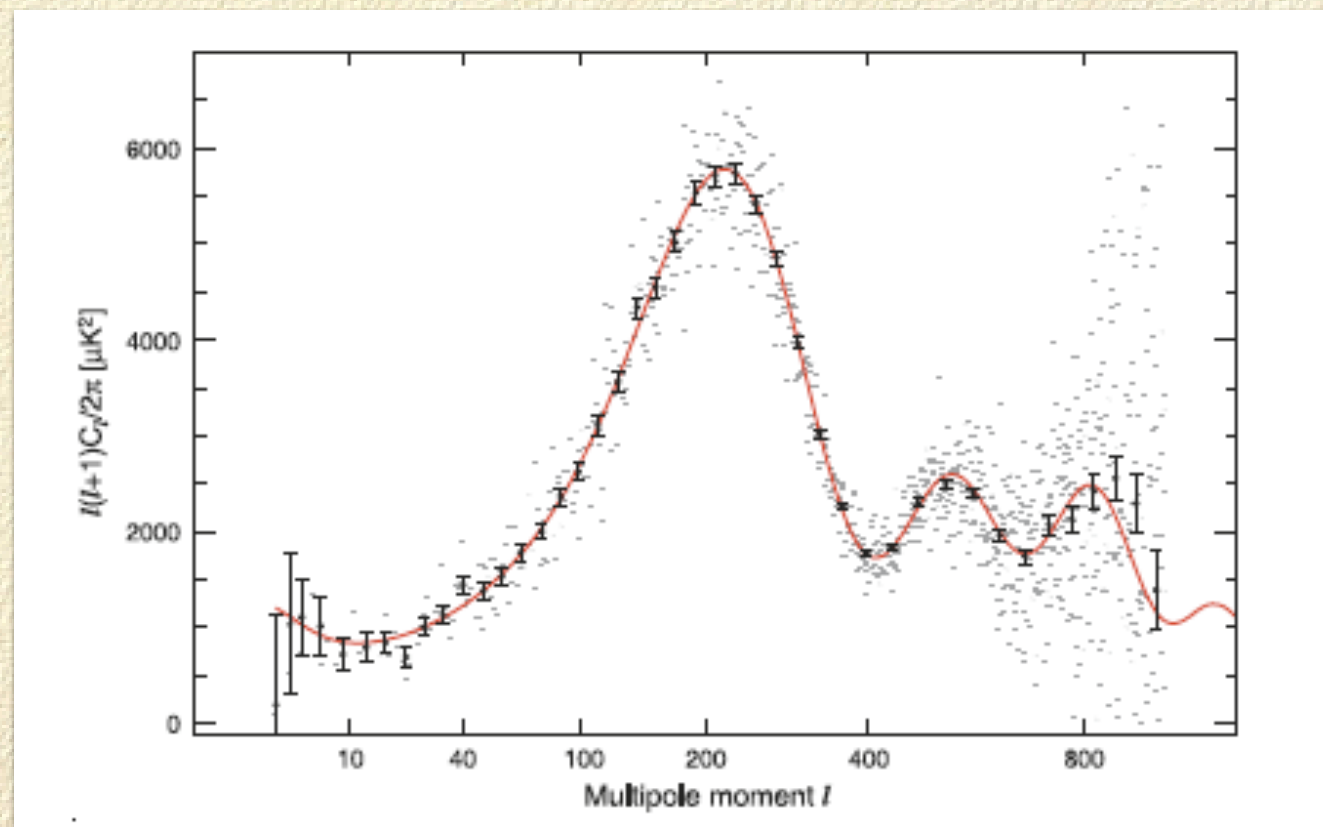
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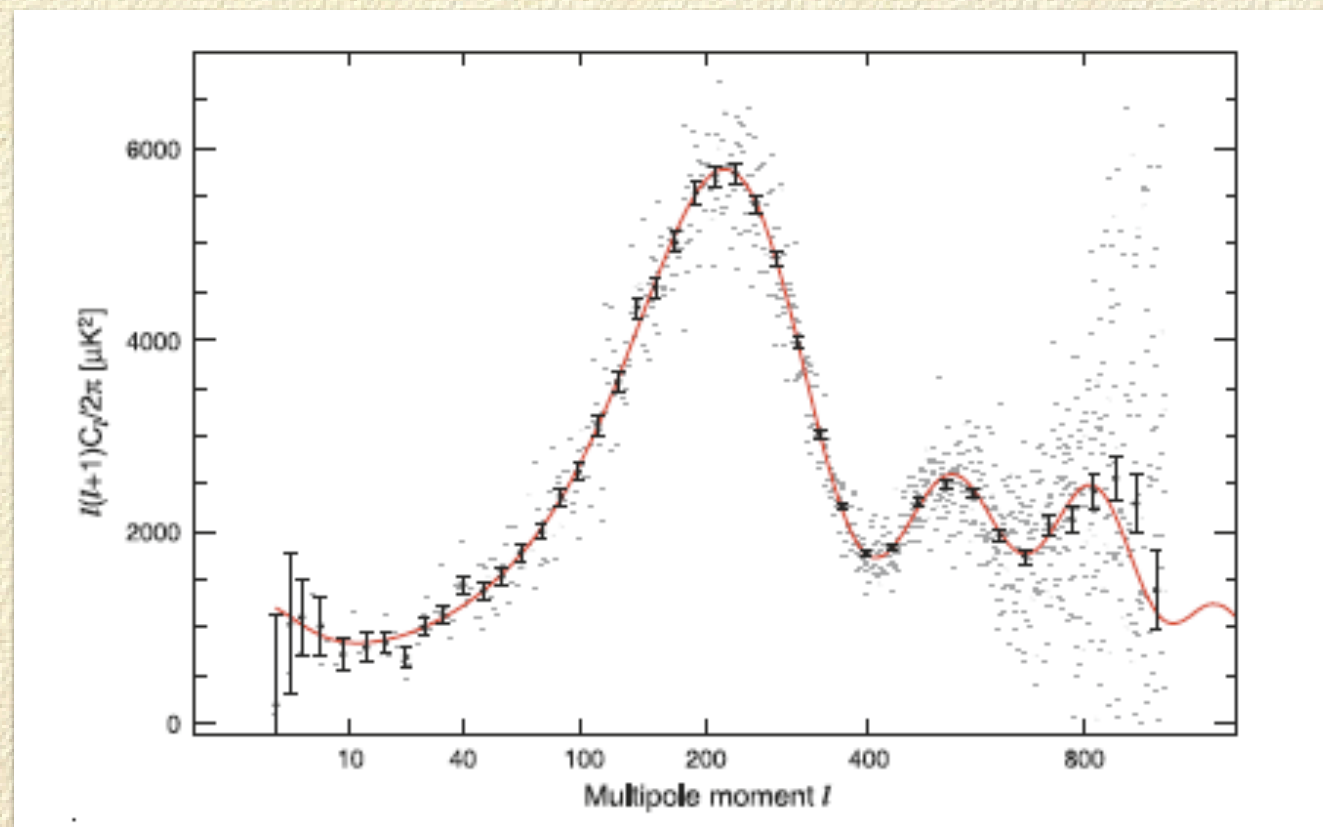
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- Is Consistency Enough?

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- Flatness, Isotropy, Adiabatic, Gaussian Density Fluctuations...



- Is Consistency Enough?
- Unique, Falsifiable Predictions?

# The Basics

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Quantum Fluctuations in De Sitter Space:

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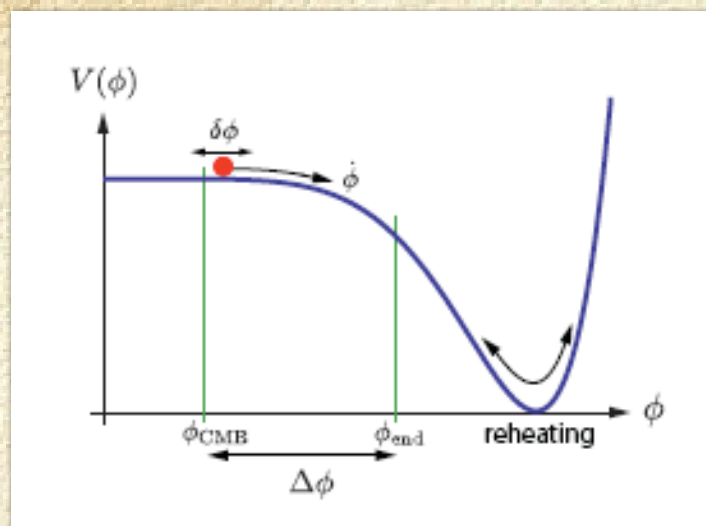
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$$\langle (\delta\Phi)^2 \rangle \approx H^2$$



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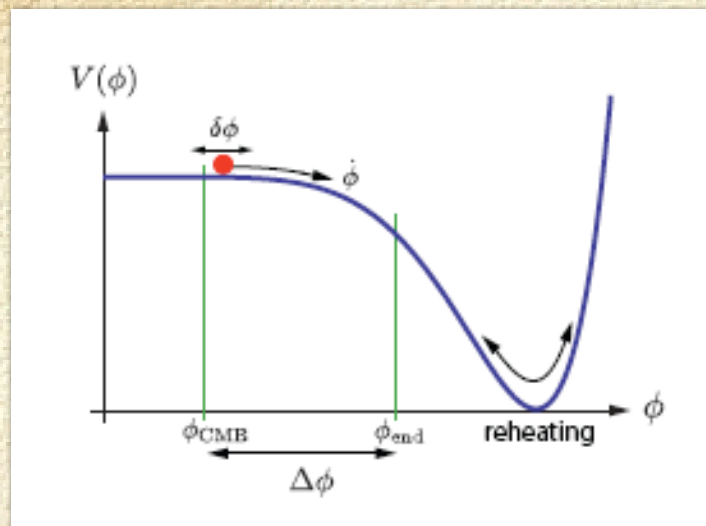


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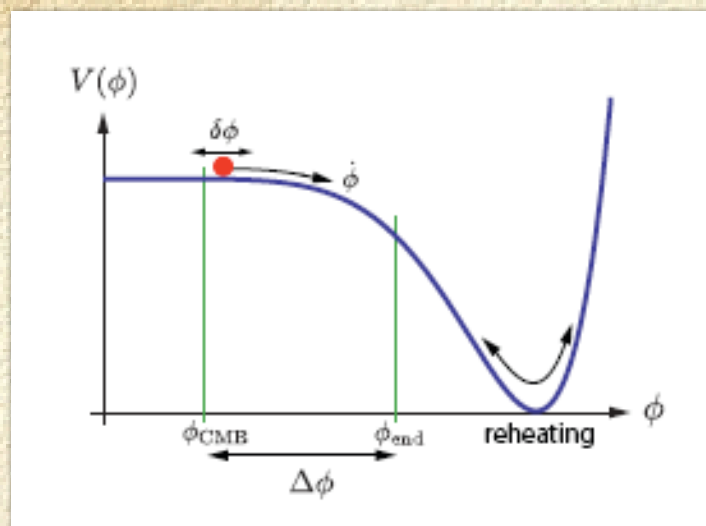
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$$\frac{\delta\rho}{\rho}(k) \sim \frac{H^2}{\dot{\phi}}$$



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**Note:** Scalar density perturbations depend upon shape of potential. Tensor perturbations just depend upon scale!

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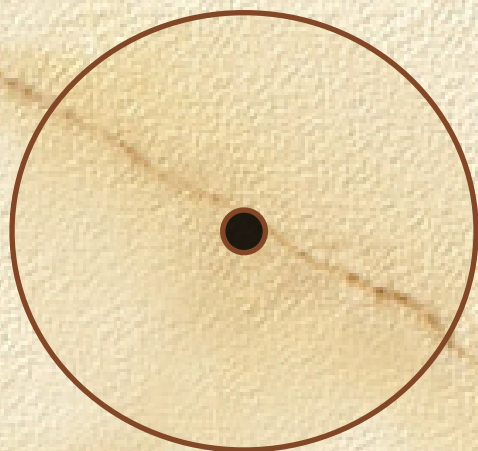


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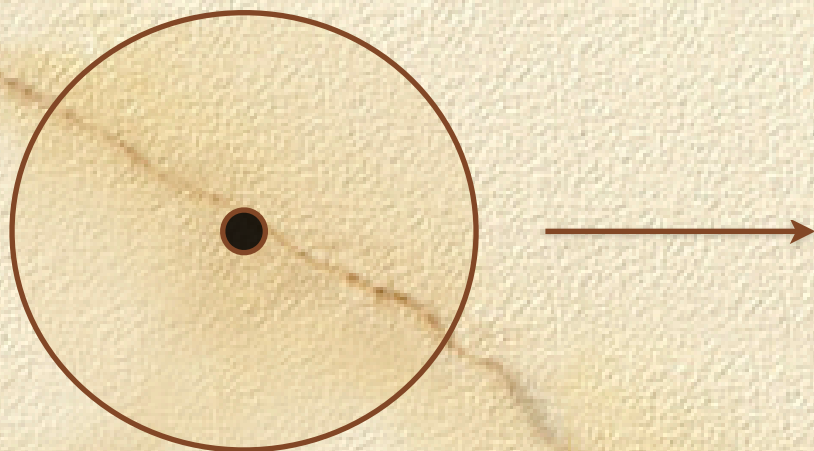


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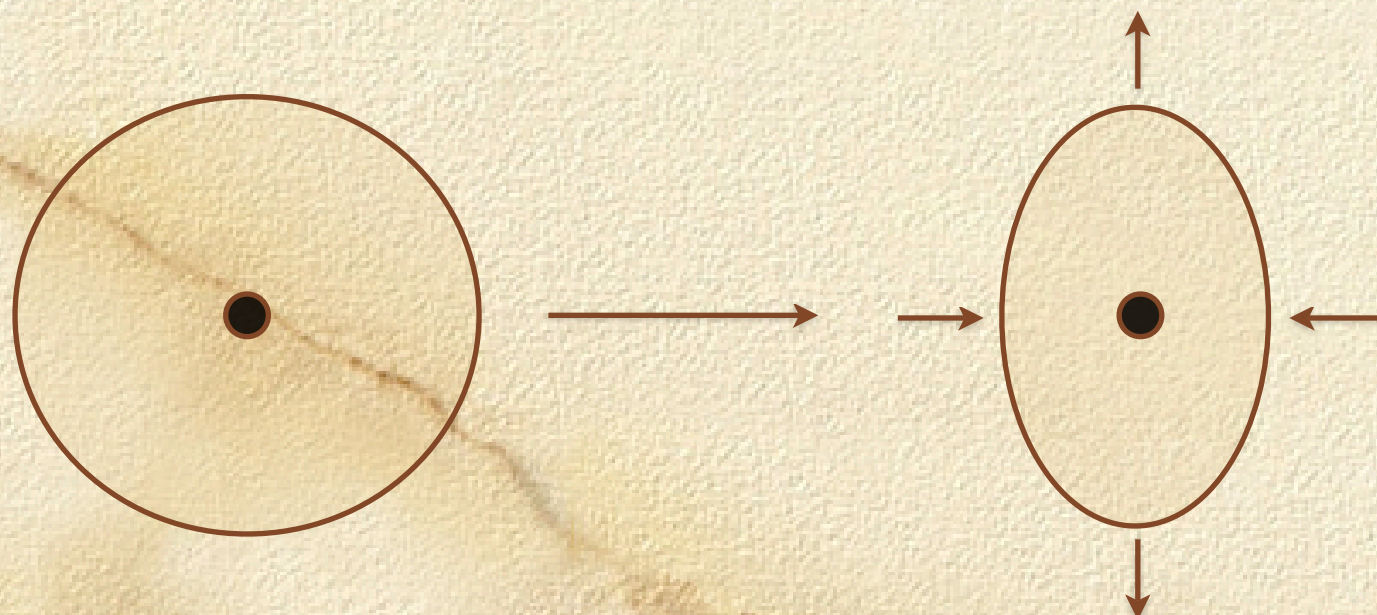


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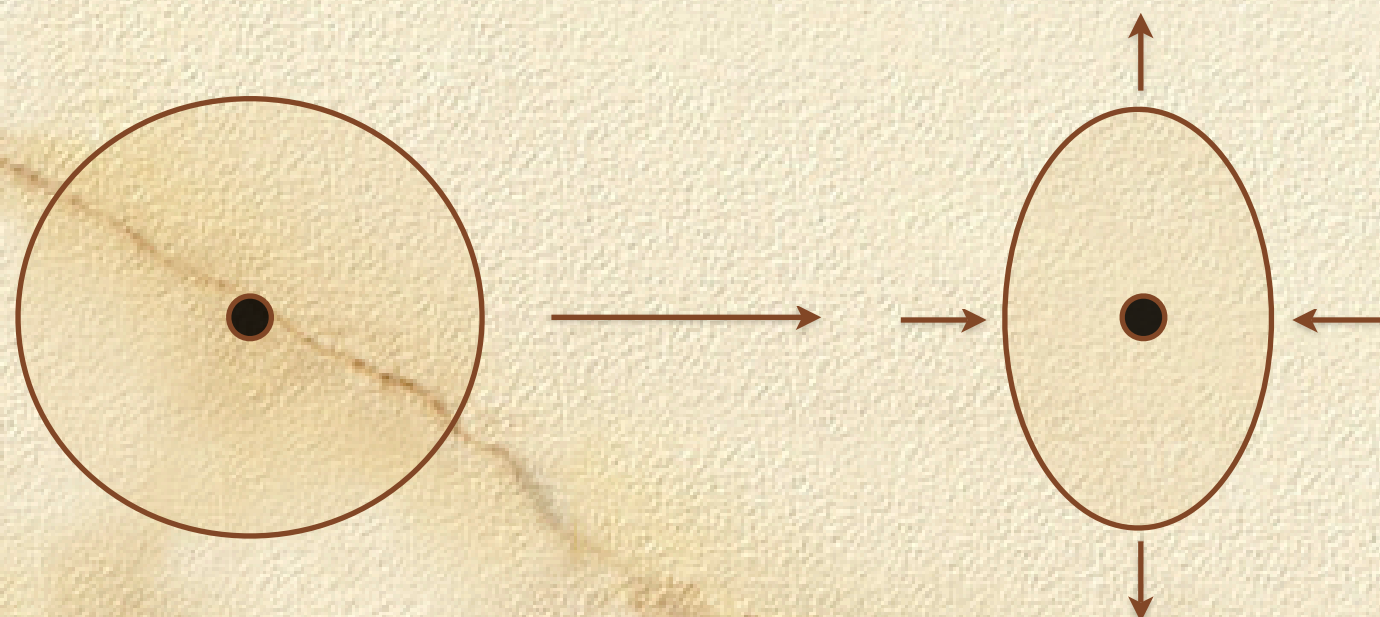


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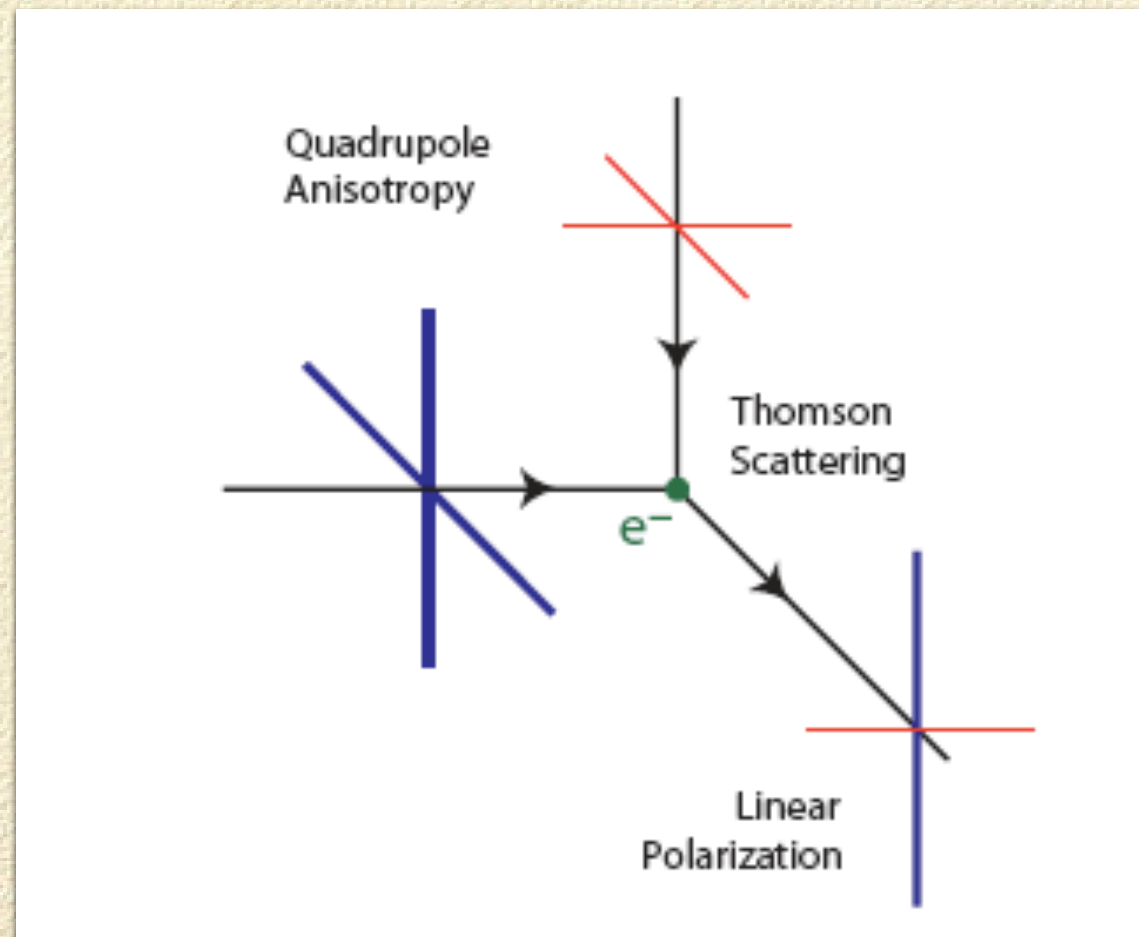
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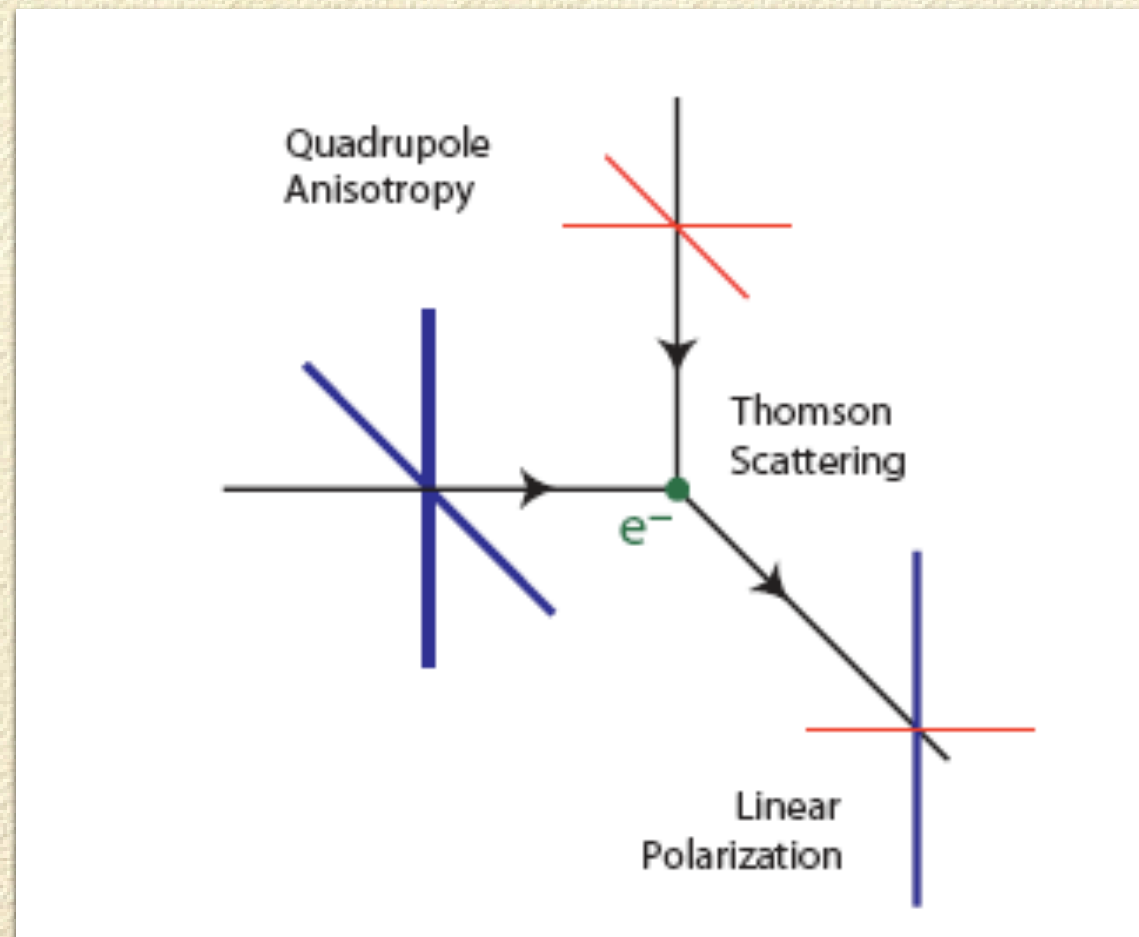
Quadrupole  
Moment of  
Radiation:  
Anisotropic  
scattering..



# Polarization from Quadrupole



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cf:  
Dodelson

# Smoking Gun

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NOTE: This actually makes it appear that  $r$  is insensitive to  $M$ , but this is not true...



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MEASURING POLARIZATION *AND* SPECTRUM  
CONSTRAIN  $r$  and PROBE INFLATION!



# Smoking Gun

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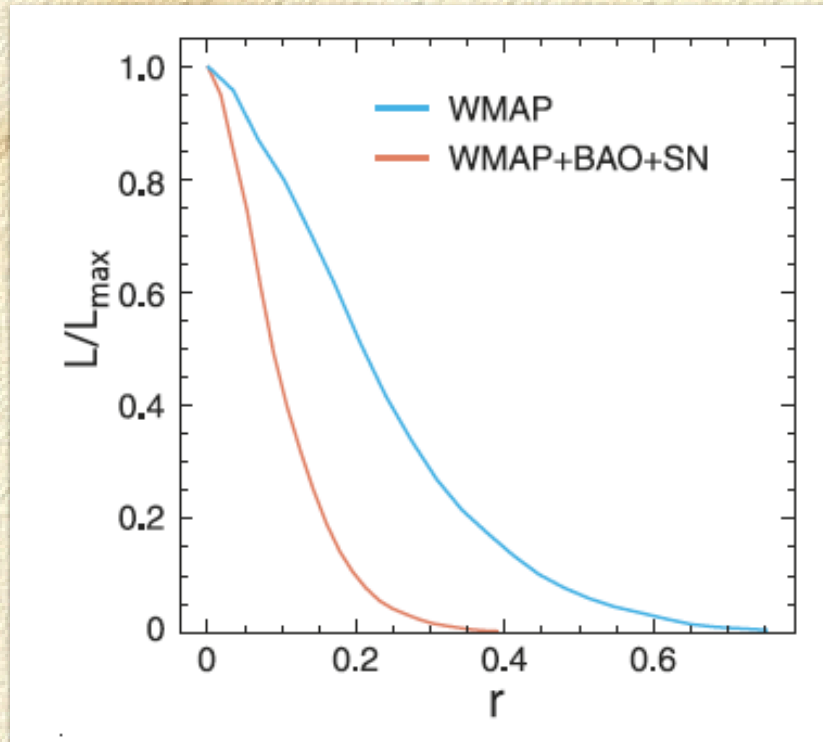
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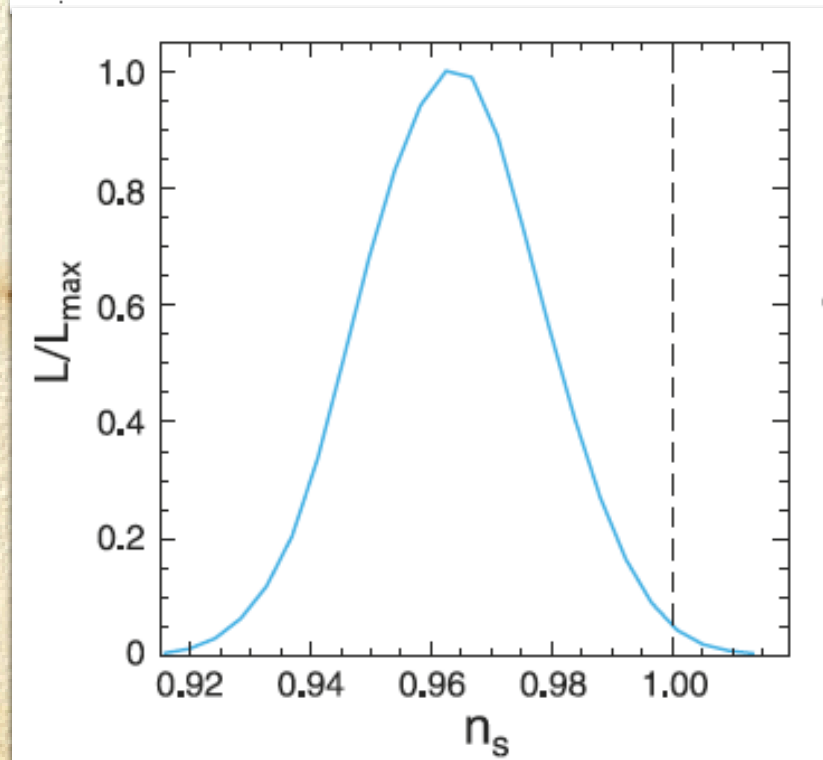
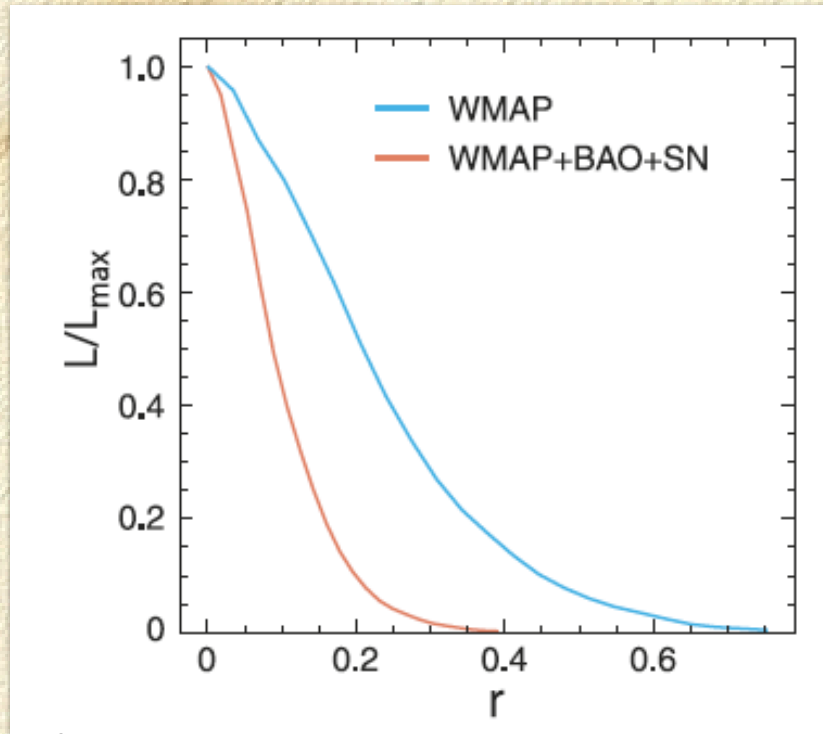
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COMPARE TO EXPECTATIONS?

(LB)

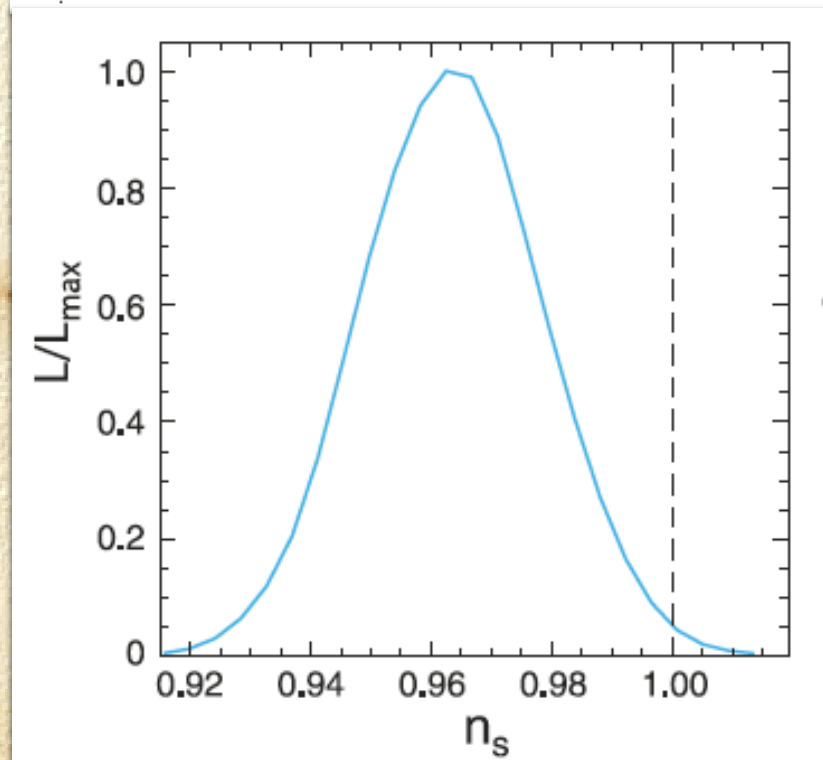
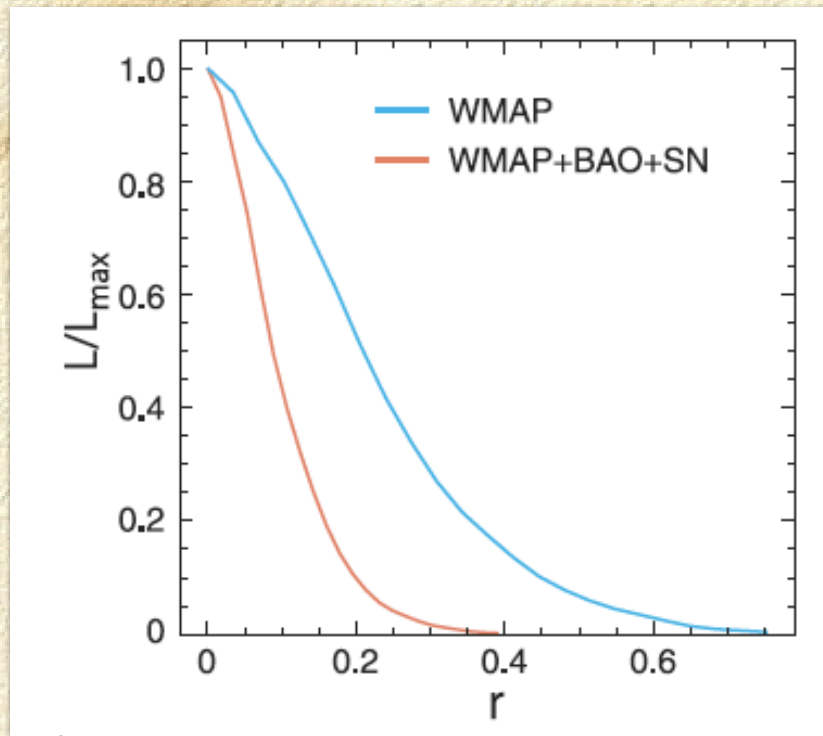
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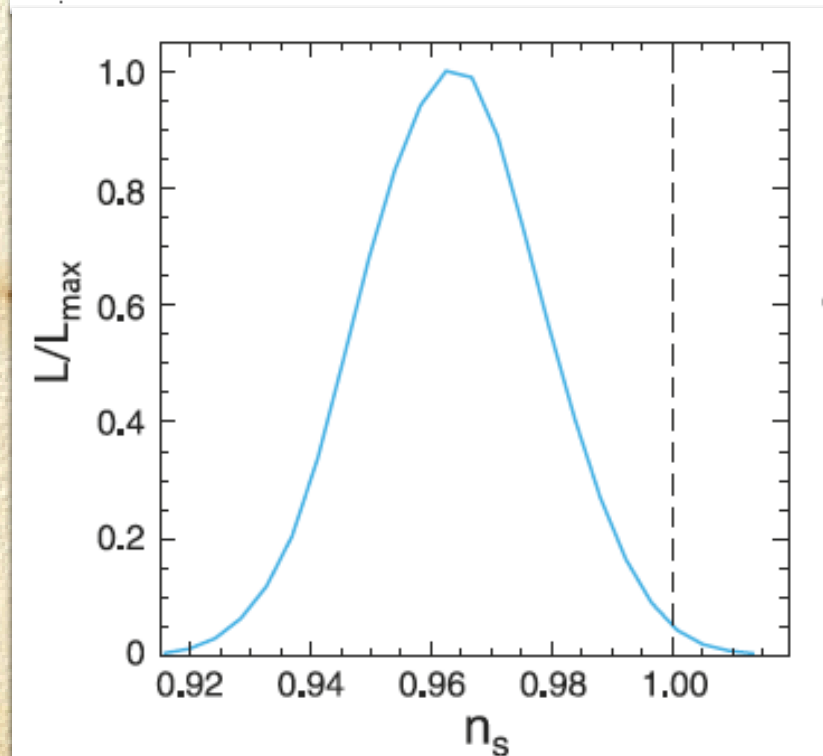
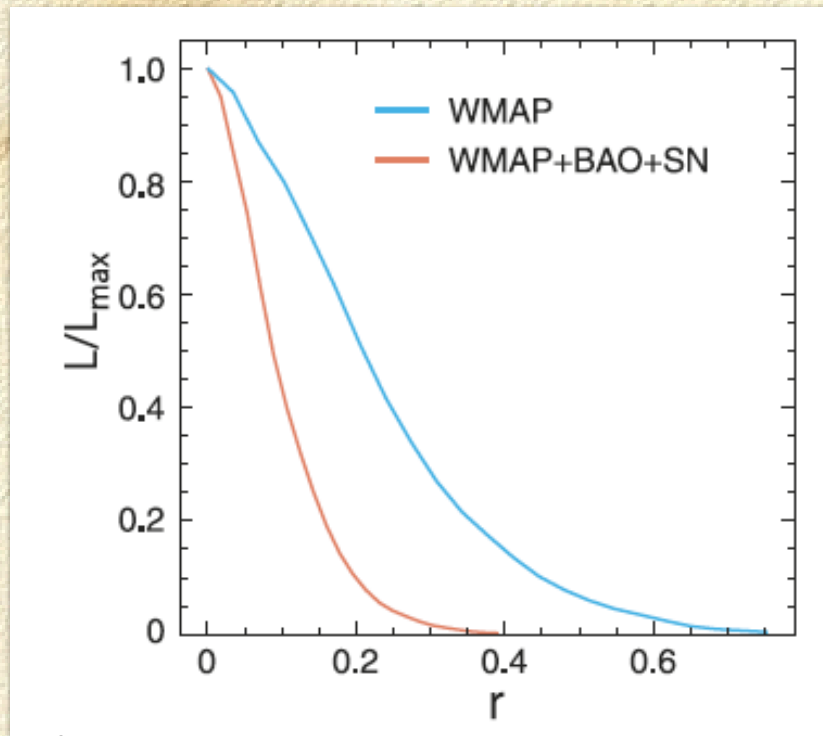
H dV

2008



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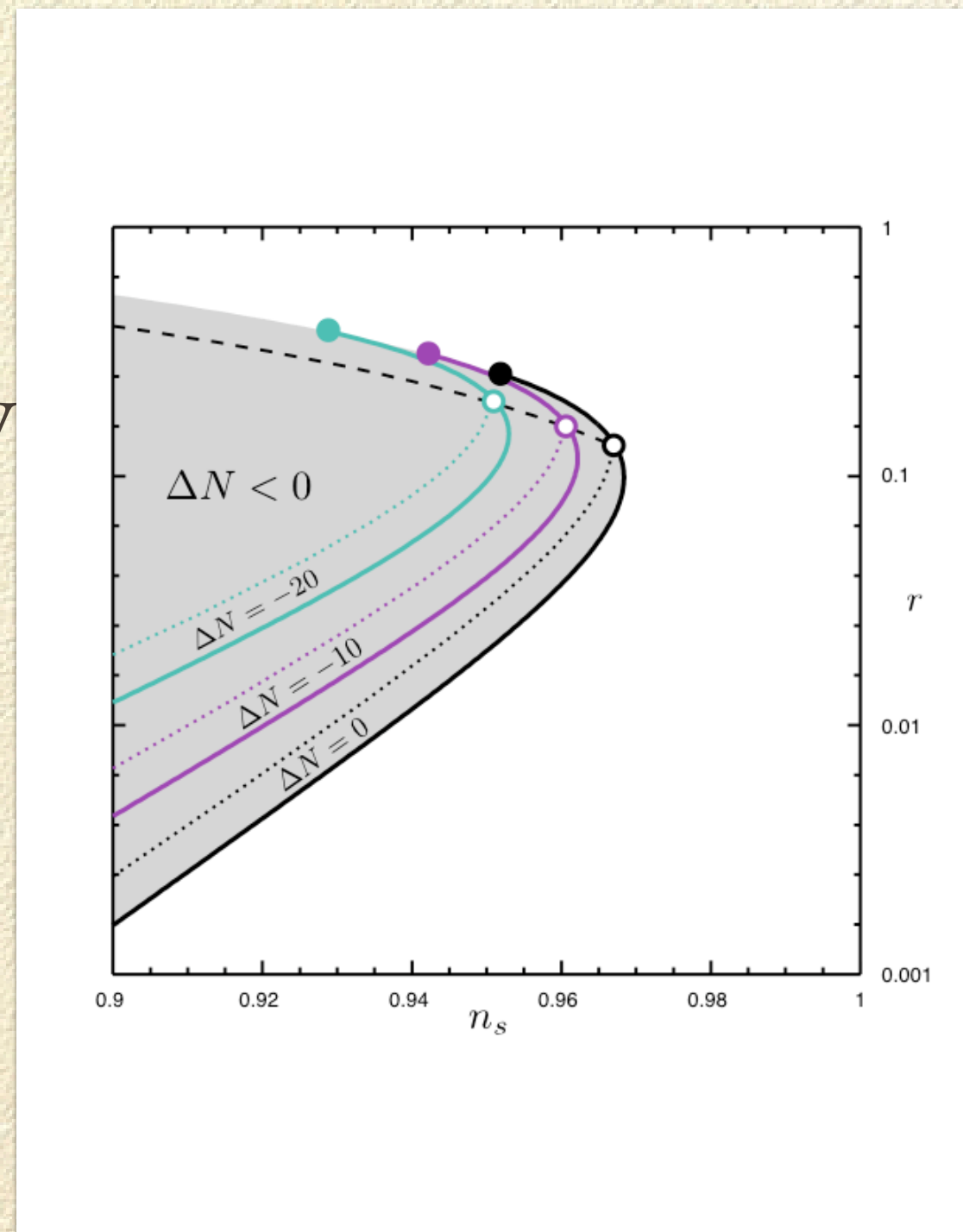
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(UV Complete: calculate anything possible)



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- (iii) Super-planck excursions: String theory necessary:  
(UV Complete: calculate anything possible)  
ANYTHING POSSIBLE!!!



# Smoking Gun ??

---

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---

Problem #2: What do current experiments really suggest?

# Smoking Gun ??

---

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really suggest?

i.e HAS  $r \neq 0$  been discovered? cf.. D, deV, S, 2008



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$$\{c_i\} = \{H, H', H'', H'''\},$$

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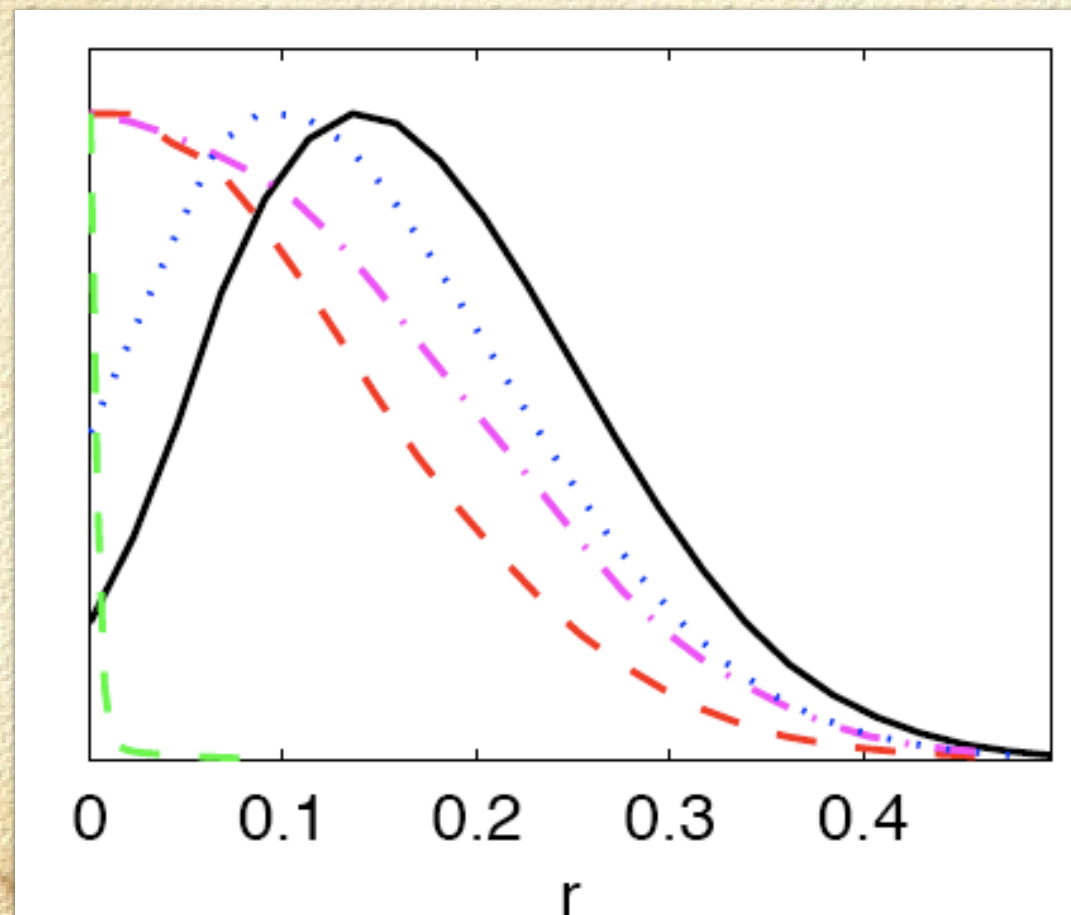
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(WV, LMK, JH, '08)



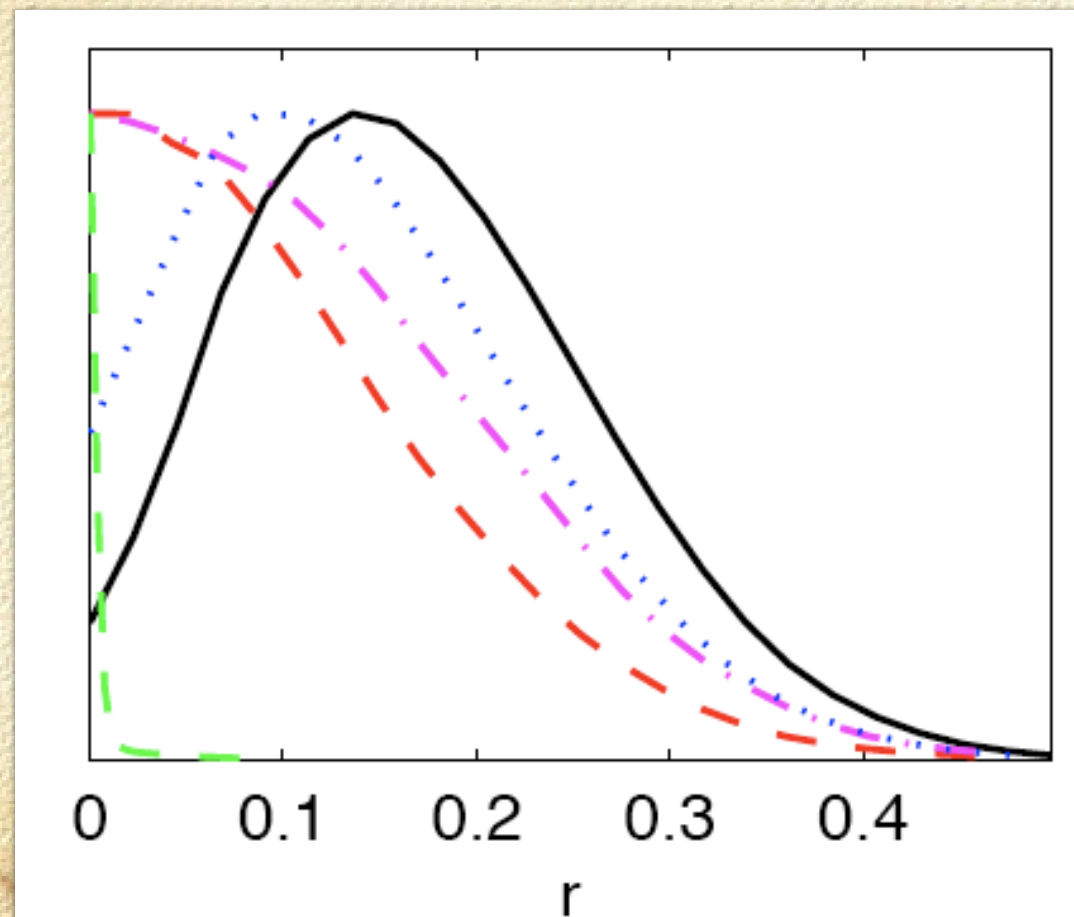
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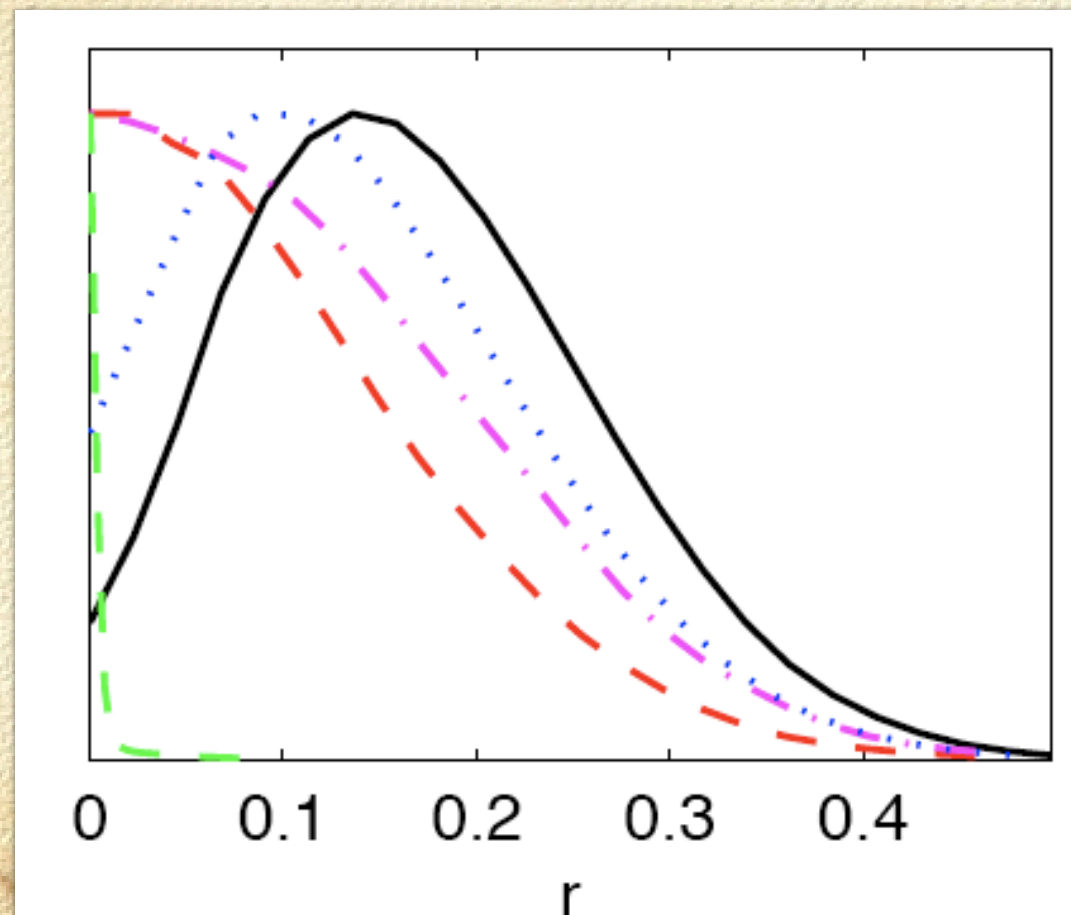
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Good News?

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Bayesian Complexity  $< 8$

Good News?



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---

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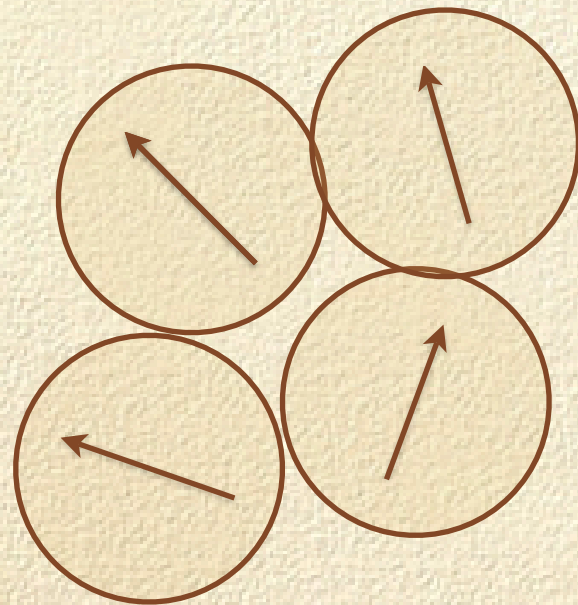
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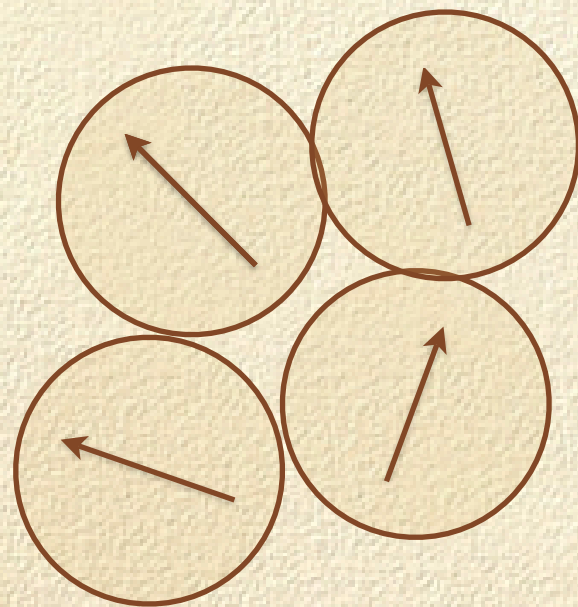
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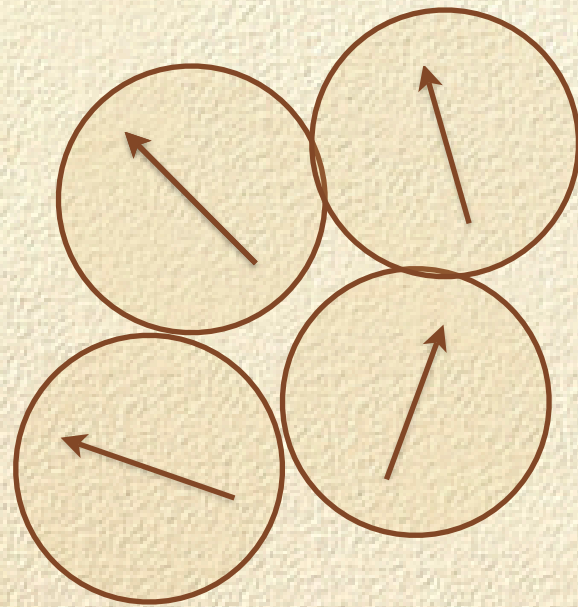
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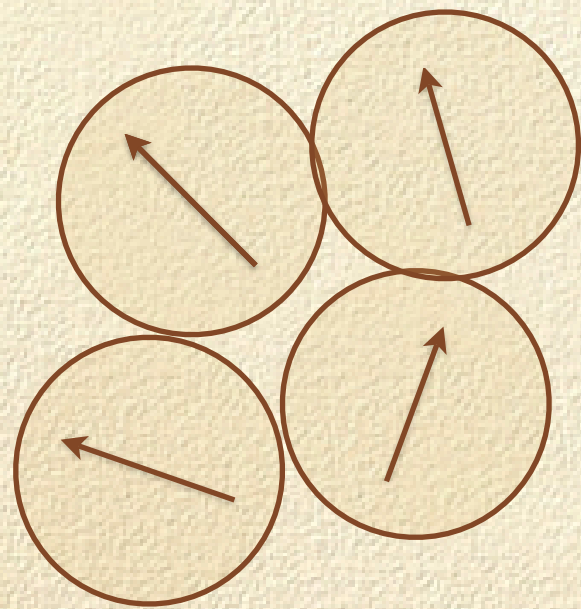


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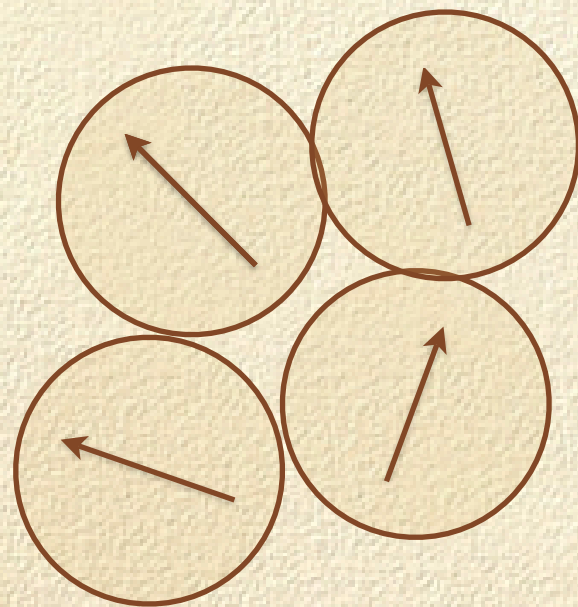


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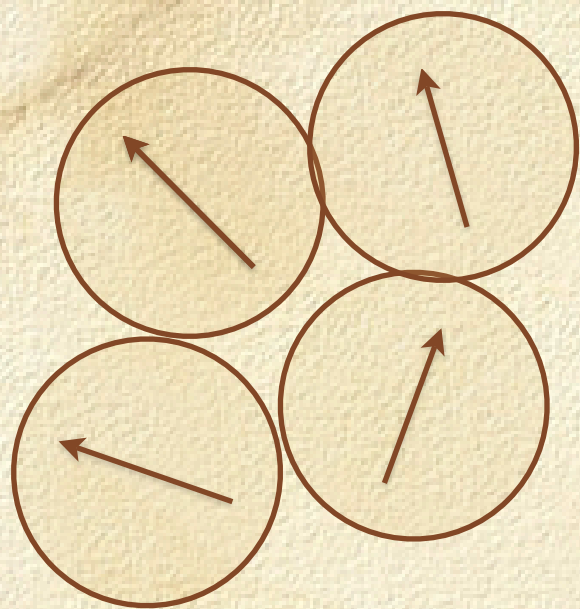
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$$(\nabla\phi)^2 \approx v^2 H^2,$$

When horizon grows, gradients relax. Use quadrupole approx to calculate generation of gravitational waves **ON THE HORIZON**.

# Smoking Gun??

---

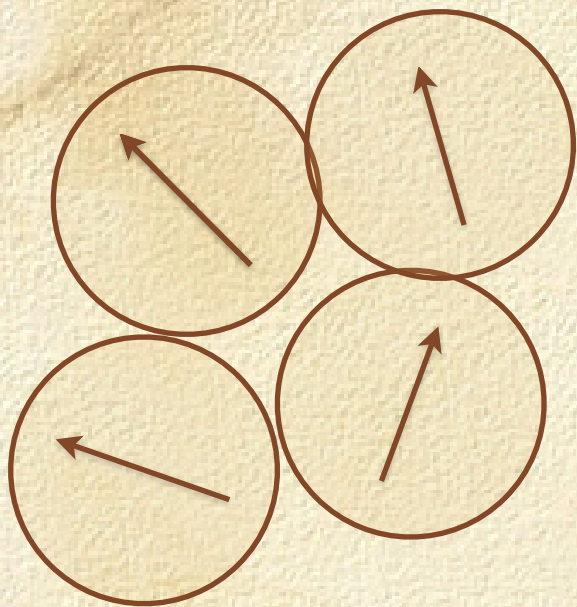




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$$(\nabla\phi)^2 \approx \nu^2 H^2,$$



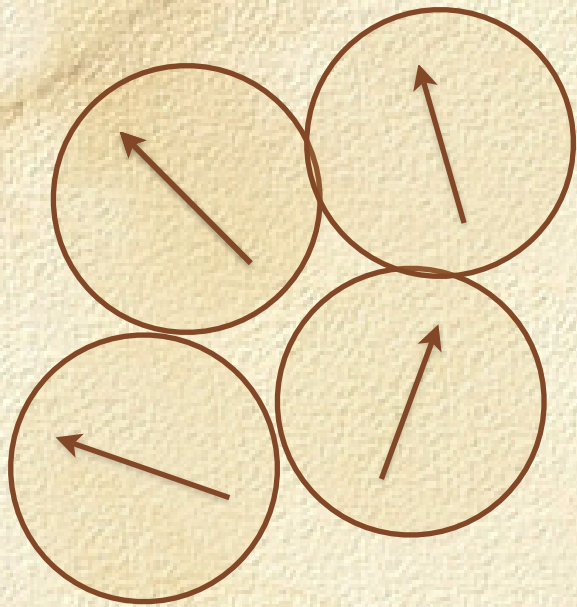


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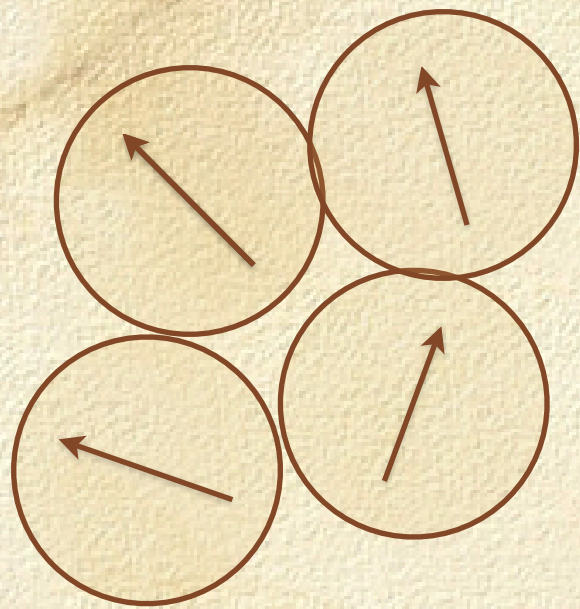
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$$(\nabla\phi)^2 \approx v^2 H^2,$$

$$Q \approx f M L^2 \approx f M / H^2 \approx f \rho / H^5 \approx f v^2 / H^3$$



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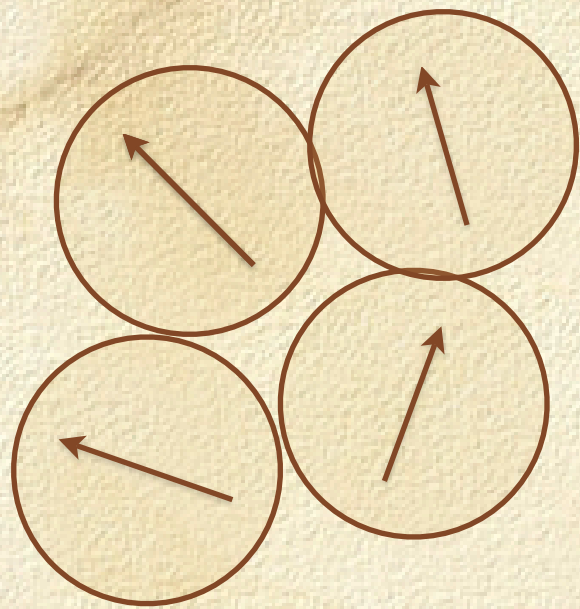
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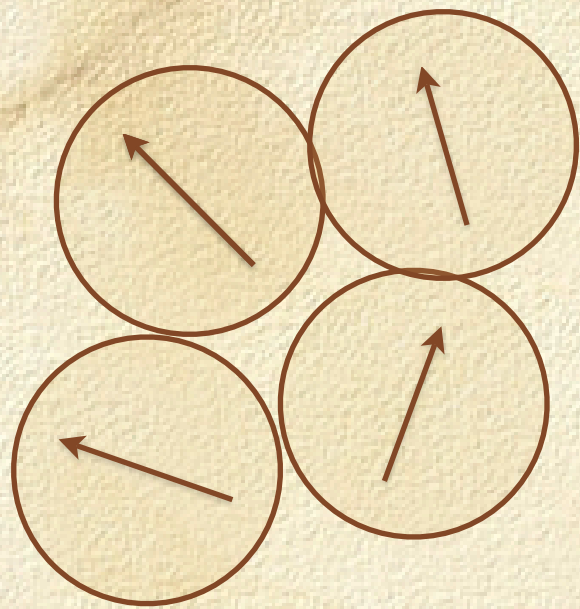
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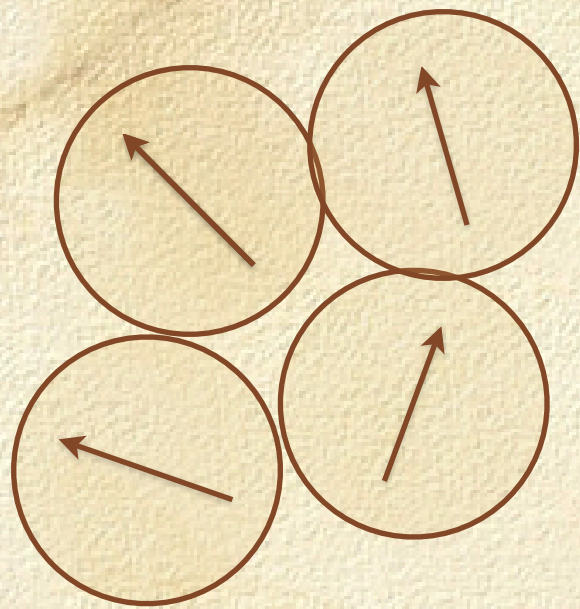
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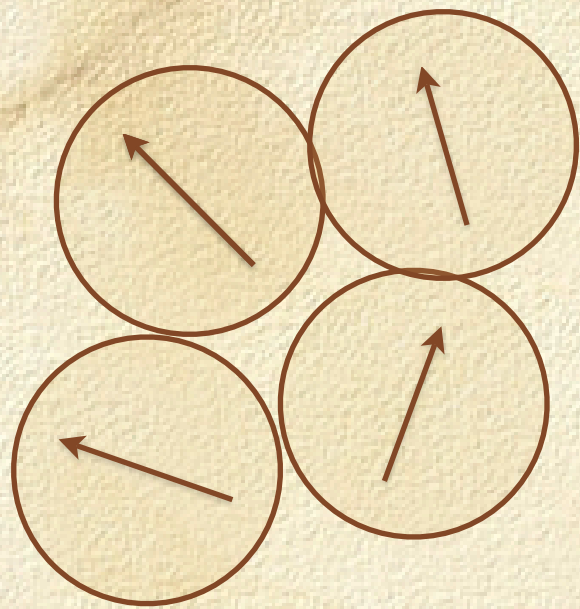
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Identical to Inflation.. Flat Spectrum.. continued relaxation on H scale.. up to factor of f.. Q: What is f?



# Smoking Gun??

---

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---

Trick: find analytical model where calc. can be done exactly:

# Smoking Gun??

---

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K J-S, LMK, HM, '08



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BUT!!!! for  $p\tau \approx 1$   $C \approx 2000$  ! FOUR ORDERS of MAG!

# Smoking Gun??

---



# Smoking Gun??

---



# Smoking Gun??

---



Ratio of strengths:

# Smoking Gun??

---



Ratio of strengths:

$$10^4 \left[ \frac{\eta}{N^{1/4} \nu} \right]^4$$



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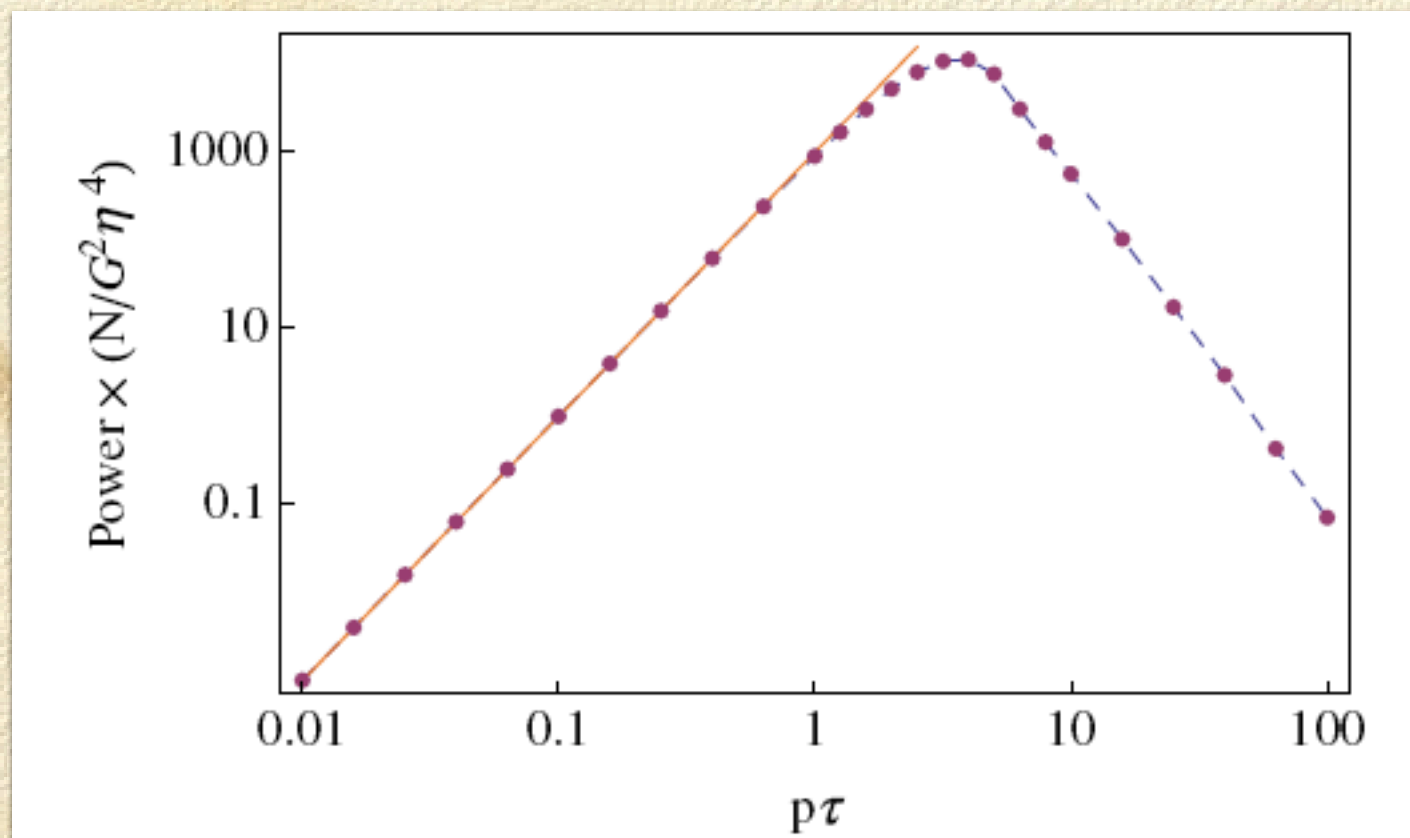
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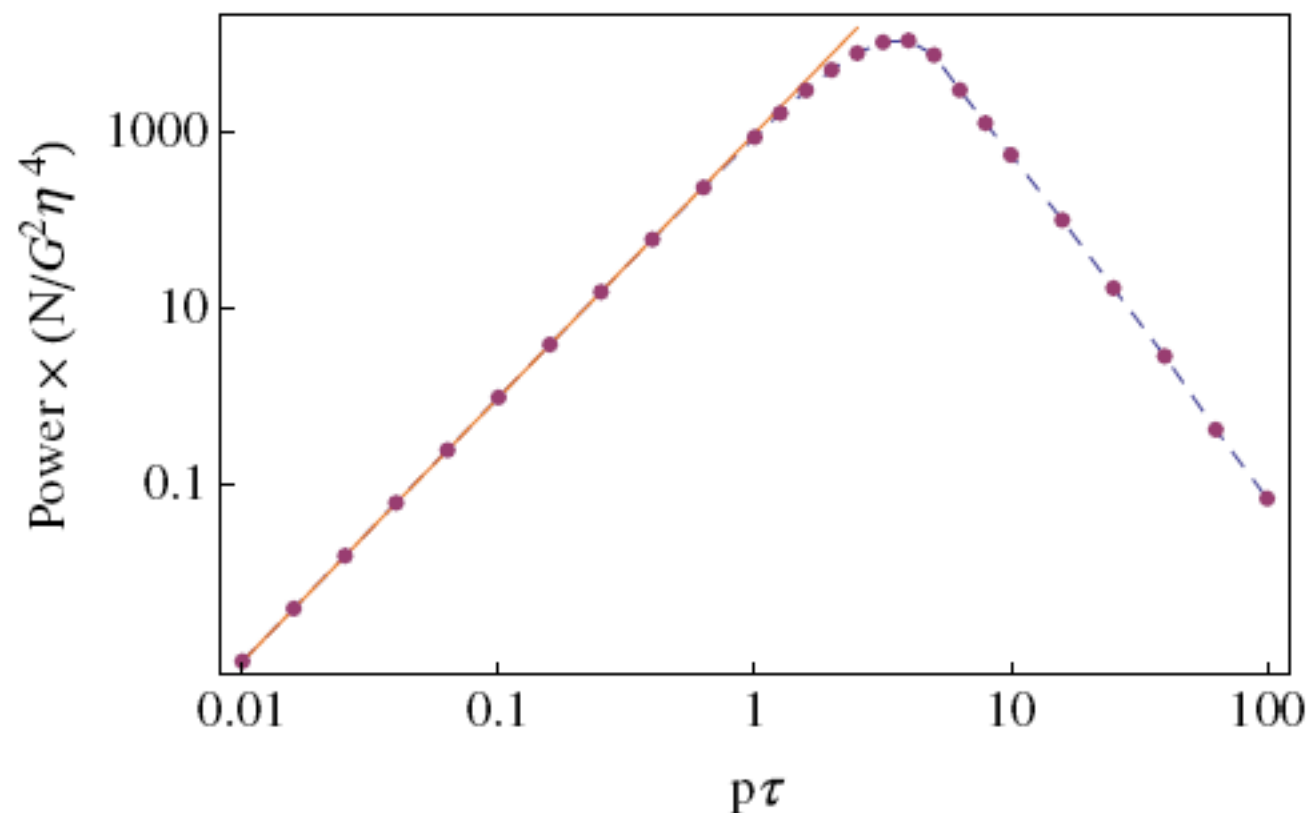
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Q: Spectrum is flat on horizon scale, but differs on superhorizon at any time. Does this produce difference in polarization???



# “Proving” Inflation with Gravity Waves

---

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- FALSIFIABILITY? (FUNDAMENTAL PHYSICS OR NEW RESULTS?)



# The Bad: Dark Energy

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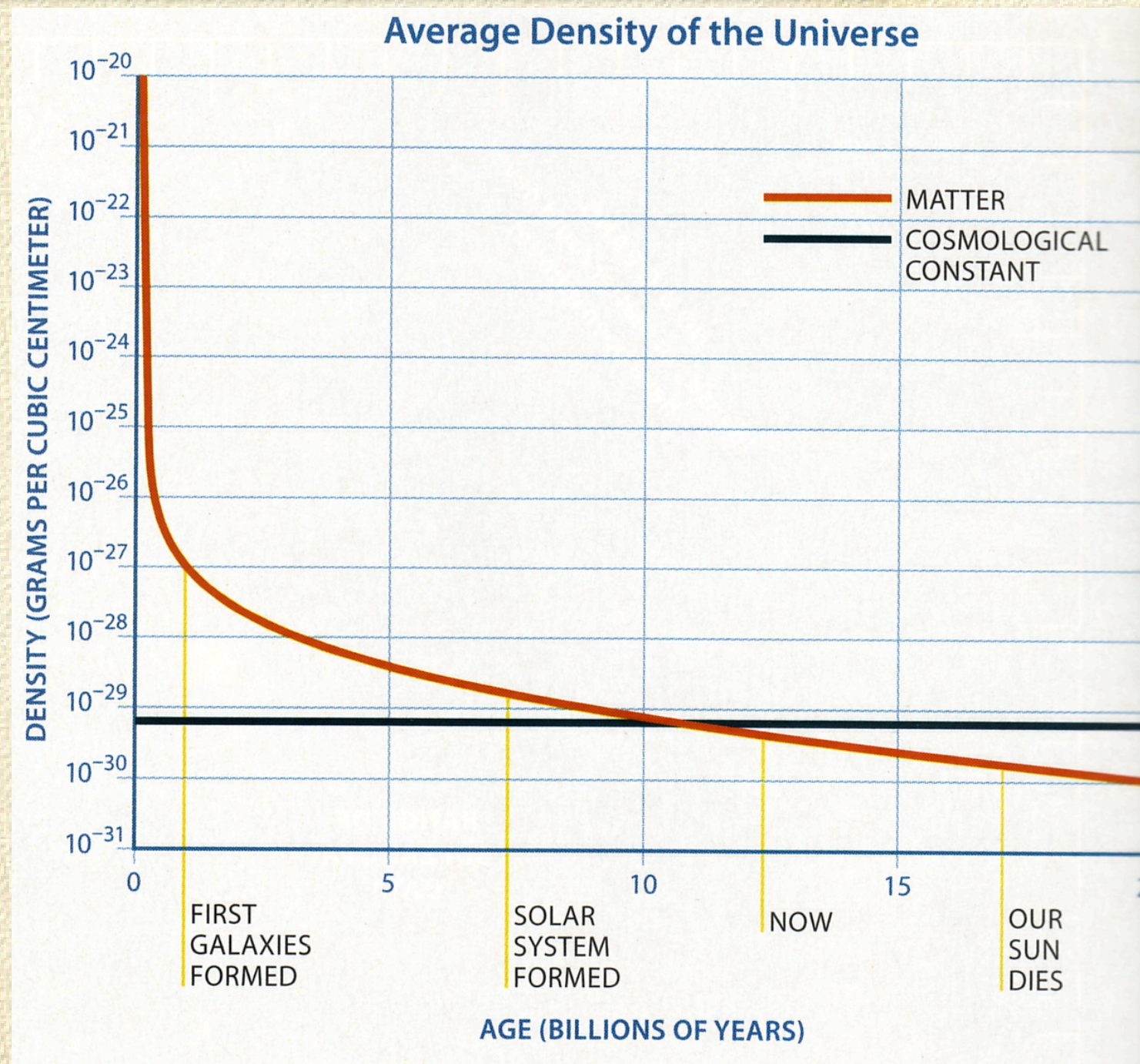
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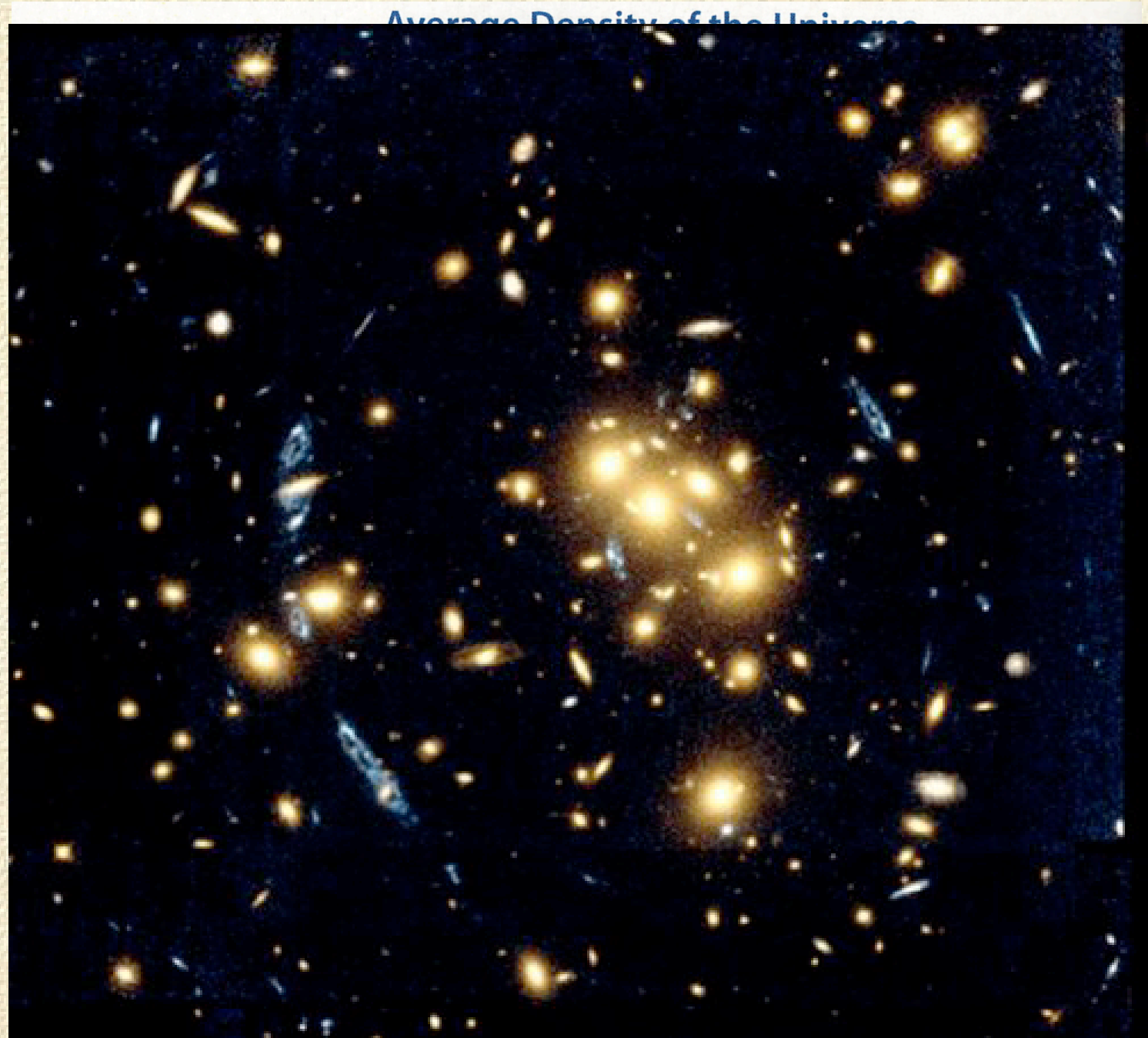




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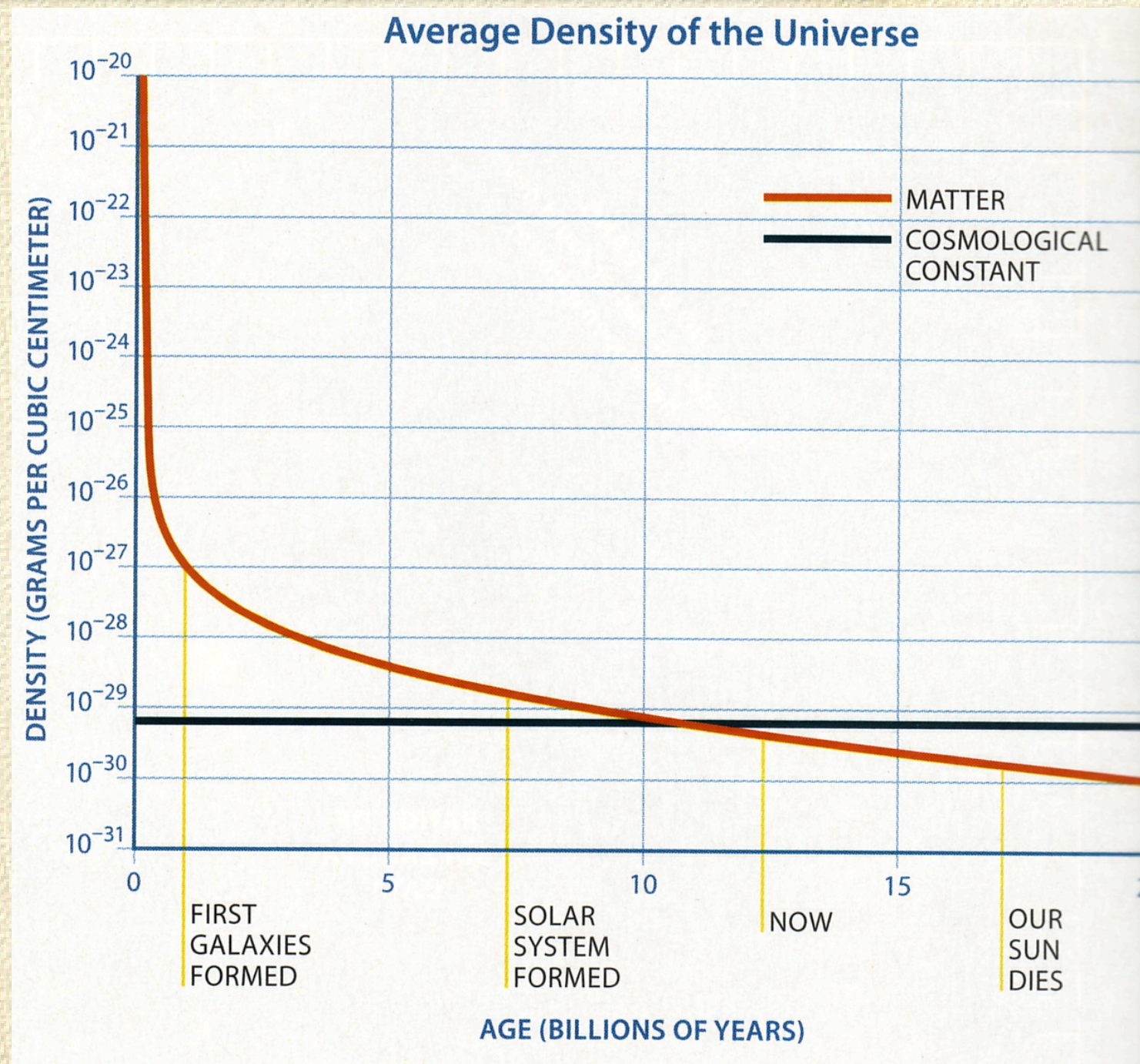
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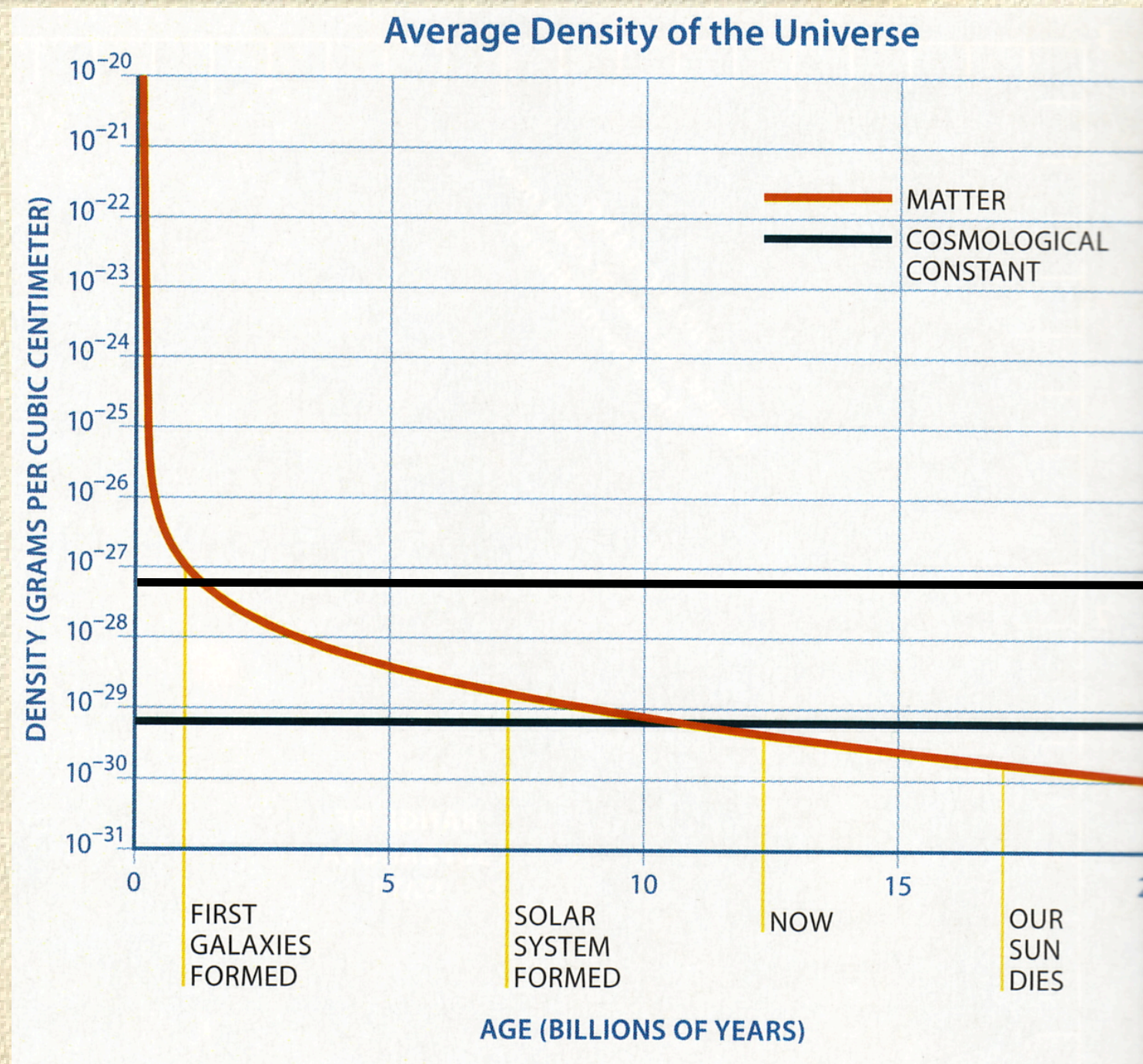
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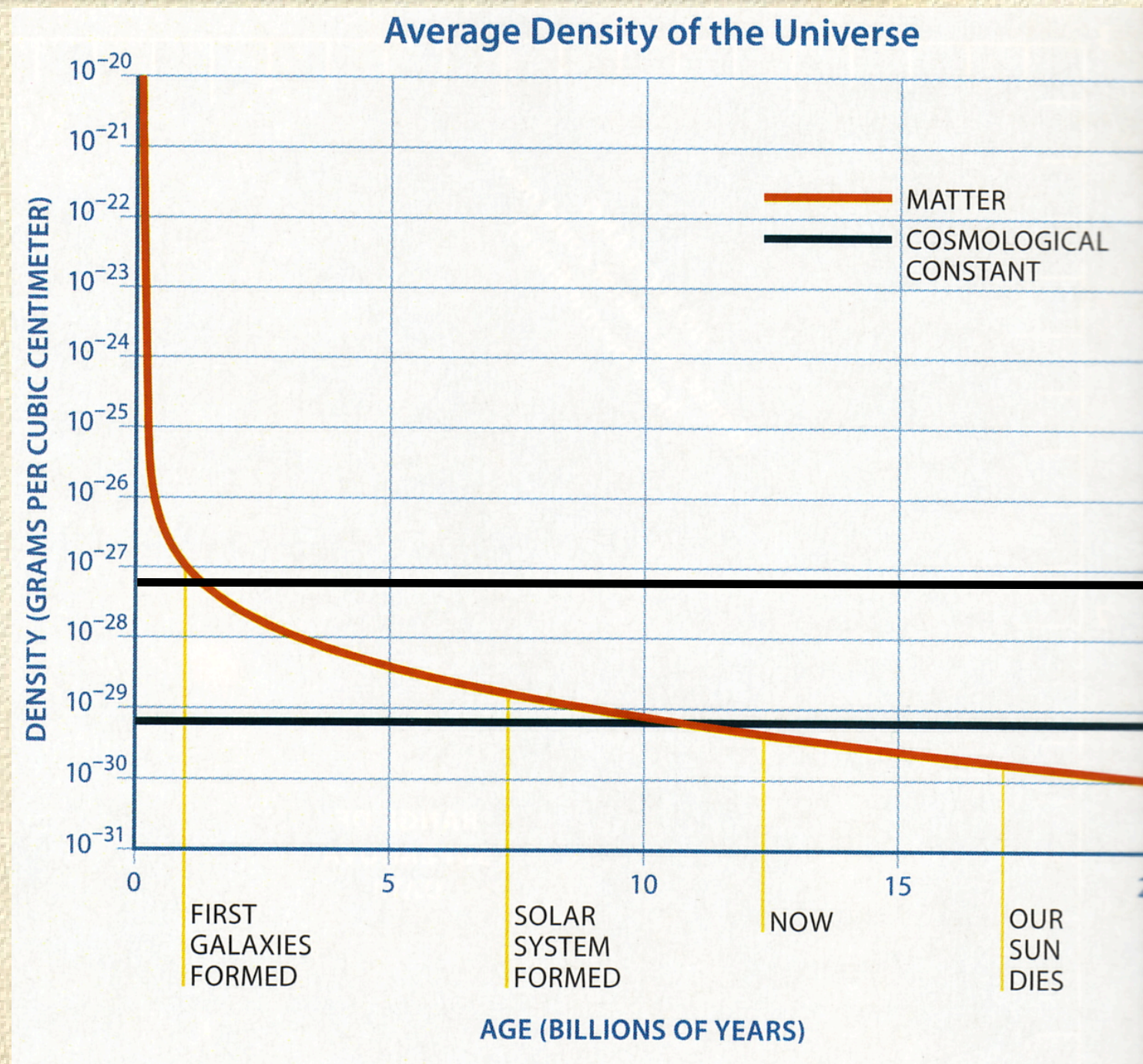
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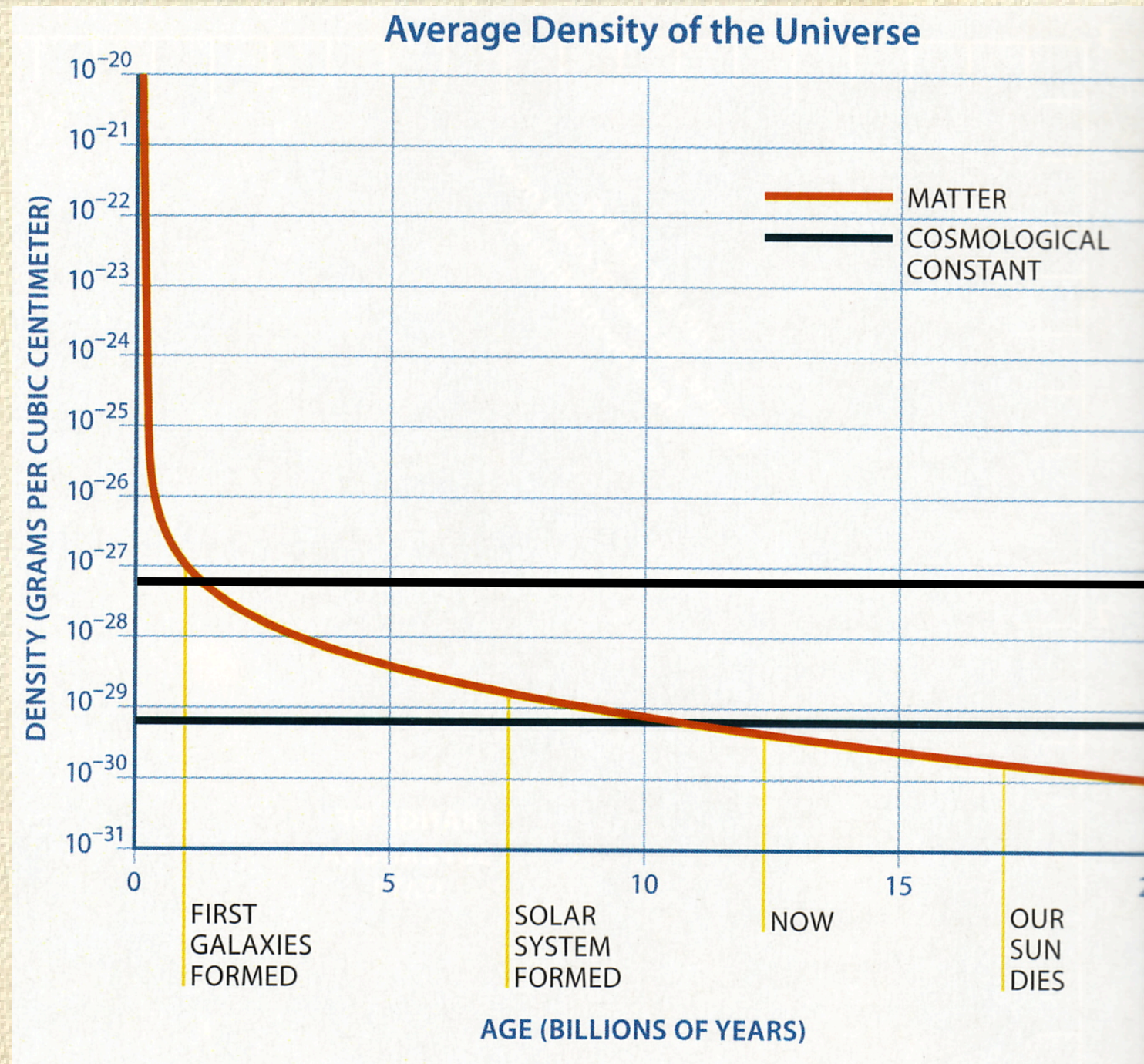
Maybe this is telling us something?



# The Bad: Dark Energy

## The End of Falsifiability/Science?

Galaxies  
Never  
Form?



Maybe this is telling us something?



# Anthropic Mania

---

IF there are many different universes, and the energy of empty space can vary in each one, then only those in which it is not much greater than what we measure will galaxies form... and only then will stars and planets form, and only then astronomers....

# Why Stop There?

---

The Constants of Nature and the  
Puzzles of Modern Physics



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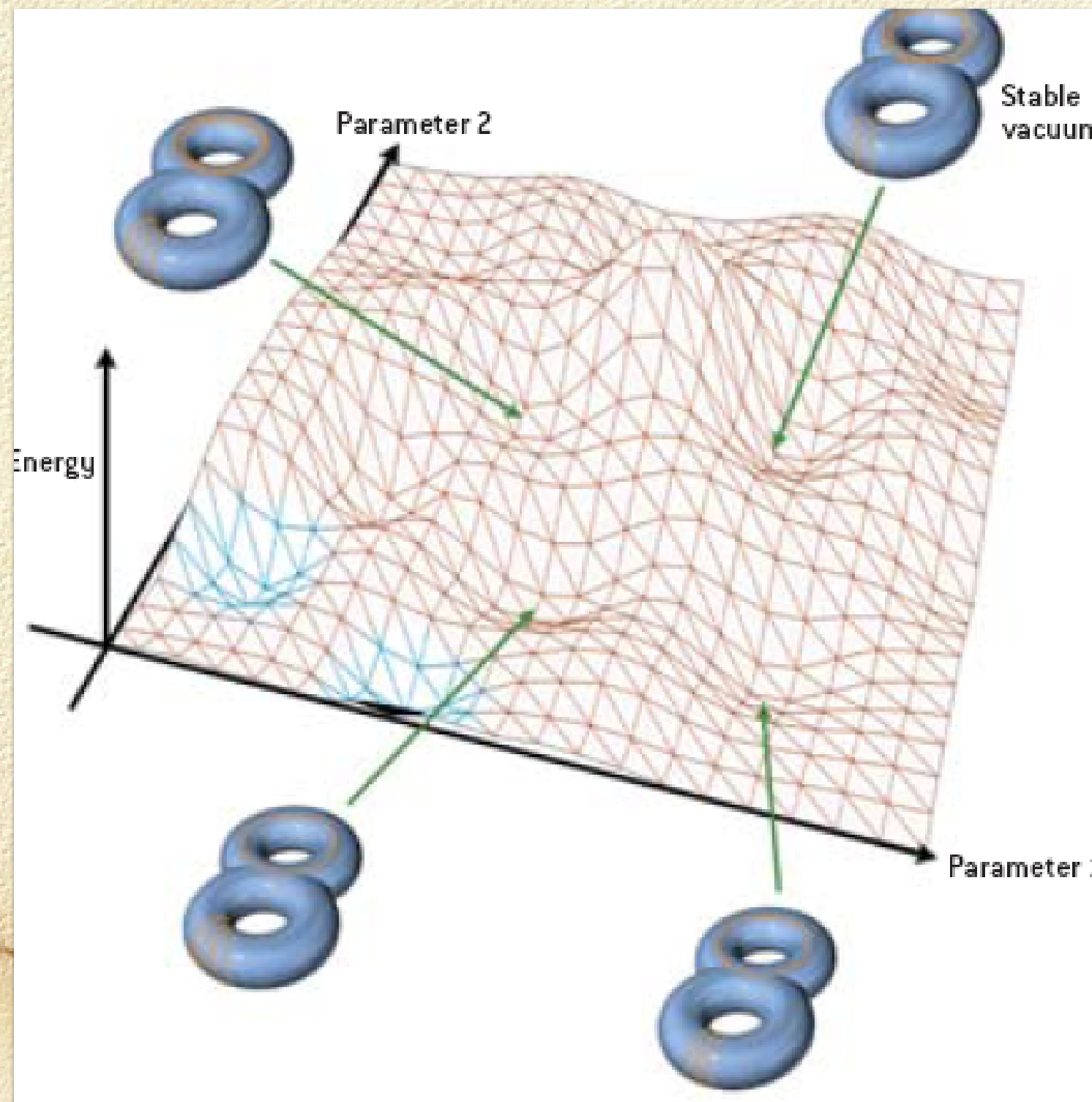
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- ....
- A theory of anything?

# The Landscape of Nothingness





# The Fundamental Anthropic Problems?

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- An idea based on ignorance



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- One never knows what the set of possibilities is.
- It is never compelling, only suggestive.
- It has been wrong before!



# Which is the best Anthropic Measure?

---



# Which is the best Anthropic Measure?

---

VASTLY DIFFERENT RESULTS  
DEPENDING UPON CHOICE!





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VASTLY DIFFERENT RESULTS  
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$$P = \delta (x - \text{img})$$



# Limits to Growth?

---

LMK, GDS 04



# Limits to Growth?

---

LMK, GDS 04

We Can Calculate the Total Recoverable  
Energy with the Horizon:

# Limits to Growth?

---

LMK, GDS 04

We Can Calculate the Total Recoverable Energy with the Horizon:

$$E_{\max}(R^*) = \int_0^{R^*} 4\pi R^2 dR \rho_M(R) \frac{E_a(R)}{E_e(R)} = \frac{4\pi}{3} R^{*3} (\Omega_m \rho_c) [1 - (HR^*)]^3$$



# Limits to Growth?

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LMK, GDS 04

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Total Energy  $\approx 3 \times 10^{67}$  Joules  
 $\approx$  total baryonic rest mass within today's horizon.

# Hawking's Revenge

---



# Hawking's Revenge

---

- To Process information down a noisy channel requires minimum energy

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---

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- Hawking temperature provides a lower floor



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$$\text{Information Processed} \leq E_{\max} = \frac{\pi \Omega_m \ln 2}{64 G H^2} = 2 \times 10^{120} .$$

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Moore's Law < 400 Years!  
High Tech Civilizations don't last long?



# A Different Anthropic Measure?

---

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LIVED UNIVERSE!
- Favors a cosmological constant  $< 10^{-4}$  present  
value...





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# Can Anthropic Principle “Explain” Lambda?

---

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As currently framed: just  
demonstrates correlations..



# Typicality is Everything!!

IM, LMK, GDS 07

---

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IM, LMK, GDS 07

---

What Really Matters is



# Typicality is Everything!!

IM, LMK, GDS 07

---

What Really Matters is

$$R \equiv \frac{P(\Lambda|\text{life})}{P(\neg\Lambda|\text{life})}$$

# Typicality is Everything!!

IM, LMK, GDS 07

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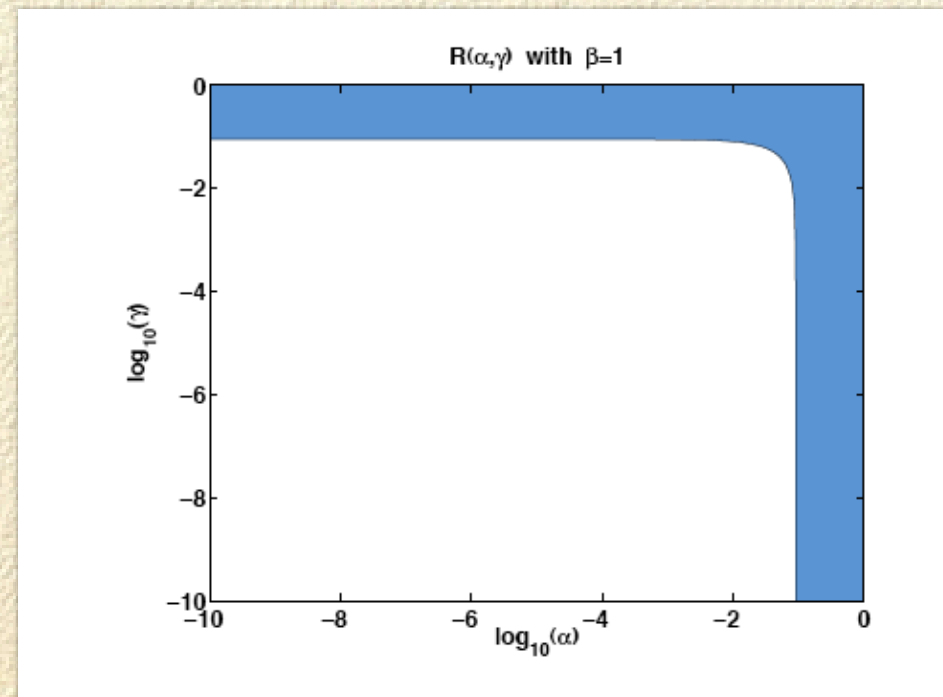
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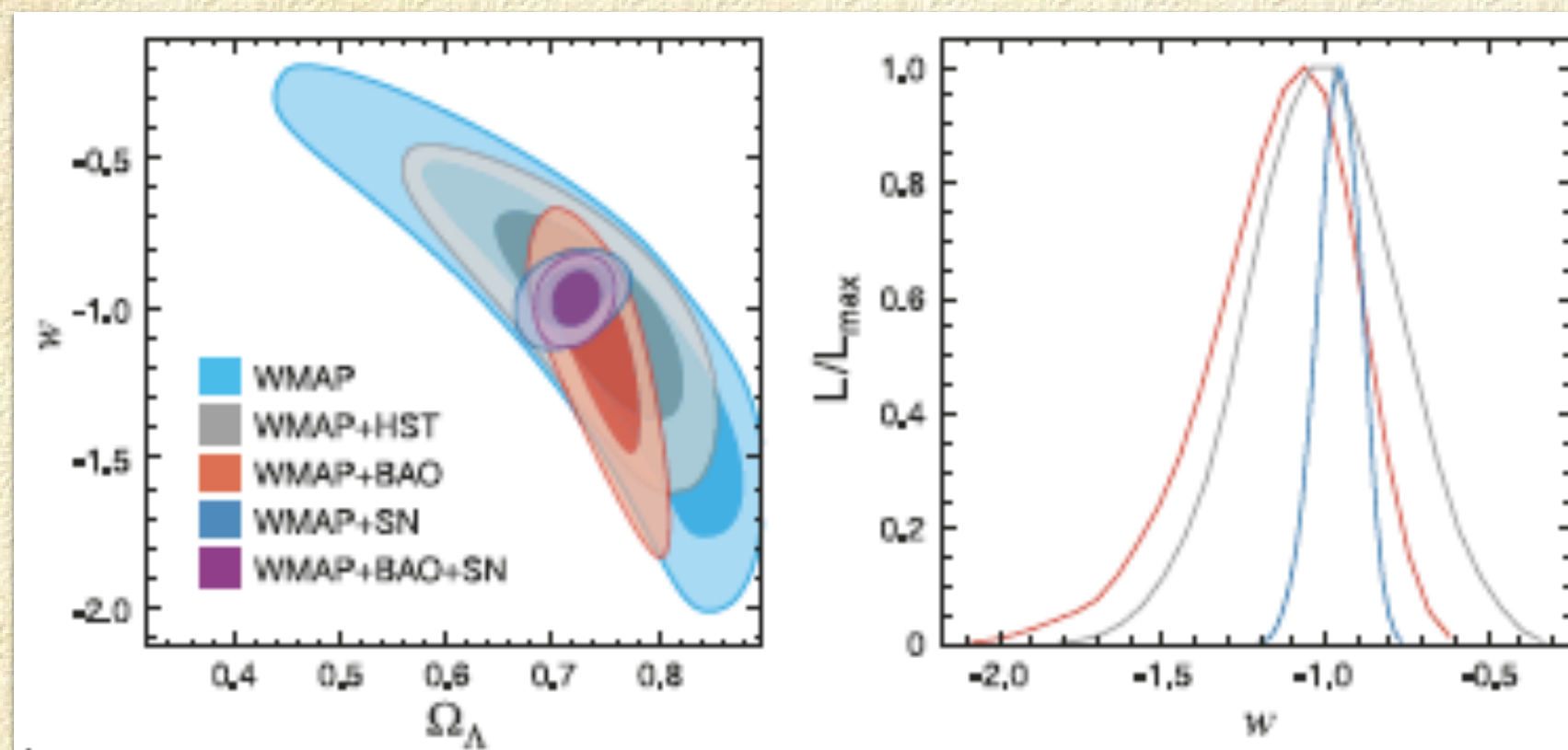
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- The most reasonable theoretical prediction is  $w=-1$ , via a cosmological constant.
- Observations suggest  $w \approx -1$
- Measuring  $w \approx -1$  therefore tells us nothing.

---

# The End of an Era?









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- existing limits  $-1.2 < w < -0.8^*$  already rule out many alternative models. How much better can we do.. with existing theoretical uncertainties and expected observational accuracy?
- The PROBLEM: We DON'T HAVE ANY IDEA of  $w(z)$ . Hence limits on  $w=\text{constant}$  are not appropriate.

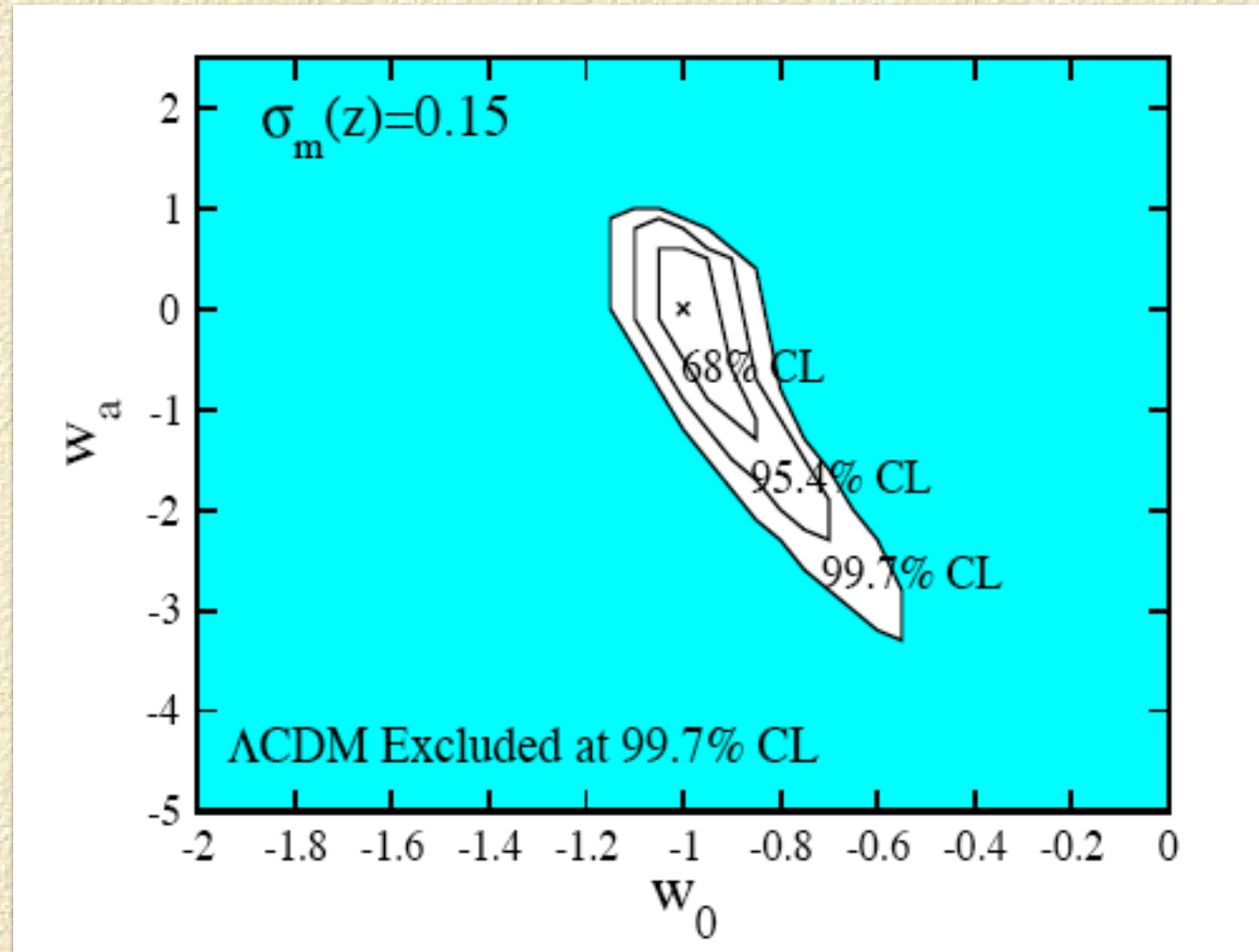




□ 3000 SN ..LMK, D.H. K.J-S 07

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3000 SN ..LMK, D.H. K.J-S 07





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Pure theory required?

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Betting on the future!



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What will the future bring?:



# Our Island Universe....

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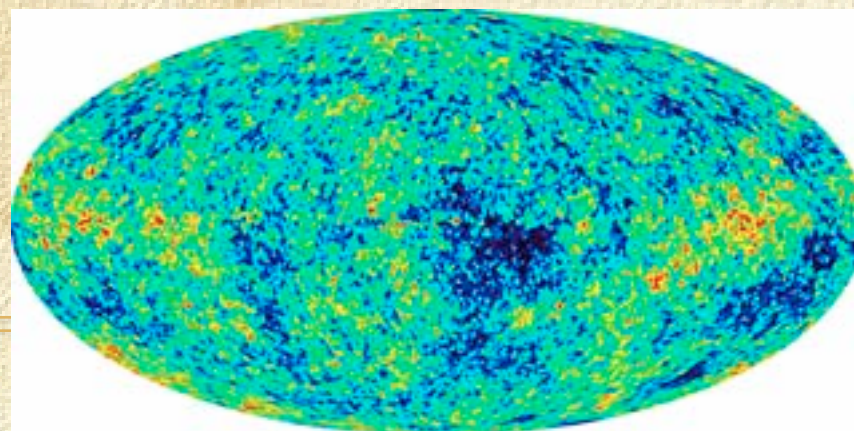
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$$\rho_\Lambda \ll \rho_M, \text{ but also when } \rho_\Lambda \gg \rho_M.$$











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- CMB not permeate the galaxy.
- achieved when universe less than 50 times its present age..





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  7. What about finite past?

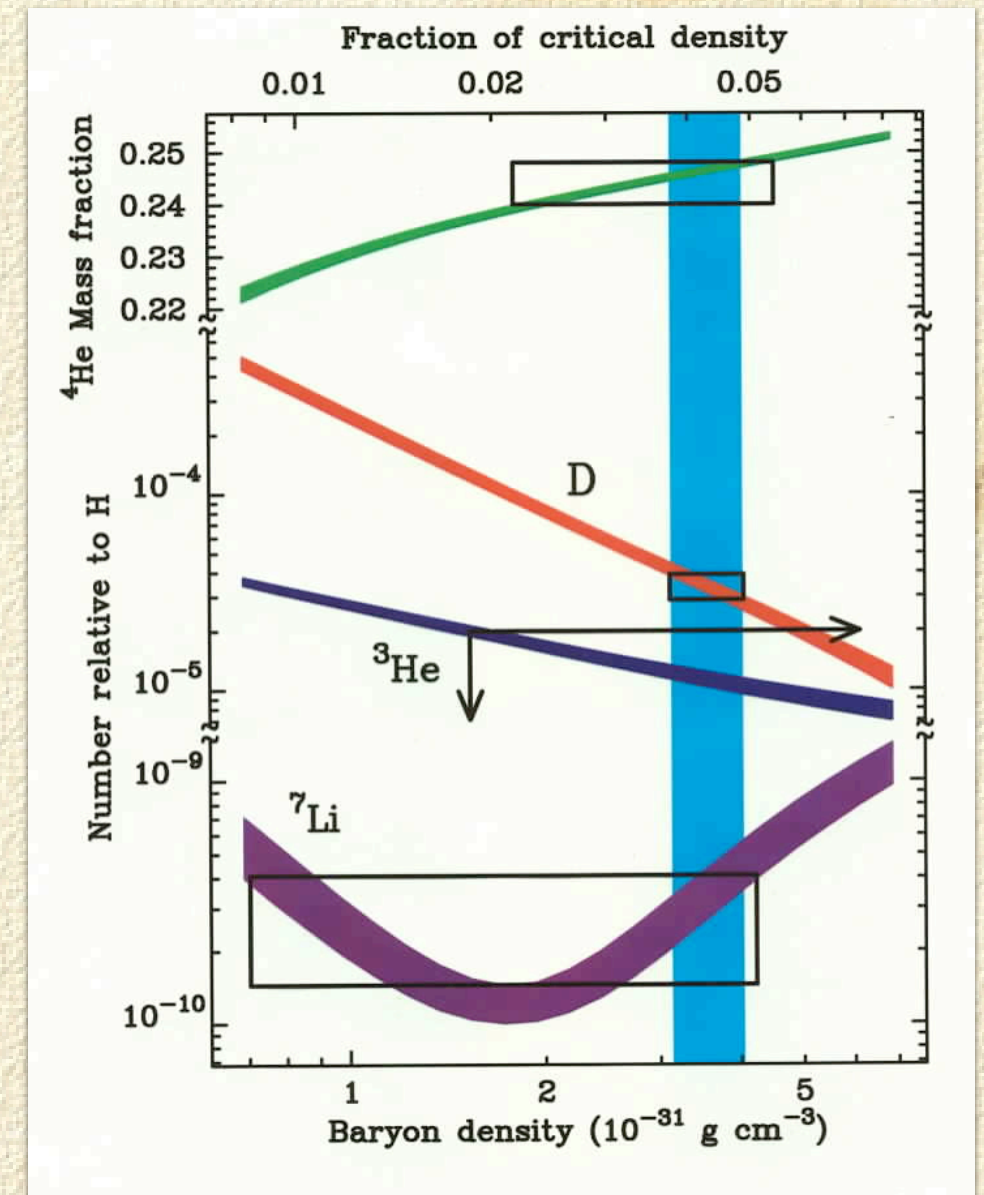




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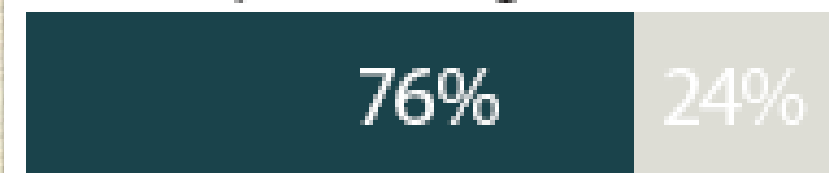
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■ Hydrogen    ■ Helium  
■ Elements heavier than helium

### Big Bang

Nucleosynthesis right after



### Present Day

Abundances in the sun



### 1 Trillion Years

A heavy future





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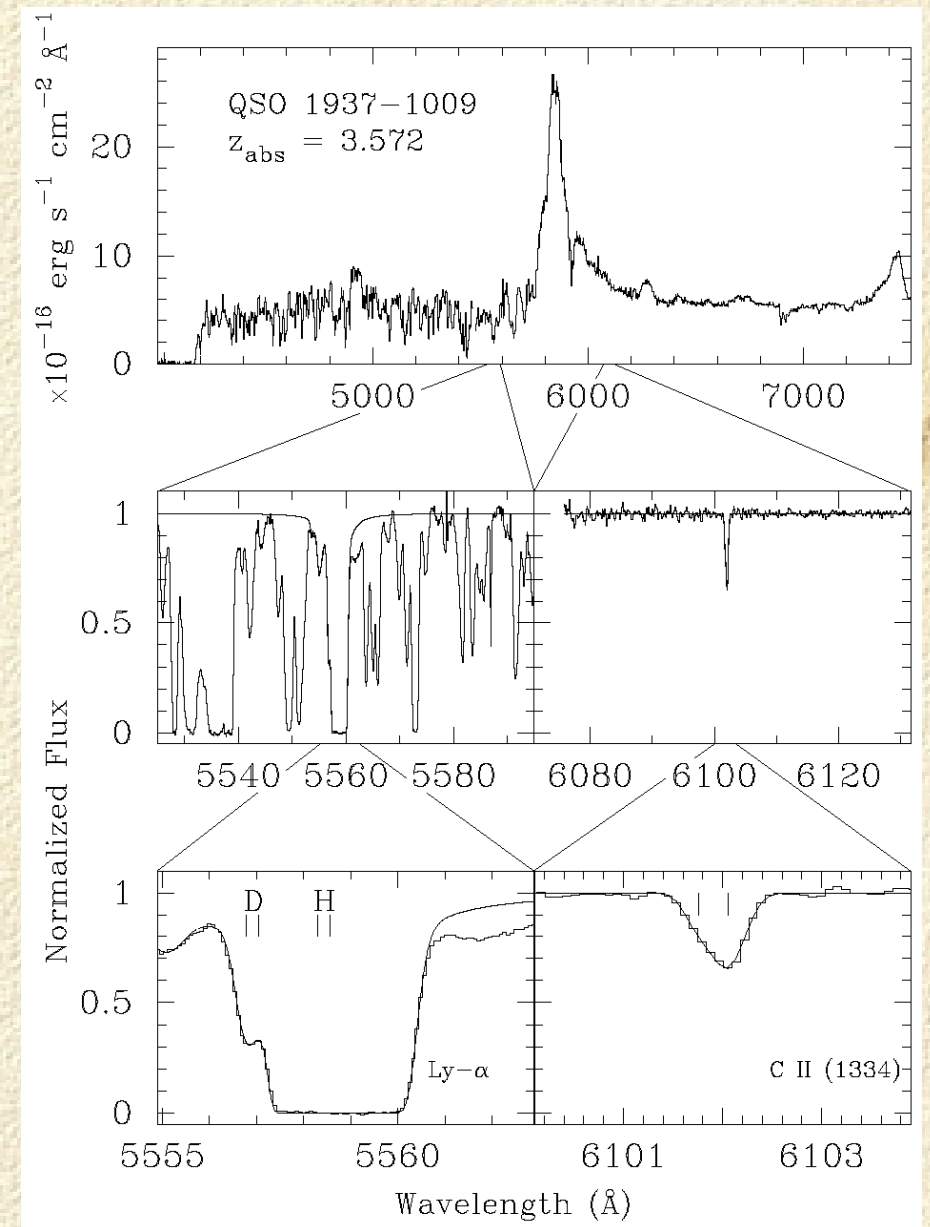
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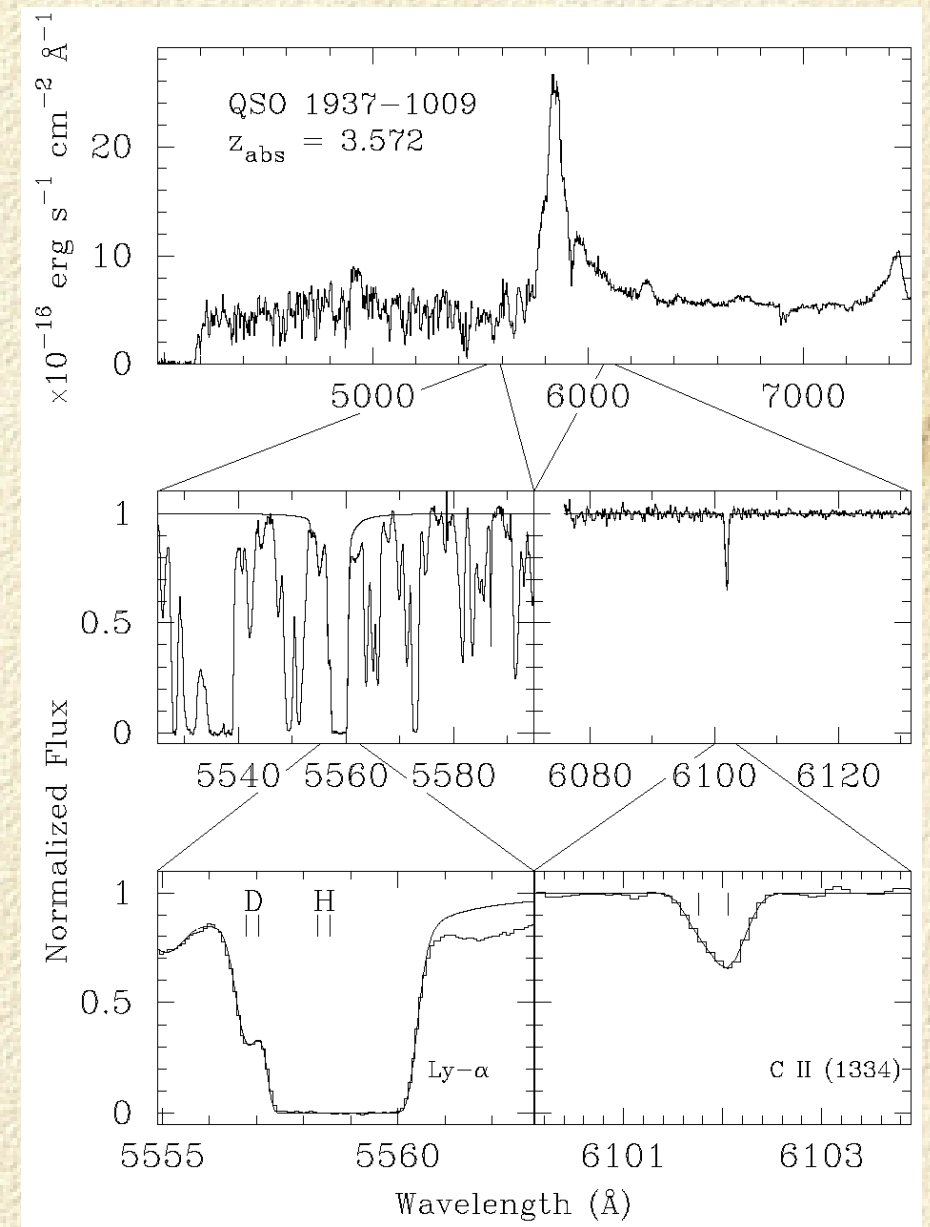
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No evidence of primordial big bang  
production!





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# FALSIFIABLE SCIENCE: Return of Static Universe!

# The Good News

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# The Good News

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We live in a very special time: the only time when we can observationally verify that we live at a very special time!

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More important, although we are certainly fortunate to live at a time when the observational pillars of the big bang are all detectable, we can easily envisage that other fundamental aspects of the universe are unobservable today. What have we already lost? Rather than being self-satisfied, we should feel humble. Perhaps someday we will find that our current careful and apparently complete understanding of the universe is seriously wanting. ■



# THE GOOD:

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Golden Era of Observational  
Cosmology has changed everything.  
New observations have a realistic  
chance of probing nature on  
heretofore unimaginable scales.



# THE BAD:

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# THE BAD:

---

Fundamental Limits on science may  
be looming

# THE UGLY?:

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# THE UGLY?:

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The nature of fundamental  
science may change

# THE UGLY?:

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The nature of fundamental  
science may change  
or end





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We will be lonely and ignorant,  
but dominant.....