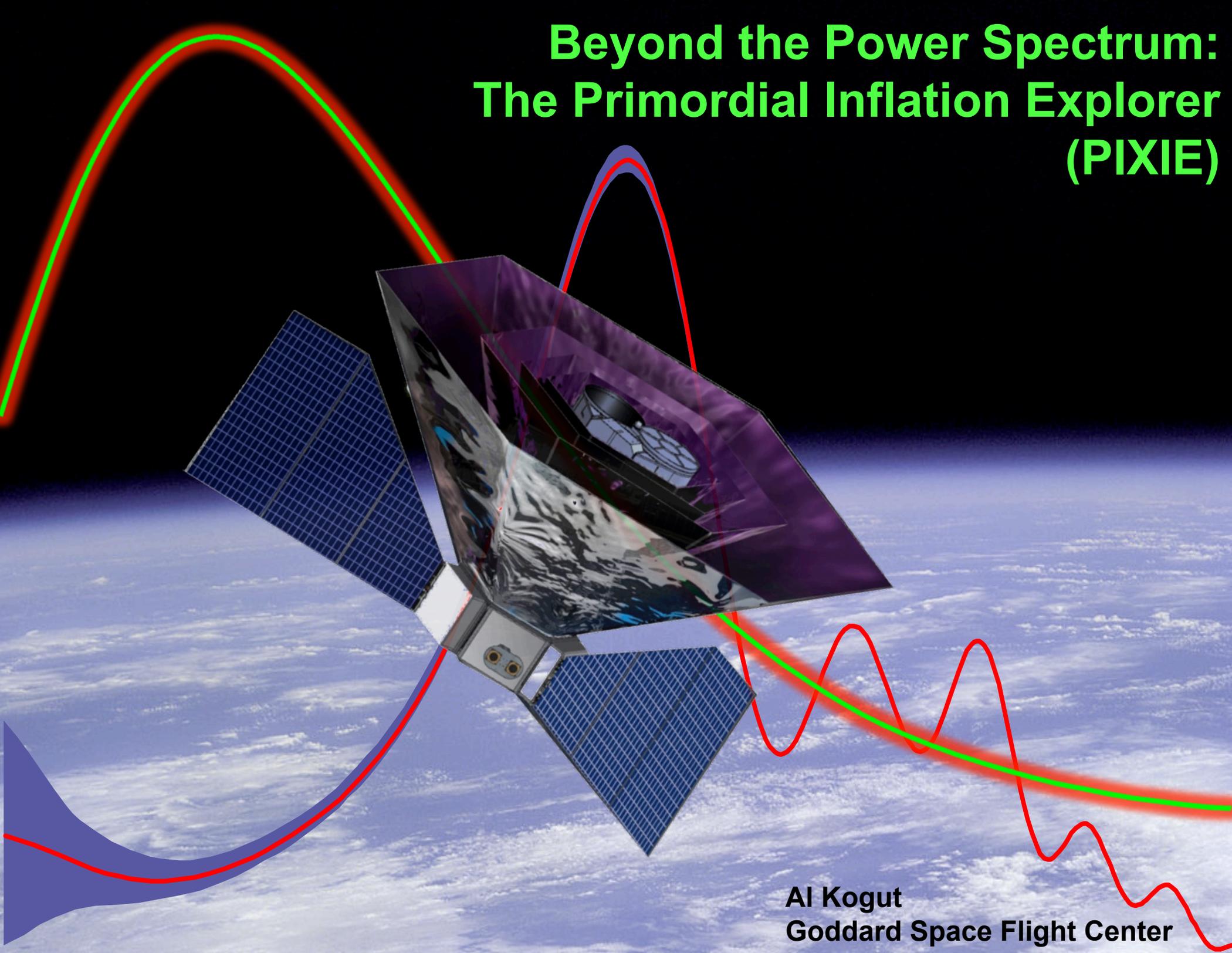
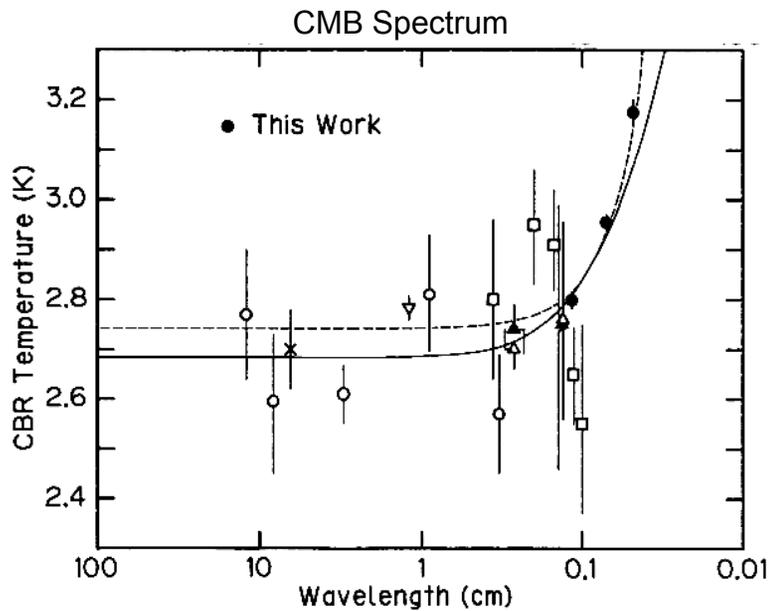


Beyond the Power Spectrum: The Primordial Inflation Explorer (PIXIE)



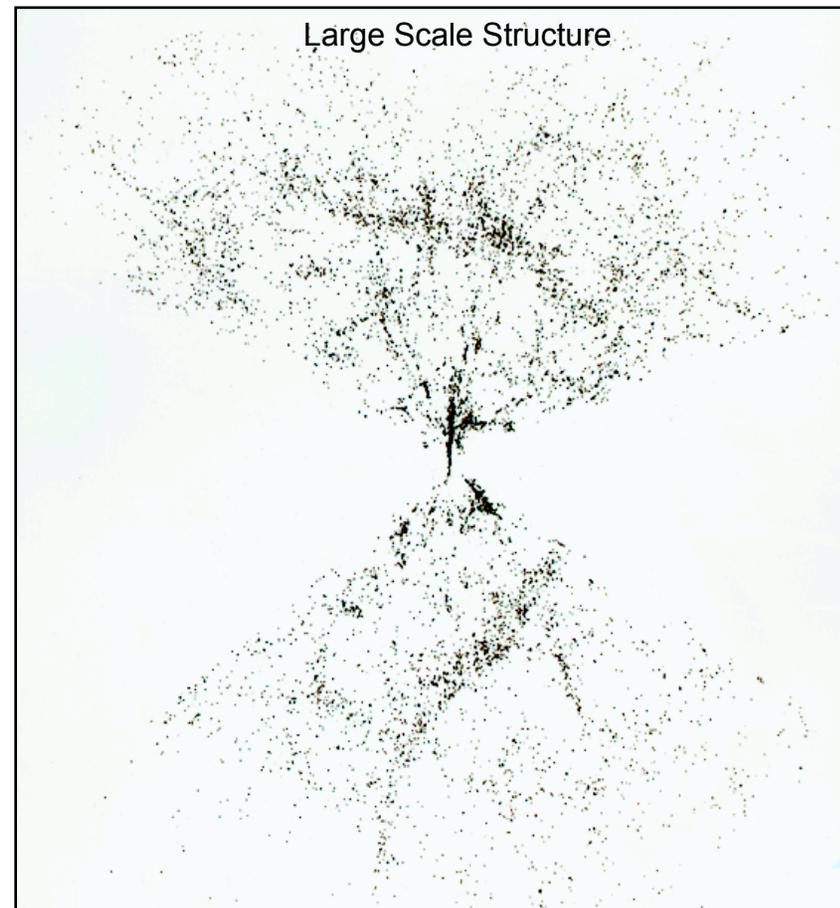
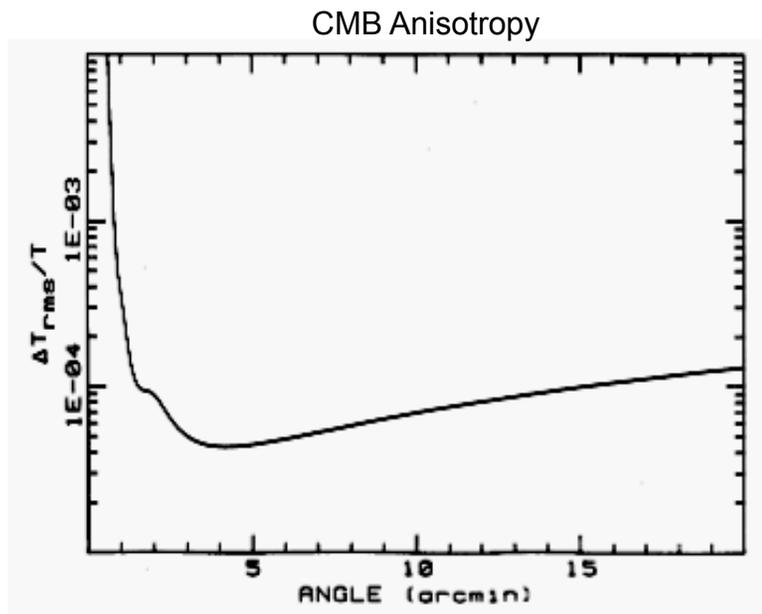
Al Kogut
Goddard Space Flight Center

Cosmology at the Dawn of the Chalonge School

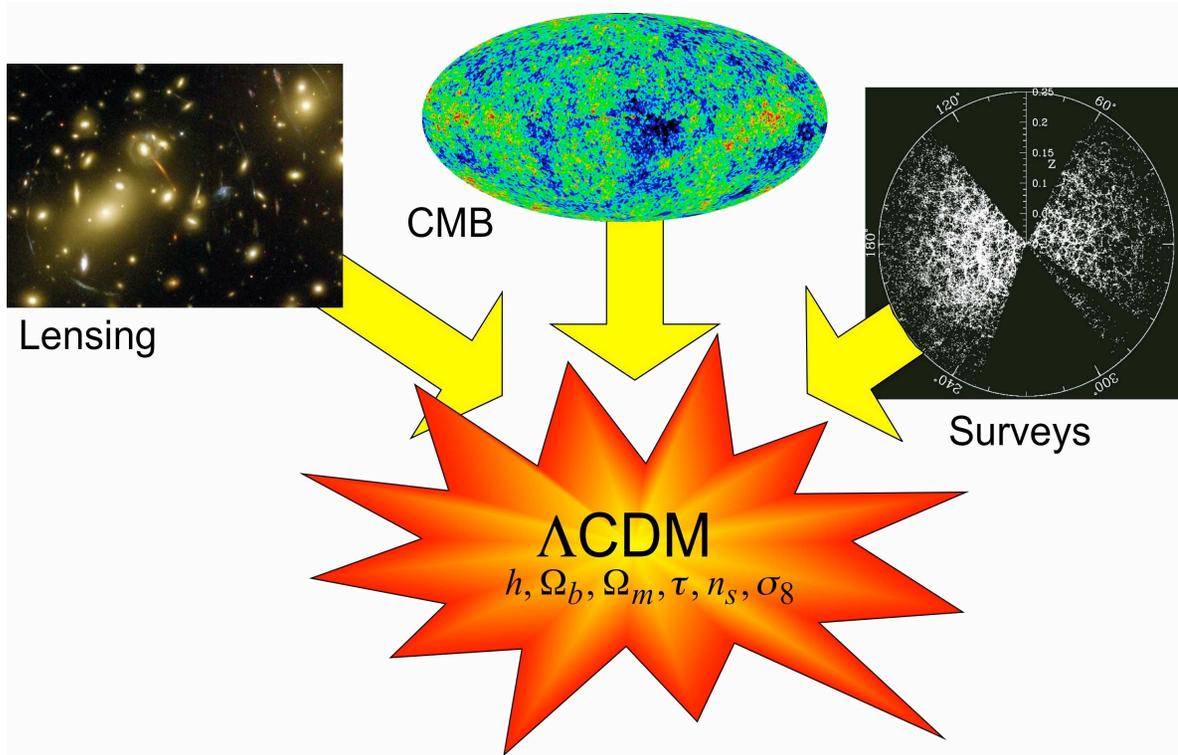


More Questions Than Answers (or data!)

- CMB spectrum: Blackbody (maybe)
- CMB anisotropy: A moving target?
- Large Scale Structure: Open universe?
- Rotation Curves: Dark matter?

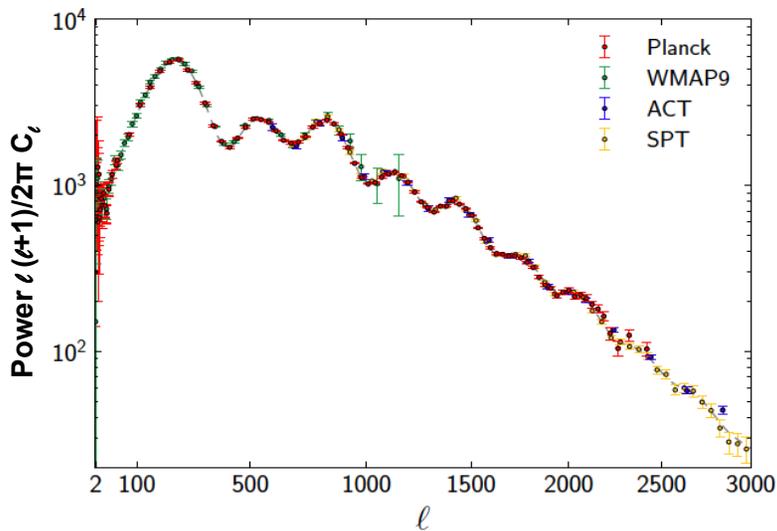


CMB and Precision Cosmology

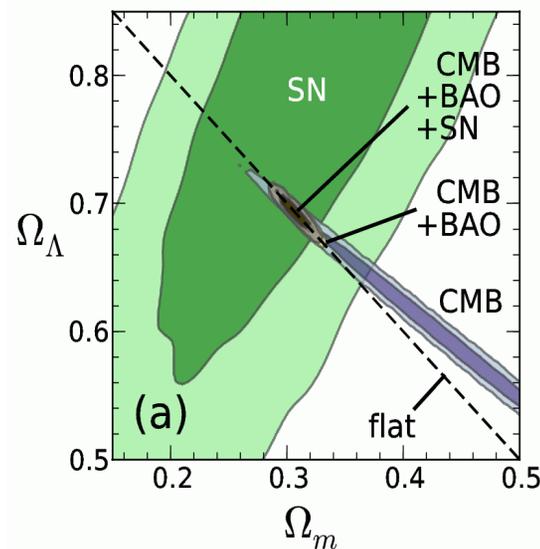


"Standard Model" for cosmology

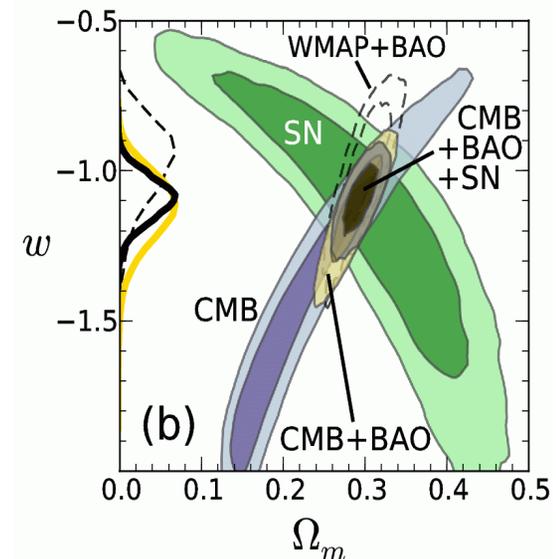
$$\begin{aligned} \Omega_b h^2 &= 0.02214 \pm 0.00024 \\ \Omega_c h^2 &= 0.1187 \pm 0.0017 \\ \Omega_\Lambda h^2 &= 0.692 \pm 0.010 \\ n_s &= 0.9608 \pm 0.0054 \\ \tau &= 0.092 \pm 0.013 \\ \sigma_8 &= 0.826 \pm 0.012 \end{aligned}$$



Consistency between CMB missions



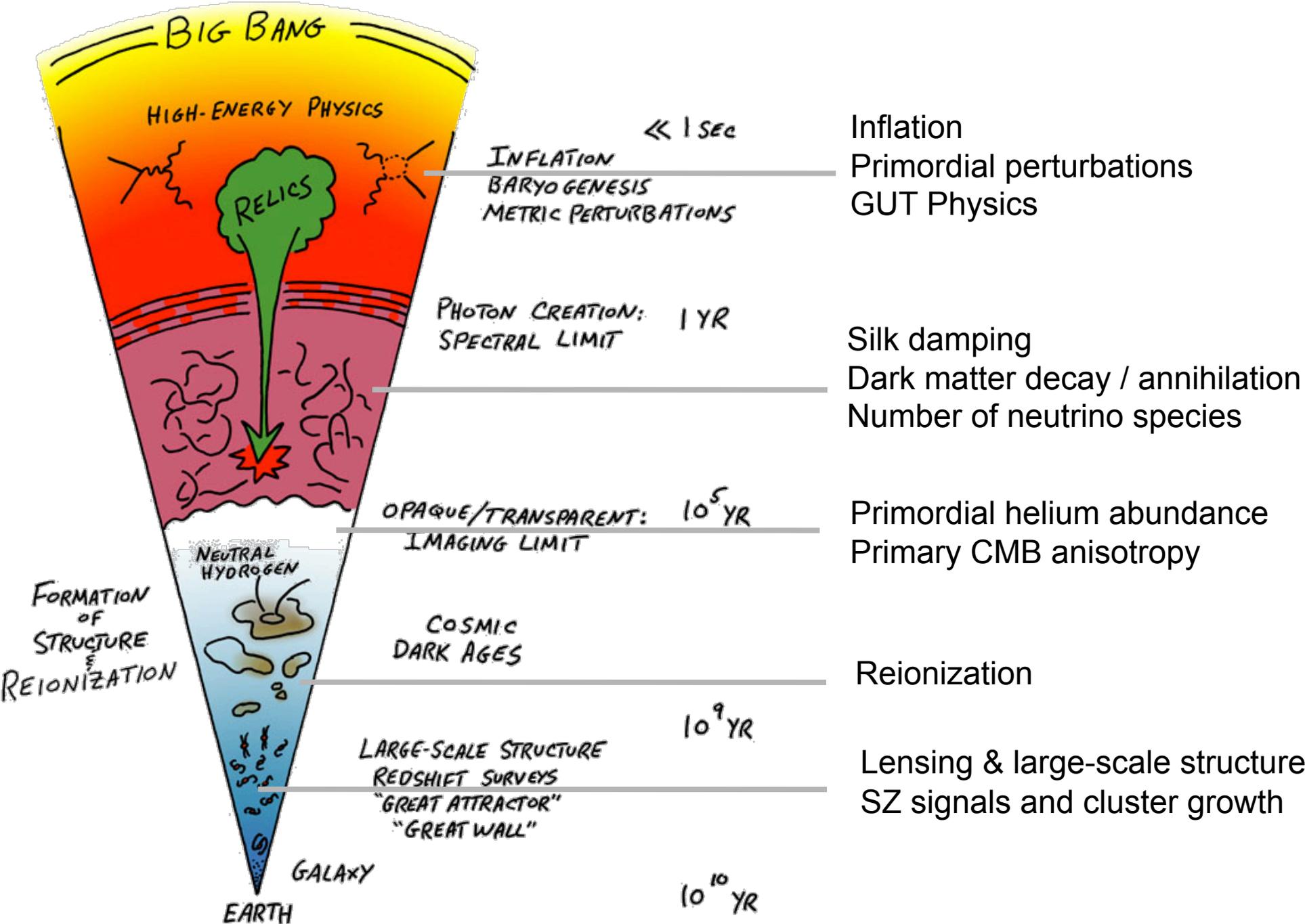
Consistency between multiple tests



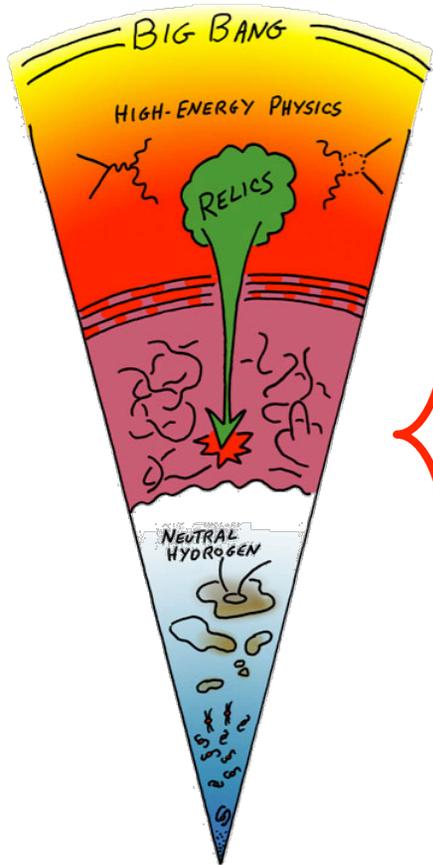
The End of Cosmology?



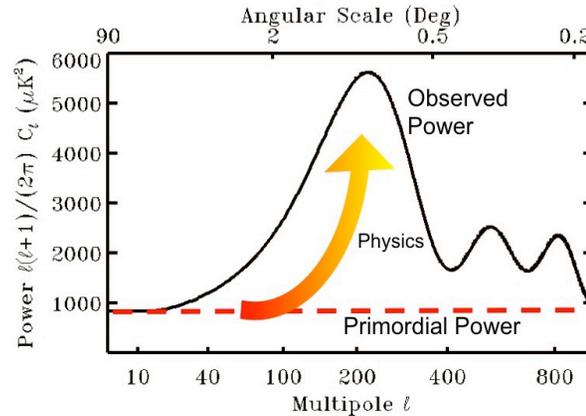
CMB: Backlight for the Universe



A Sampler of CMB Signals

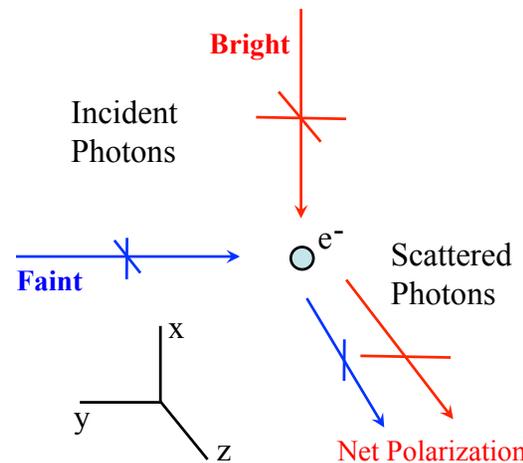


Temperature Anisotropy



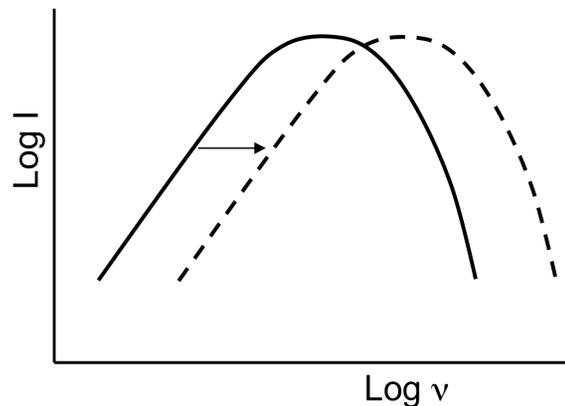
"Background" cosmology
Inflation (tensor + non-Gaussian)
Topology
Large-scale structure

Polarization



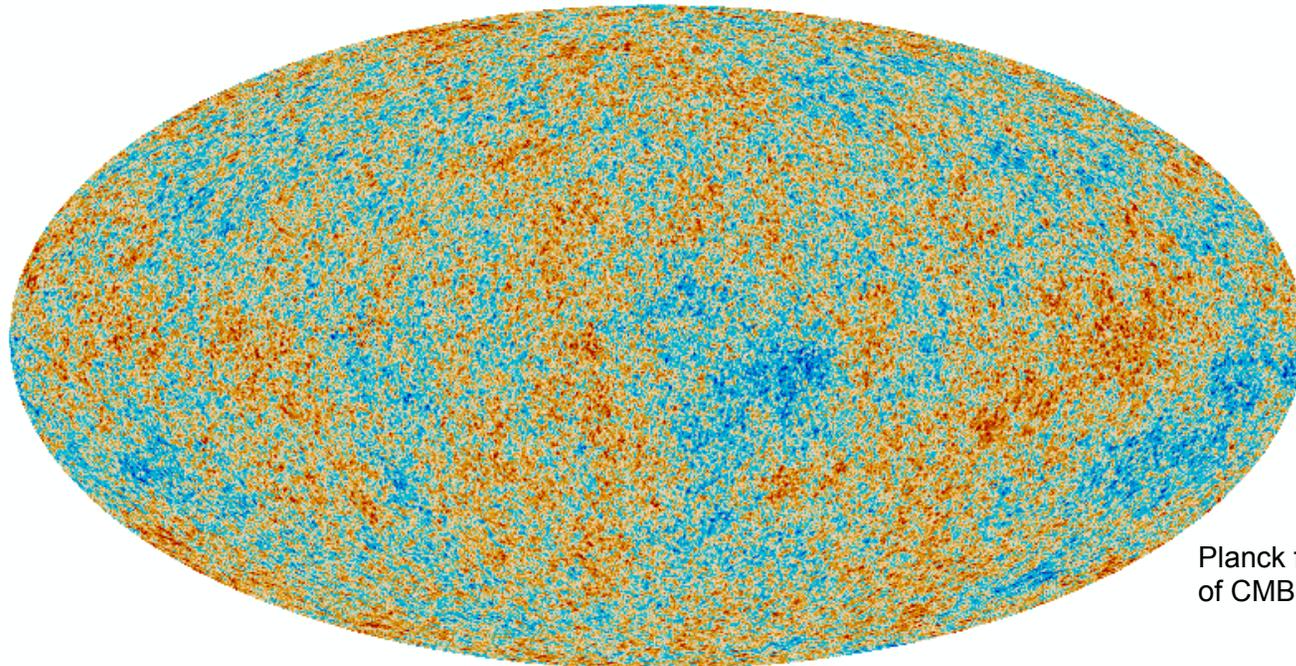
Inflation (B-modes)
"Background" cosmology (E-modes)
Neutrino physics
Reionization

Spectral Distortions



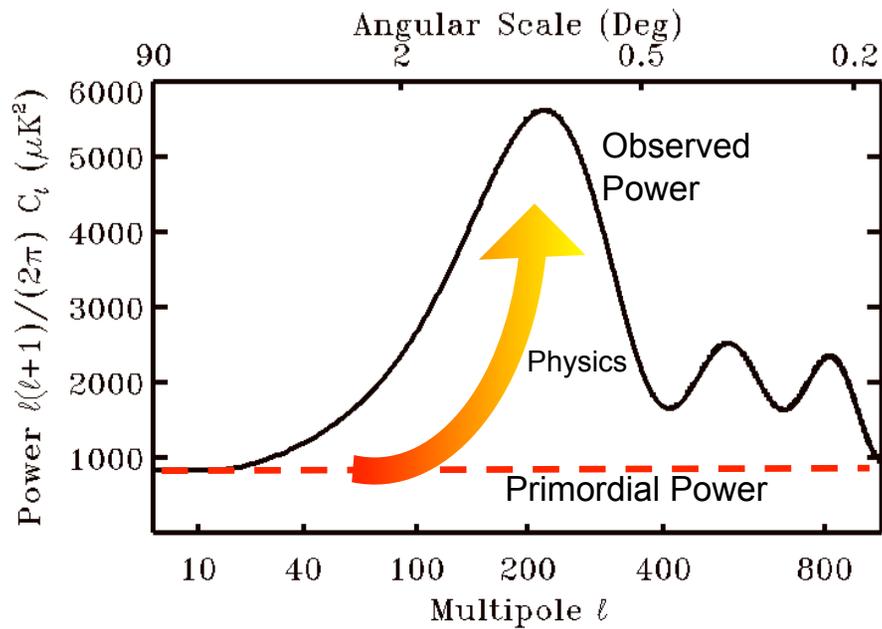
Inflation / Silk damping
Dark matter decay / annihilation
Primordial helium abundance
Reionization

CMB and Precision Cosmology



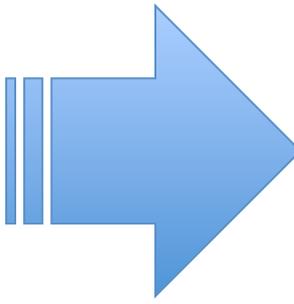
Planck full-sky map of CMB anisotropy

-500  500 μK_{CMB}

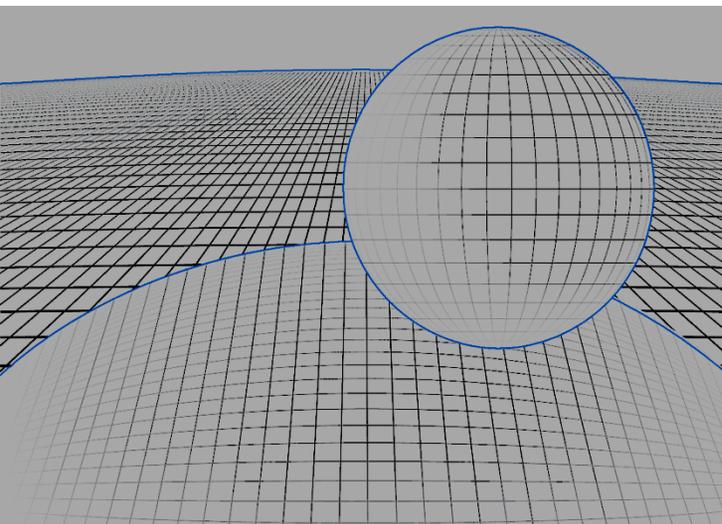


Planck-only Λ CDM Parameters

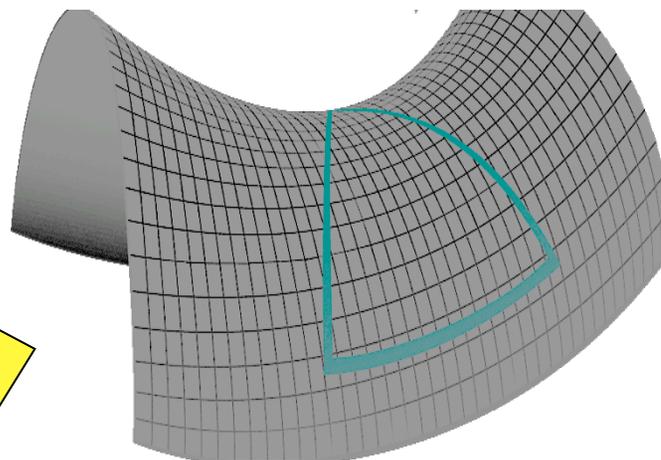
Parameter	Planck (CMB+lensing)	
	Best fit	68 % limits
$\Omega_b h^2$	0.022242	0.02217 ± 0.00033
$\Omega_c h^2$	0.11805	0.1186 ± 0.0031
$100\theta_{\text{MC}}$	1.04150	1.04141 ± 0.00067
τ	0.0949	0.089 ± 0.032
n_s	0.9675	0.9635 ± 0.0094
$\ln(10^{10} A_s)$	3.098	3.085 ± 0.057
Ω_Λ	0.6964	0.693 ± 0.019
σ_8	0.8285	0.823 ± 0.018
z_{re}	11.45	$10.8^{+3.1}_{-2.5}$
H_0	68.14	67.9 ± 1.5
Age/Gyr	13.784	13.796 ± 0.058
$100\theta_s$	1.04164	1.04156 ± 0.00066
r_{drag}	147.74	147.70 ± 0.63
$r_{\text{drag}}/D_V(0.57)$	0.07207	0.0719 ± 0.0011



Inflation and CMB Polarization

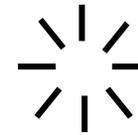


Inflating Space-Time ...

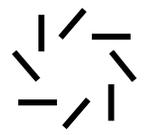


Creates Gravitational-Wave Background ...

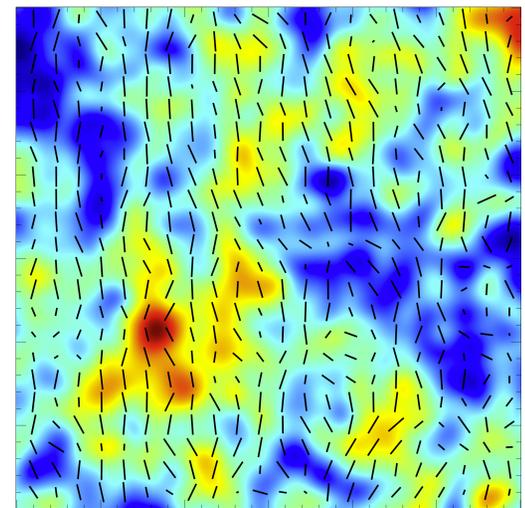
$$V^{1/4} = 10^{16} \text{ GeV} \left(\frac{r}{0.01} \right)^{1/4}$$



E Modes
Even Parity



B Modes
Odd Parity

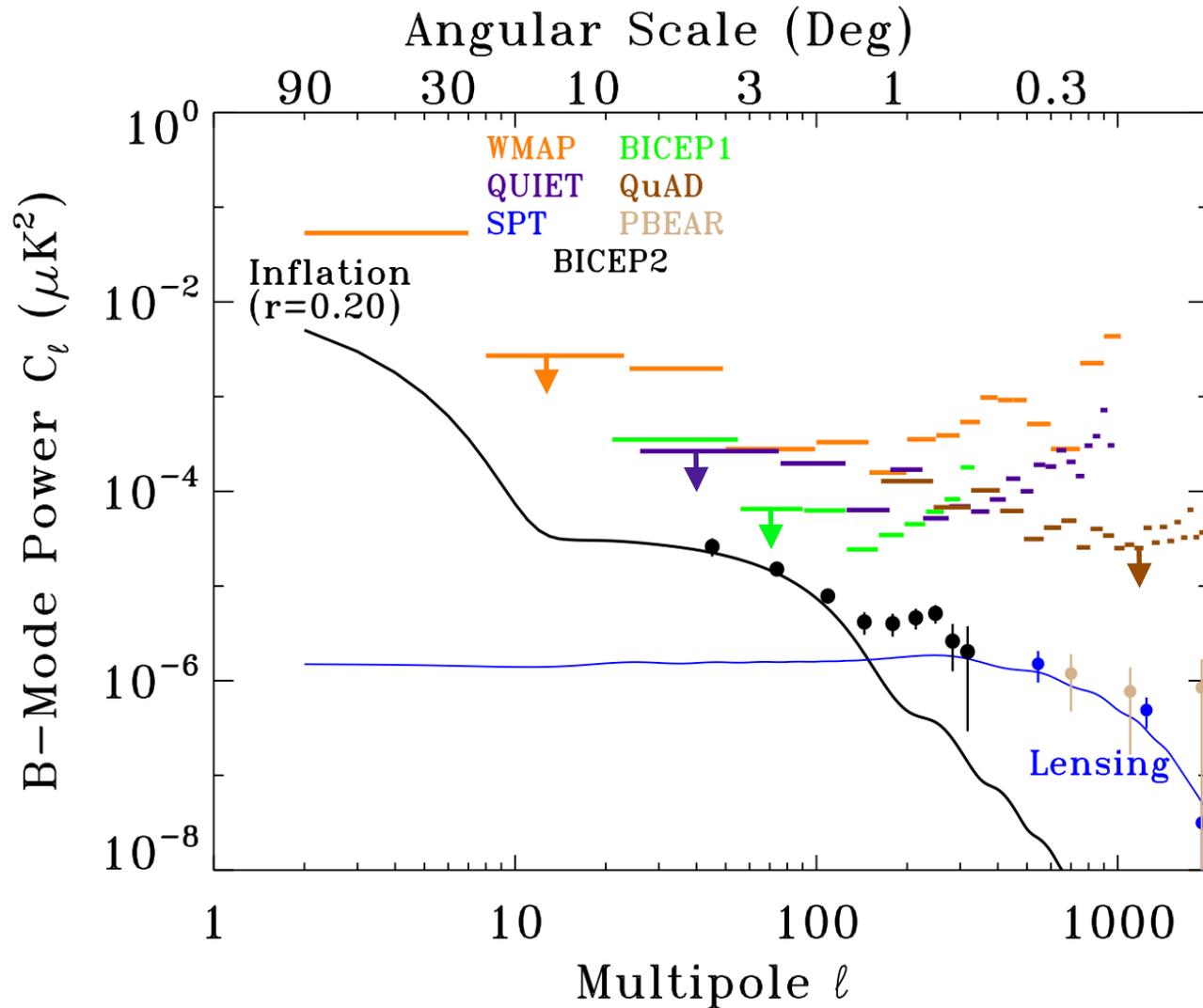


Which Sources
CMB Polarization

**B-Mode Polarization:
“Smoking Gun” Signature of Inflation**

Polarization Status 2014

Parameter r = ratio of tensor (B-mode) to scalar (unpolarized) power



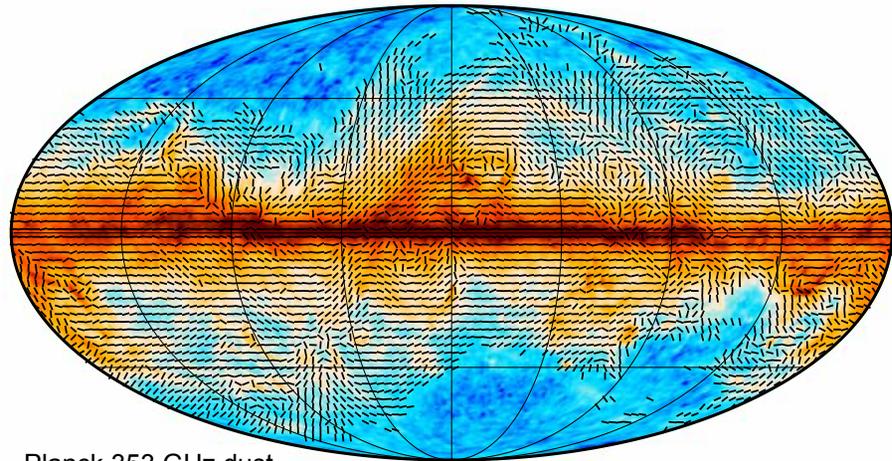
Generally consistent with
lensing at small scales
+
inflation at degree scales

BUT ...

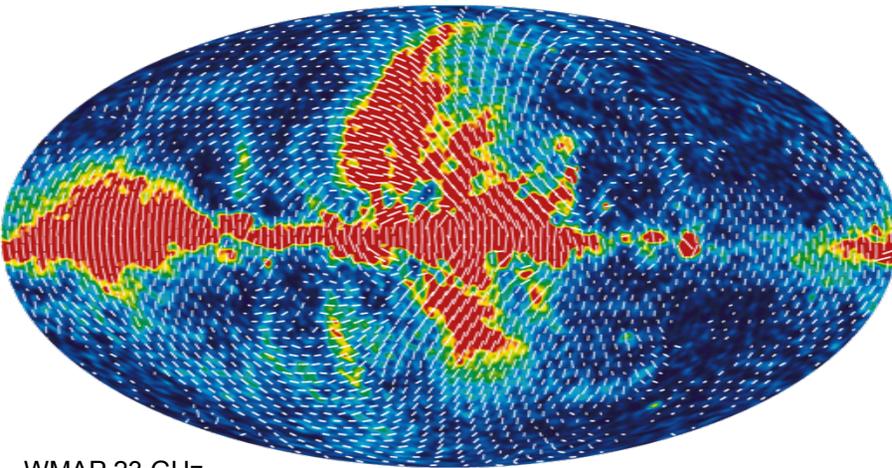
B-mode amplitude $r=0.2$
conflicts with
upper limits $r < 0.11$
from unpolarized data

Possible contribution from Galactic dust foreground?

Polarized Foregrounds



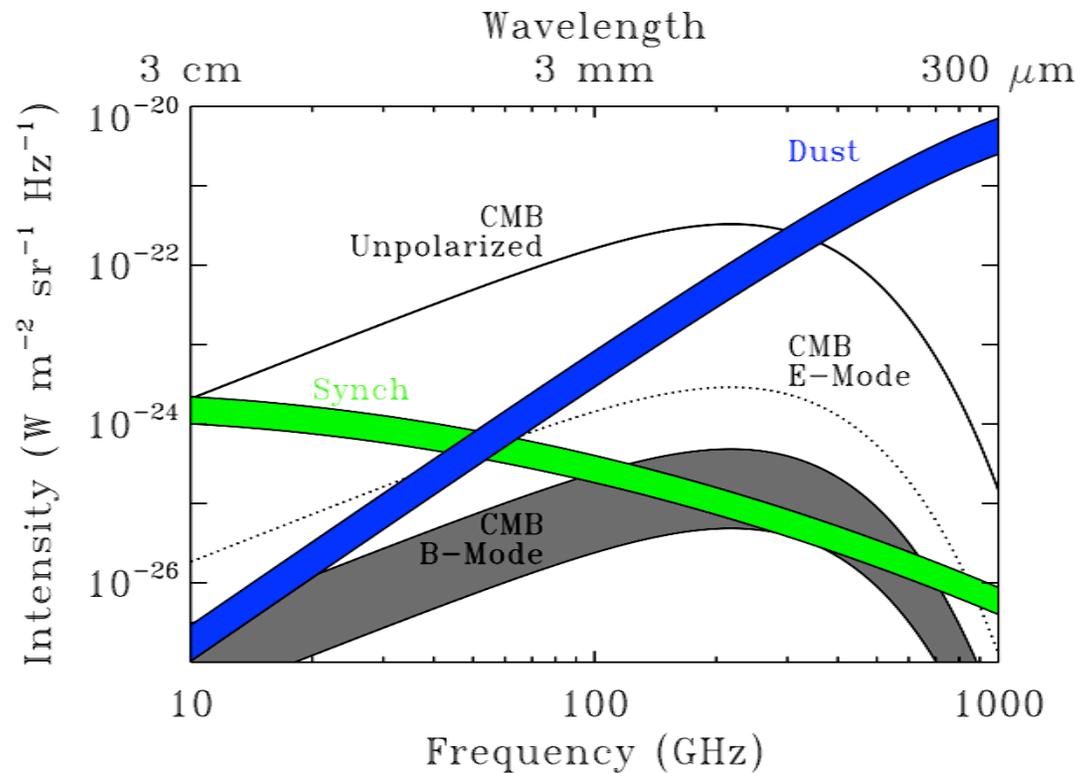
Planck 353 GHz dust



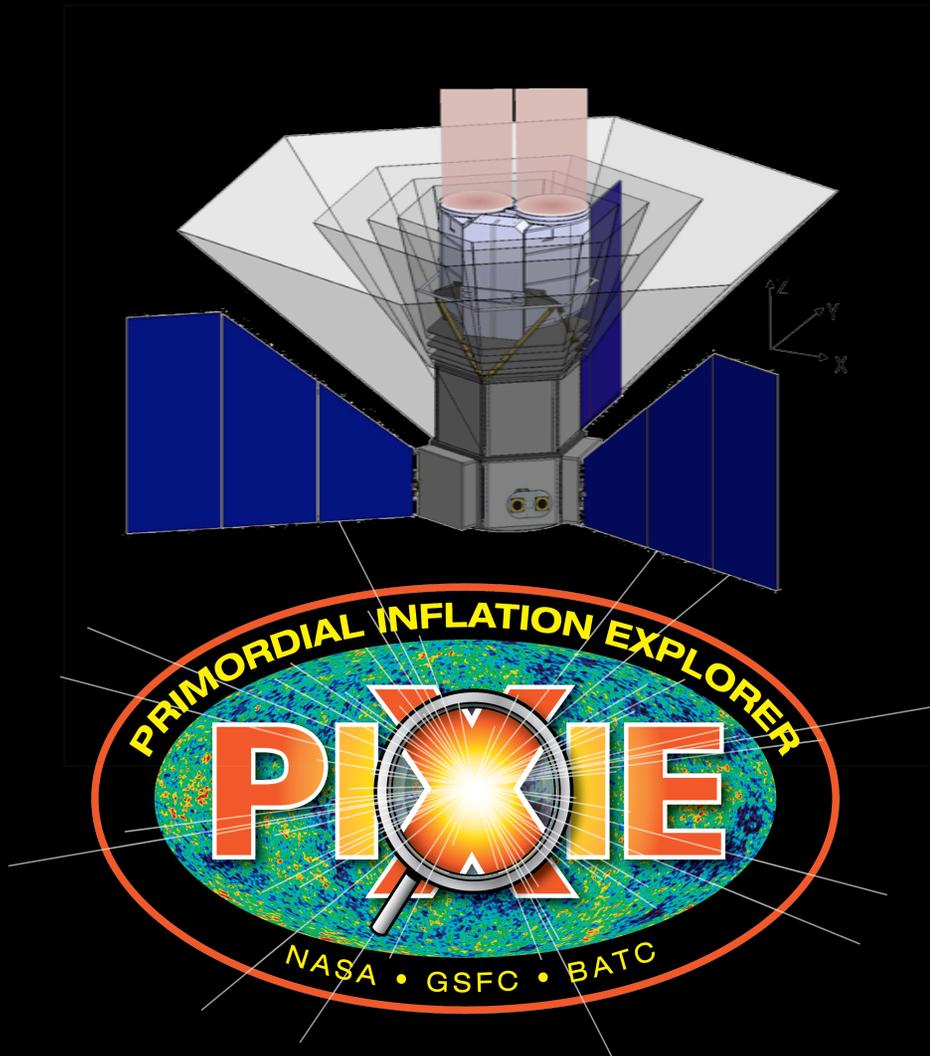
WMAP 23 GHz
synchrotron

Separate CMB from foreground emission

- Multiple frequency channels
- High sensitivity
- Control instrumental signature



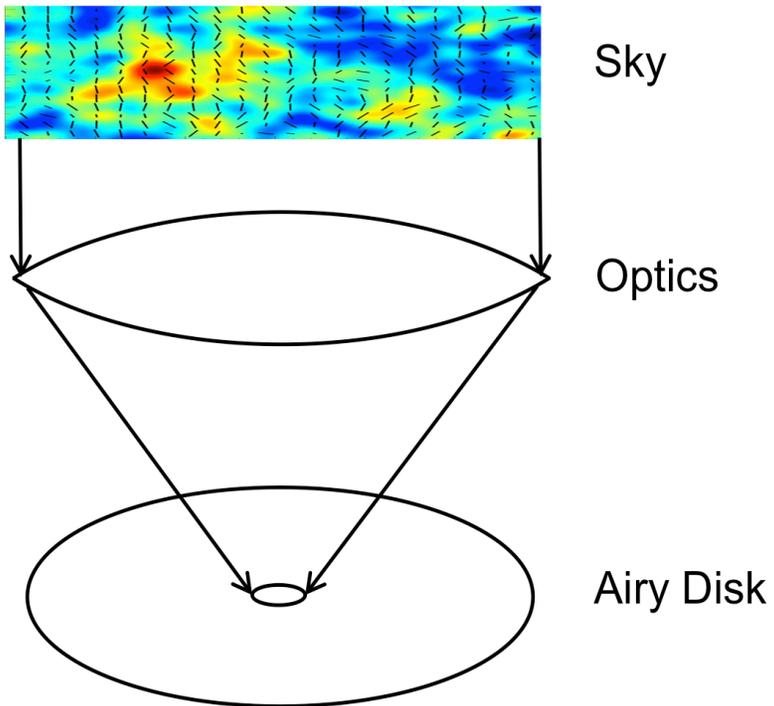
Primordial Inflation Explorer



Name	Role	Institution
A. Kogut	PI	GSFC
D. Fixsen	IS	UMD
D. Chuss	Co-I	GSFC
J. Dotson	Co-I	ARC
E. Dwek	Co-I	GSFC
M. Halpern	Co-I	UBC
G. Hinshaw	Co-I	UBC
S. Meyer	Co-I	U. Chicago
H. Moseley	Co-I	GSFC
M. Seiffert	Co-I	JPL
D. Spergel	Co-I	Princeton
E. Wollack	Co-I	GSFC

Characterize B-Mode Power Spectrum (and More!)

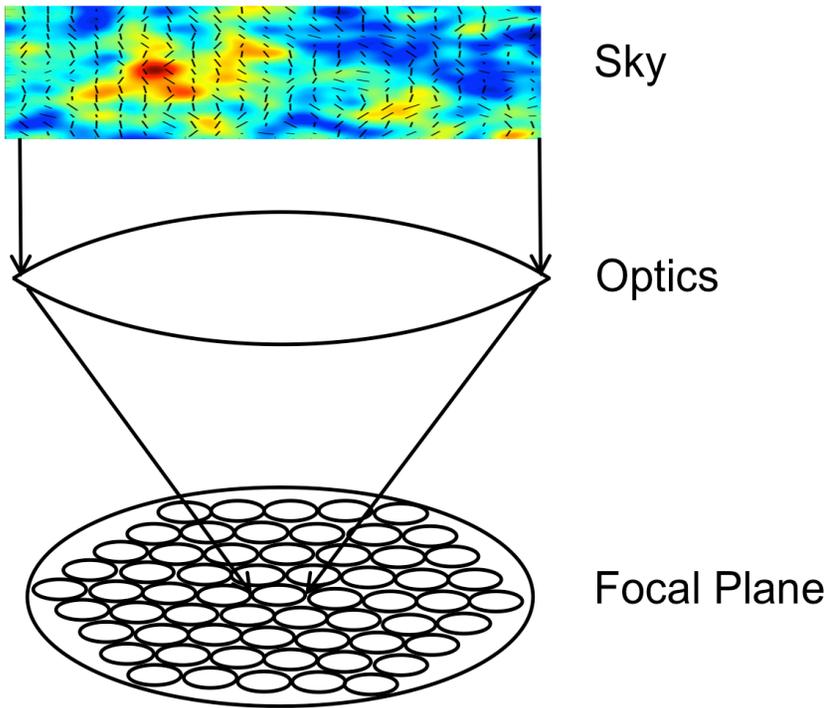
Optical Design for CMB



Conventional
Focal Plane

Single-Moded Pixel

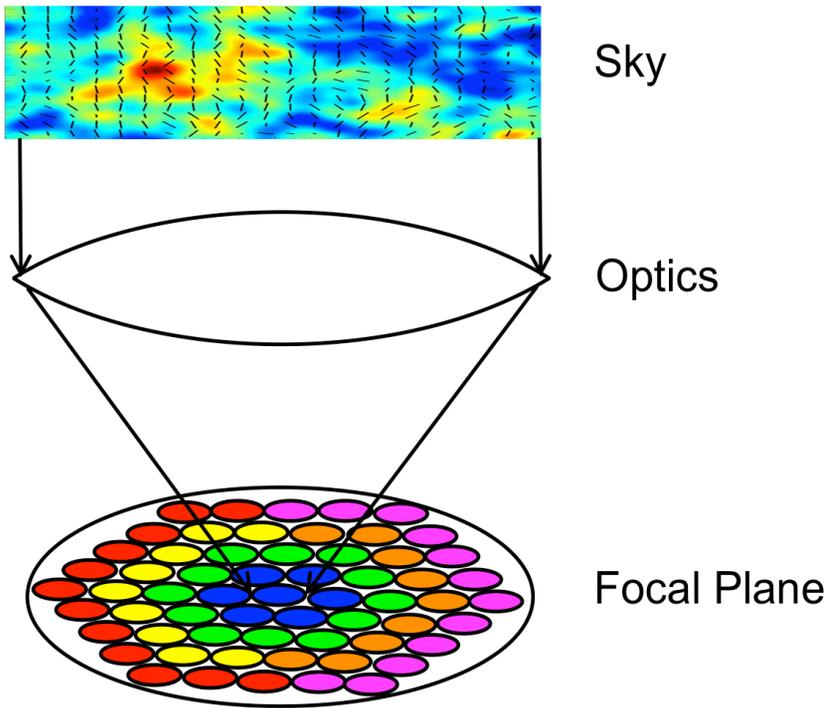
Optical Design for CMB



Conventional
Focal Plane

Photon Limit: Add Detectors

Optical Design for CMB

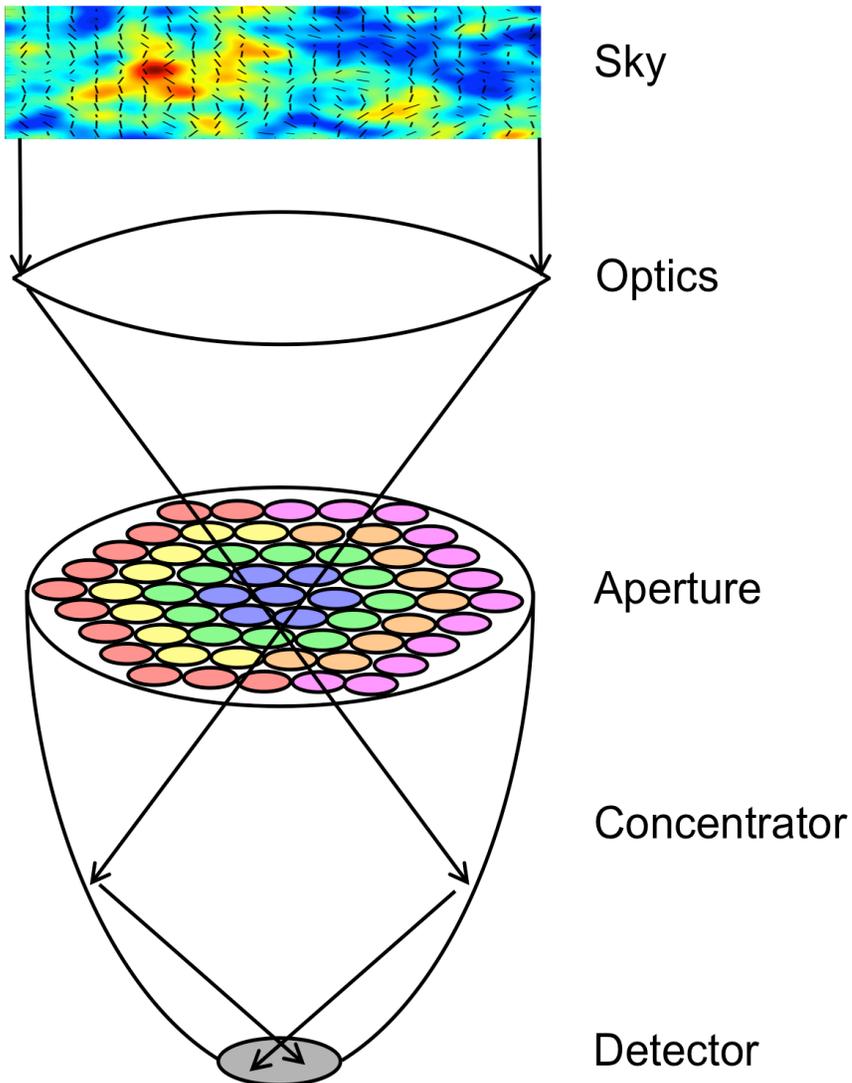


Conventional
Focal Plane

Foregrounds: Separate Bands

Problem: Getting enough sensitivity in enough frequency bands requires $\sim 10,000$ background-limited detectors!

PIXIE Optical Solution

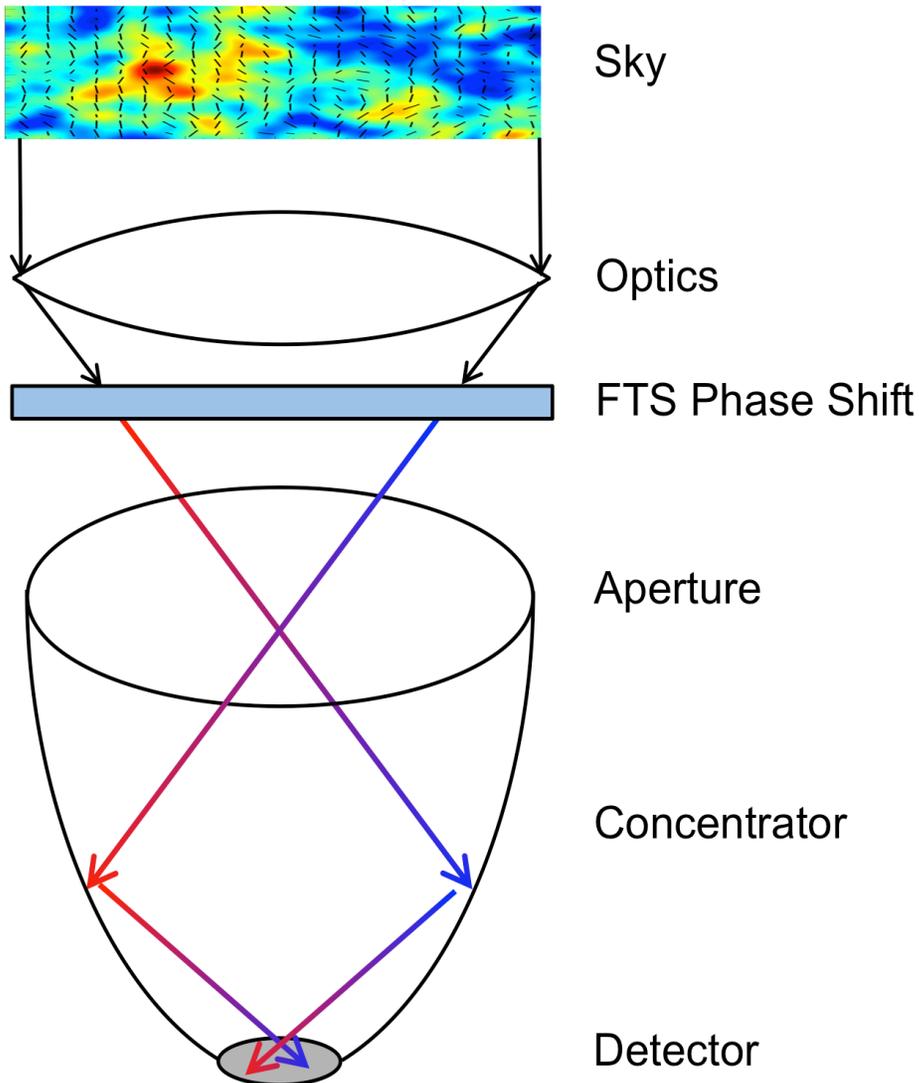


PIXIE

*Need more photons,
not more detectors!*

Replace tiled focal plane
with
multi-moded concentrator

PIXIE Optical Solution



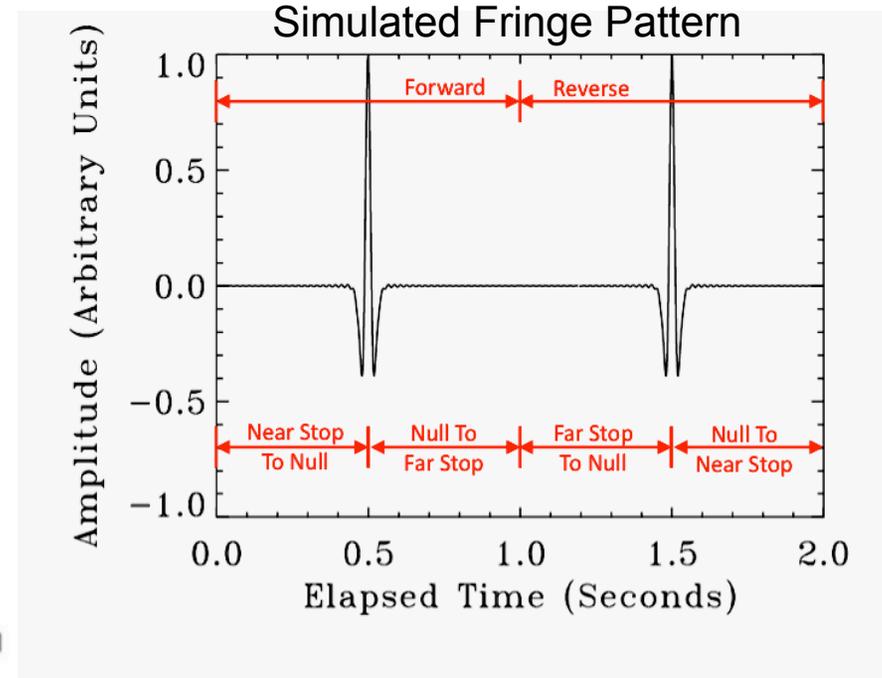
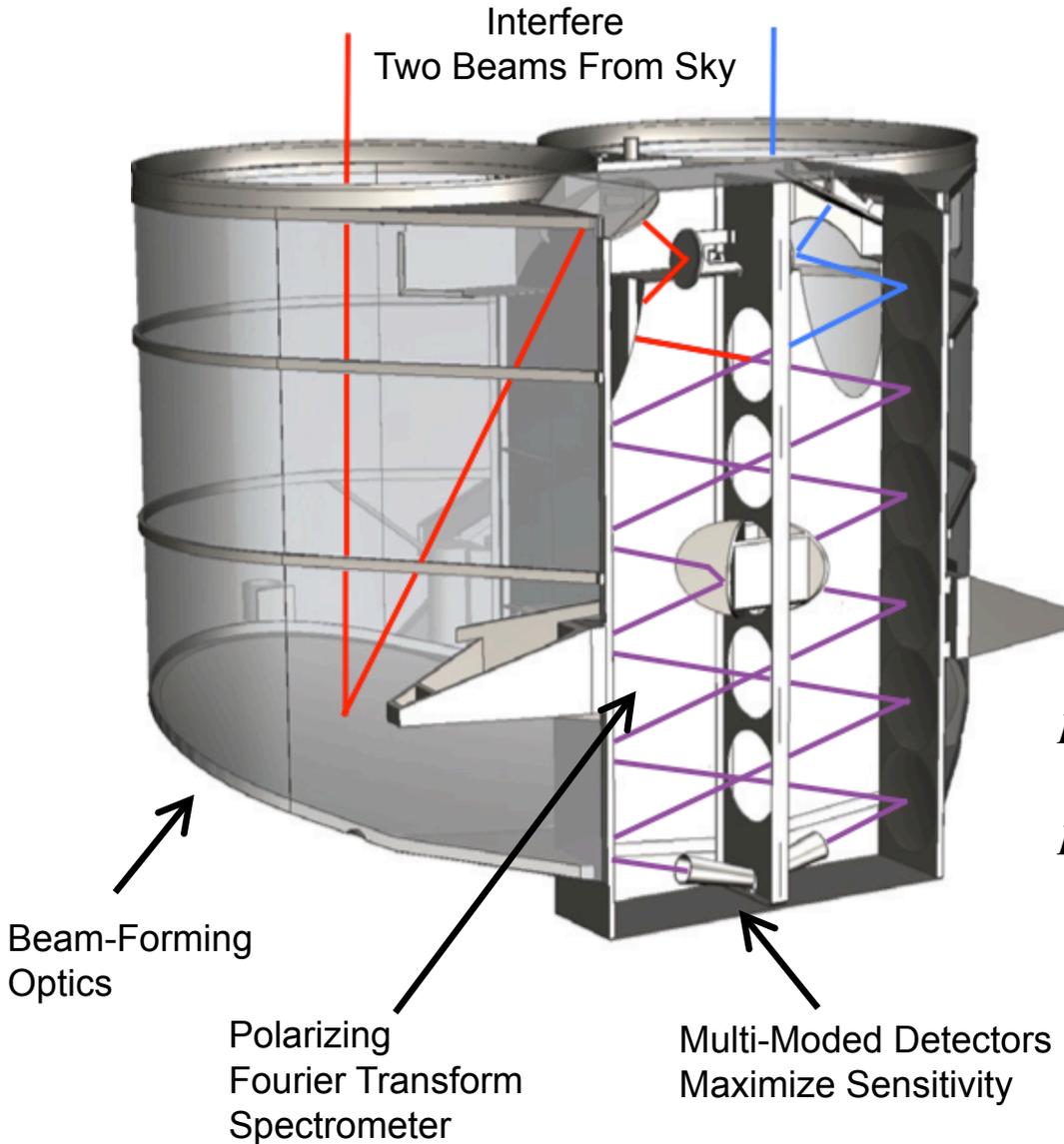
PIXIE

Replace multi-color detectors
with
Fourier transform spectrometer

Replace tiled focal plane
with
multi-moded concentrator

*Win-Win: Sensitivity and spectra
from a single detector*

PIXIE Nulling Polarimeter



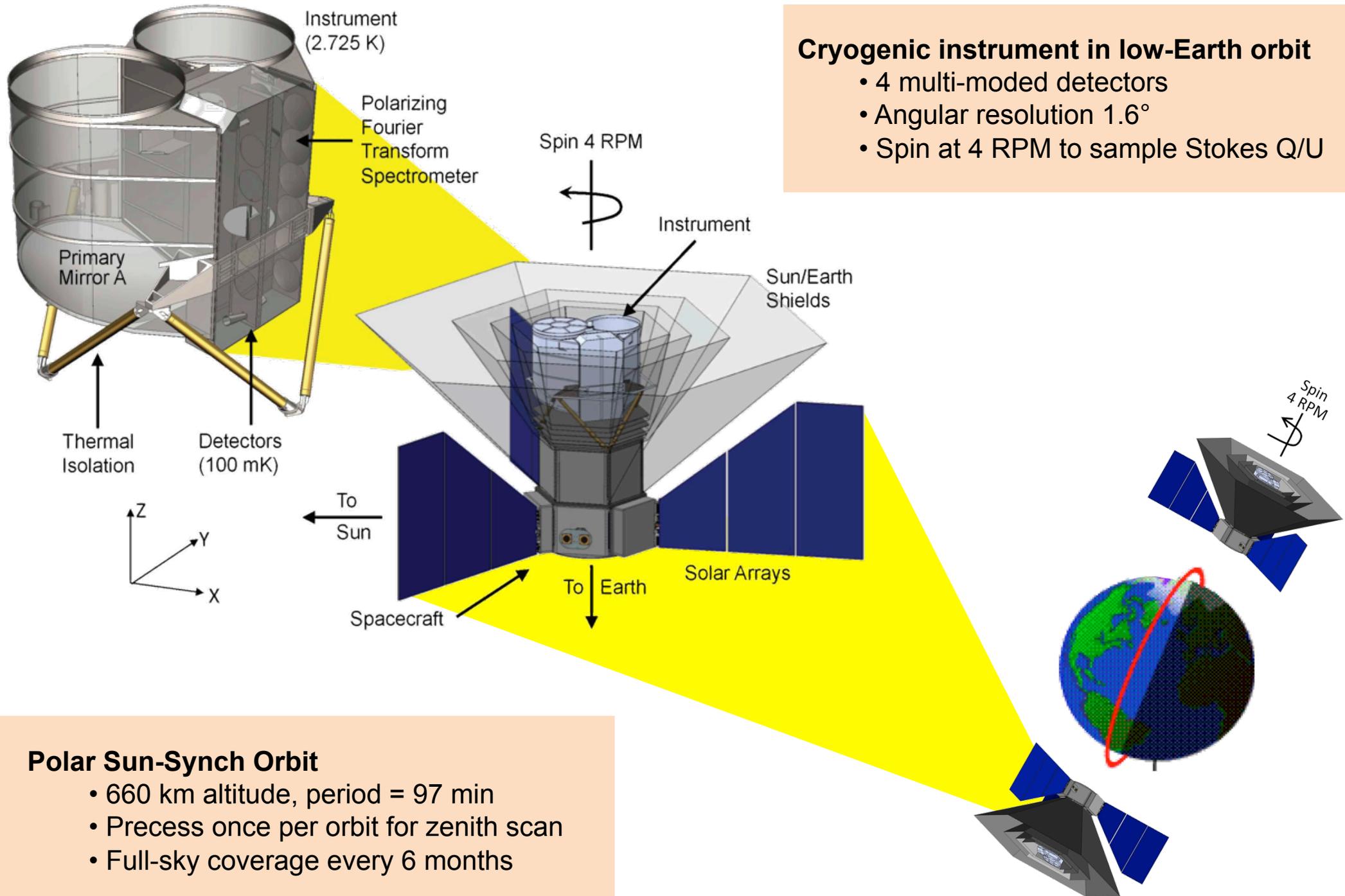
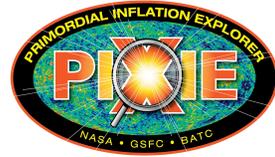
$$P_{Lx} = \frac{1}{2} \int (E_{Ay}^2 + E_{Bx}^2) + (E_{Bx}^2 - E_{Ay}^2) \cos(z\omega/c) d\omega$$

$$P_{Ly} = \frac{1}{2} \int (E_{Ax}^2 + E_{By}^2) + (E_{By}^2 - E_{Ax}^2) \cos(z\omega/c) d\omega$$

Stokes Q

Measured Fringes Sample Frequency Spectrum of Polarized Sky

Instrument and Observatory



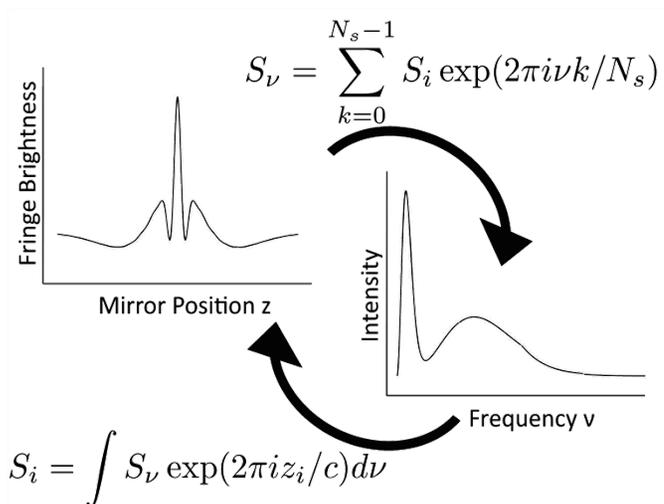
Cryogenic instrument in low-Earth orbit

- 4 multi-moded detectors
- Angular resolution 1.6°
- Spin at 4 RPM to sample Stokes Q/U

Polar Sun-Synch Orbit

- 660 km altitude, period = 97 min
- Precess once per orbit for zenith scan
- Full-sky coverage every 6 months

Solving the Foreground Puzzle

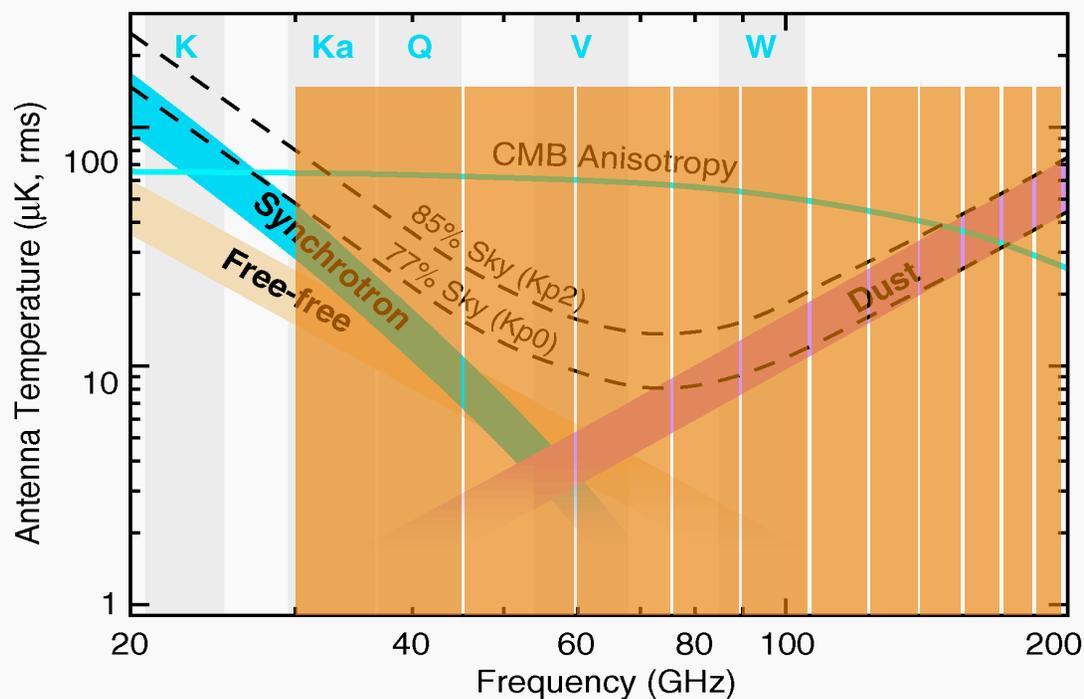


Phase delay L sets channel width

$$\Delta\nu = c/L = 15 \text{ GHz}$$

Number of samples sets frequency range

$$\nu_i = 15, 30, 45, \dots (N/2) \Delta\nu$$

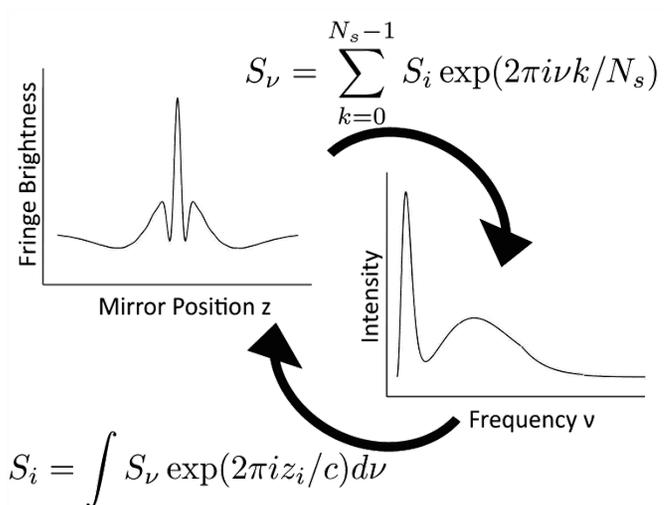


Example:

24 samples during fringe sweep
12 channels 15 GHz to 180 GHz

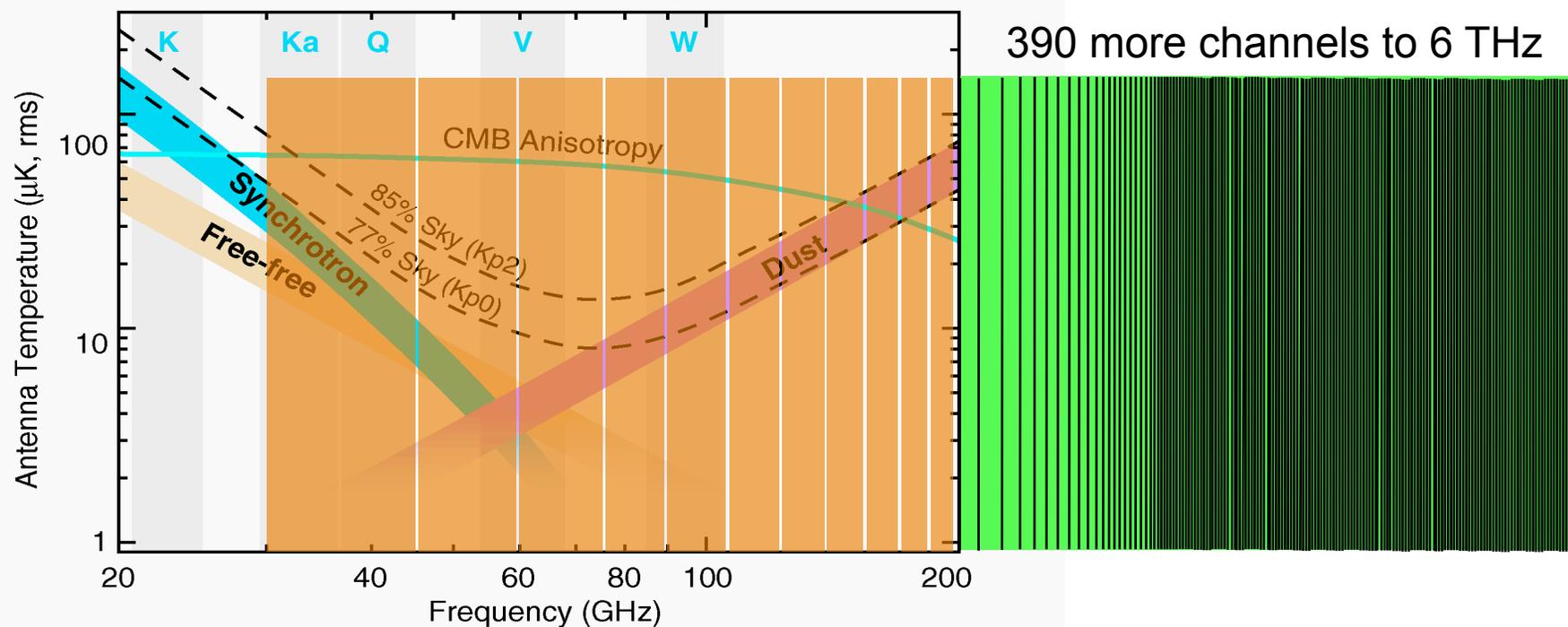
But why stop there?

Solving the Foreground Puzzle



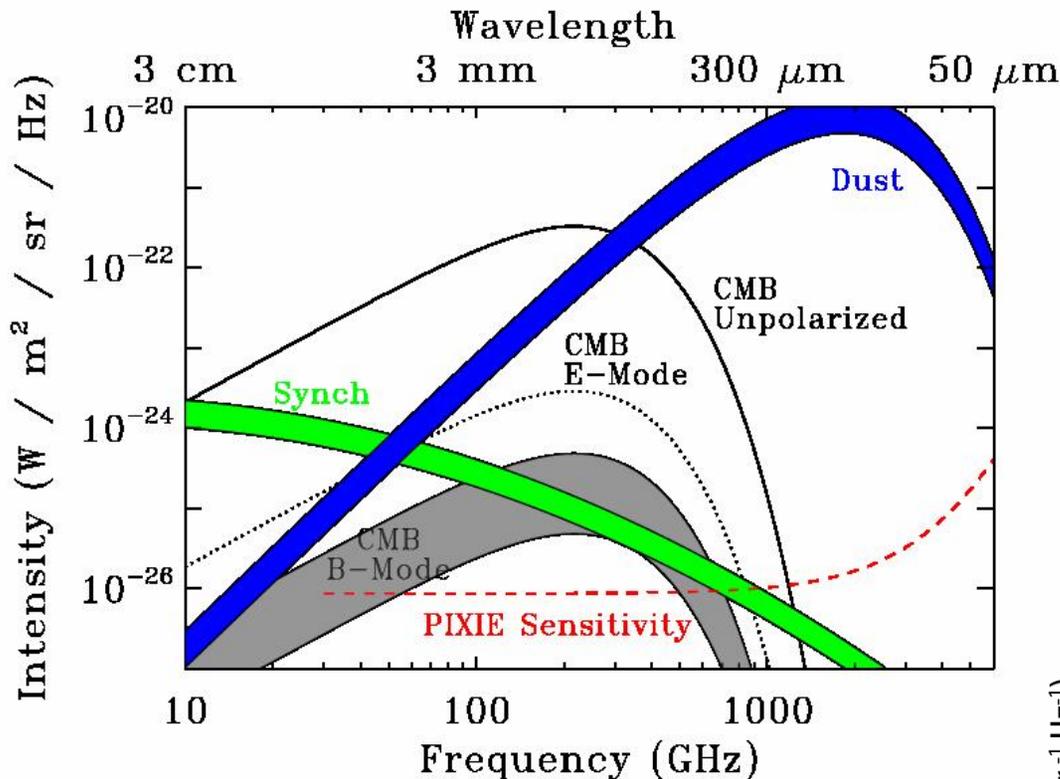
Phase delay L sets channel width
 $\Delta\nu = c/L = 15 \text{ GHz}$

Number of samples sets frequency range
 $\nu_i = 15, 30, 45, \dots (N/2) \cdot \Delta\nu$



Sample more often: Get more frequency channels!

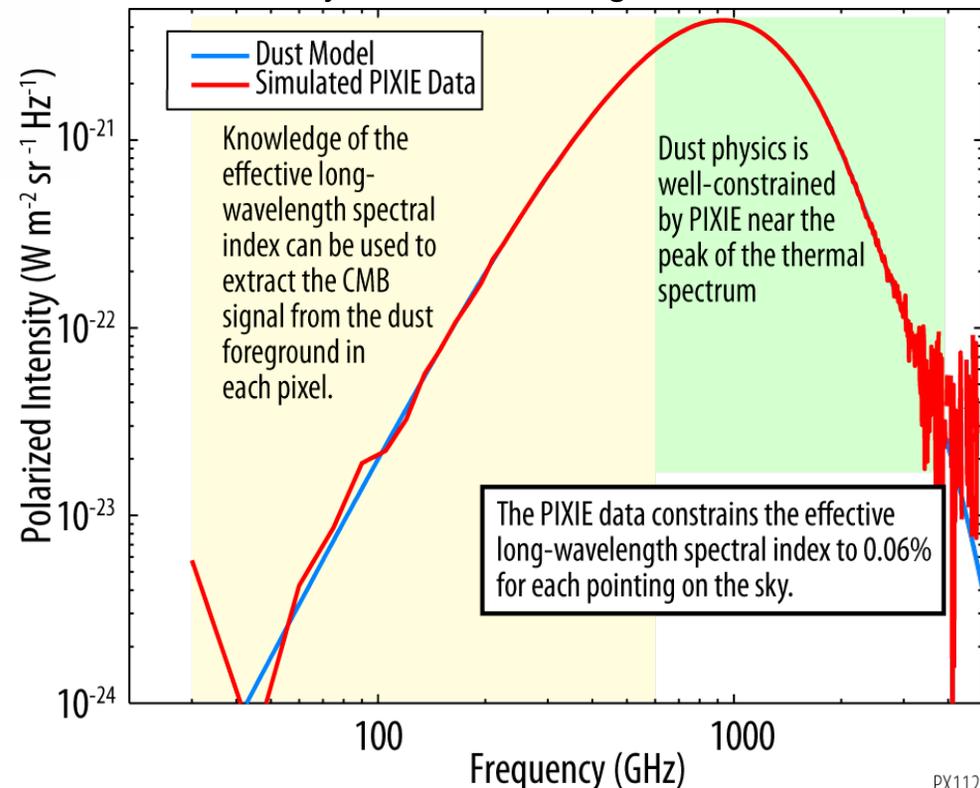
PIXIE “Foreground Machine”



Spectral coverage spanning 7+ octaves
 Polarized spectra from 30 GHz to 6 THz
 400 channels with mJy sensitivity per channel

Sensitivity plus broad frequency coverage
 Foreground S/N > 100 in each pixel and freq bin
 Spectral index uncertainty ± 0.001 in each pixel

Dust Physics Inform Foreground Subtraction



If PIXIE can't figure out the foregrounds, it probably can't be done!

The Problem With Foregrounds

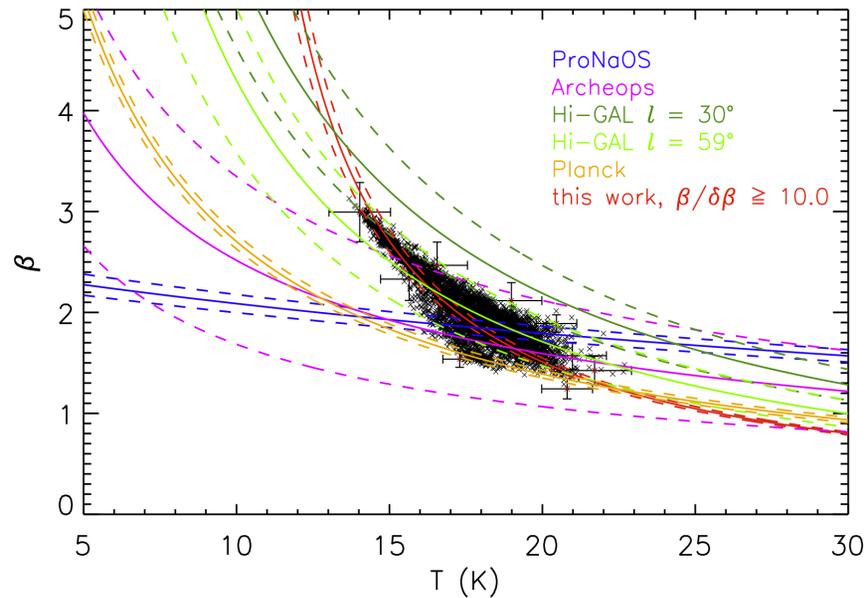


What if the universe
uses a different model
than the one you're fitting?

*With seven free parameters,
you can fit a charging rhino.*

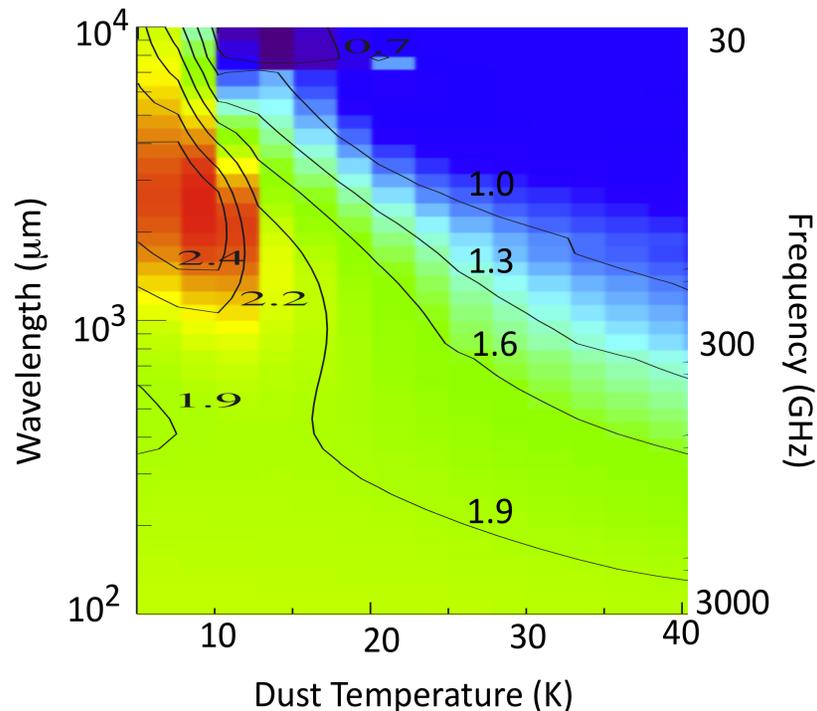
Parametric Dust Models

A Cautionary Tale



Empirical fits show correlation between T and β
 Greybody model, pixel-to-pixel variation

Liang et al. 2012, arXiv:1201.0060



Solid-state model of disordered medium

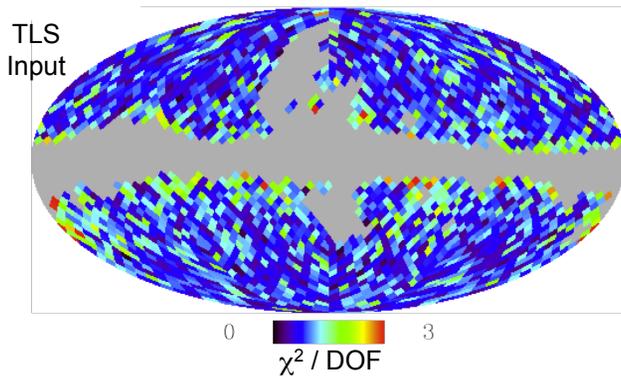
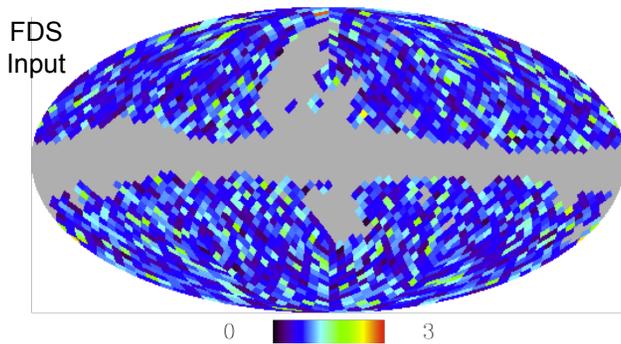
Two-level system predicts variation in β

- Steeper β for colder T at fixed frequency
- Flatter β for lower freq at fixed temperature

Meny et al. 2007, A&A, 468, 171
 Paradis et al. 2011, A&A, 534, A118
 Paradis et al. 2012, A&A, 537, A113

Is either model the correct description?
How can we tell?

A Tale Of Two Models



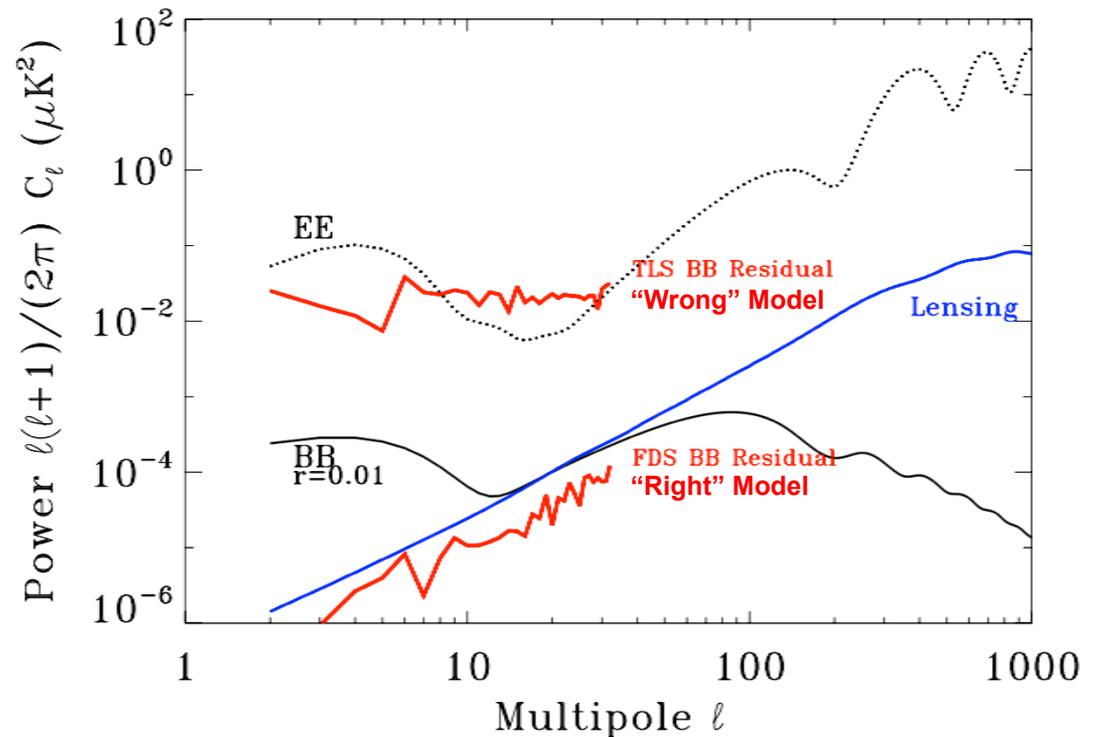
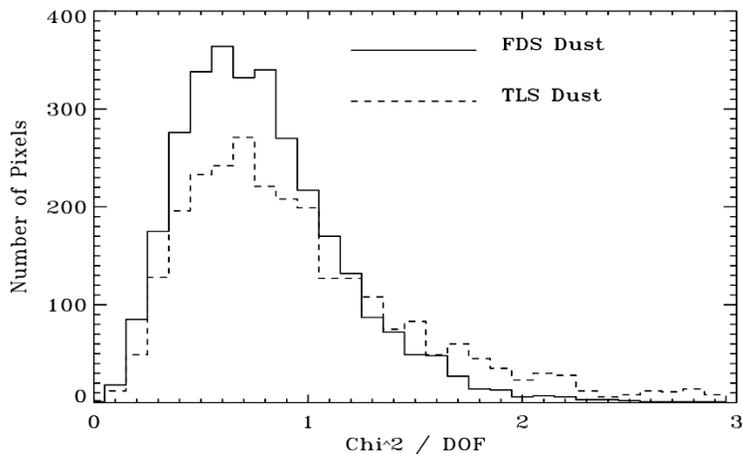
Input Sky: CMB + Dust (either greybody or two-level system) + noise

9 EPIC Channels (30, 45, 70, 100, 150, 220, 340, 500, 850 GHz)

Fit 8 parameters to 18 maps assuming dust follows greybody spectrum

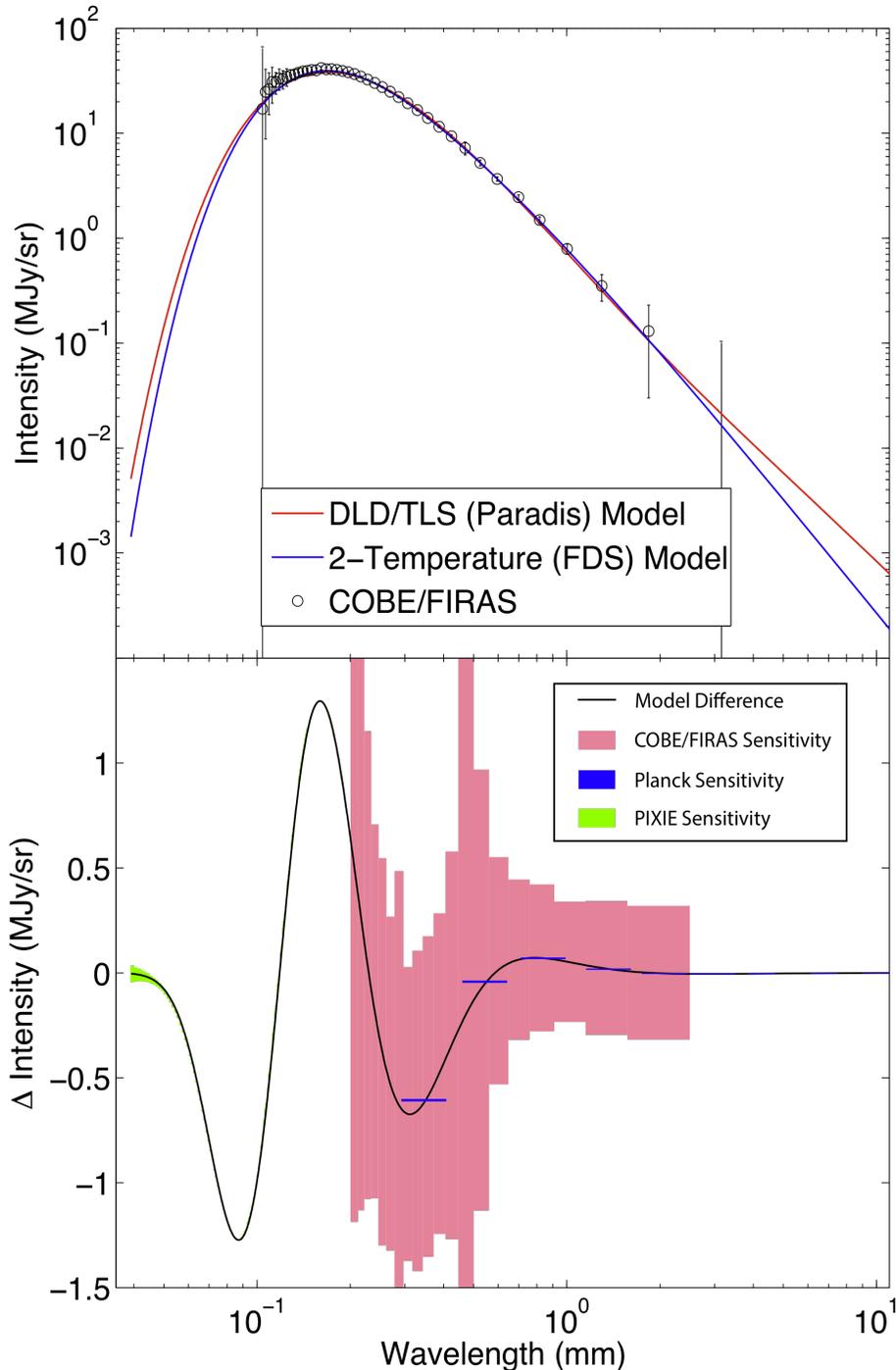
- CMB amplitude (Q and U)
- Cold dust amplitude (Q and U) and spectral index
- Warm dust amplitude (Q and U) and spectral index

Compare Output to Input CMB Maps



Same χ^2 But Different C_l : Worst-Case Scenario!

PIXIE vs Dust Models

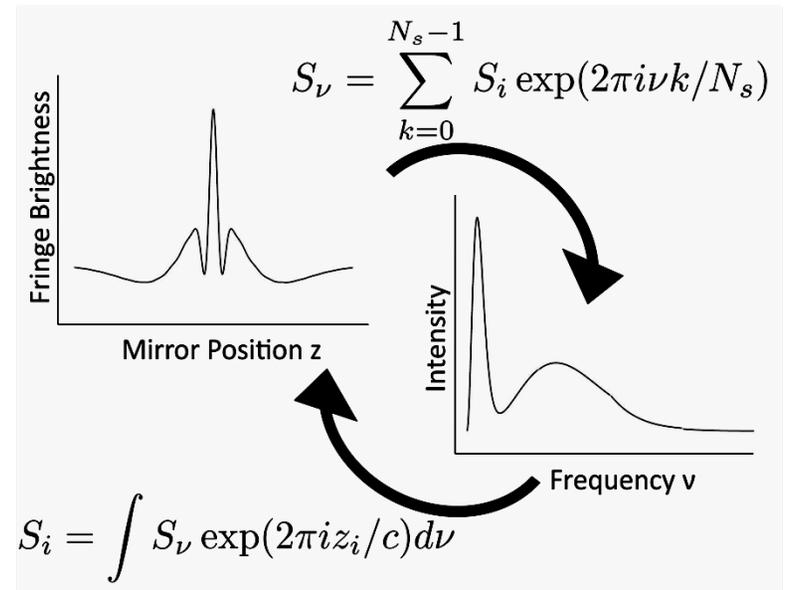


400 frequency channels from 30 GHz to 6 THz

- Distinguish FDS from TLS emission model
- Determine correct parametric model
- Use THz data to inform low-freq CMB fit

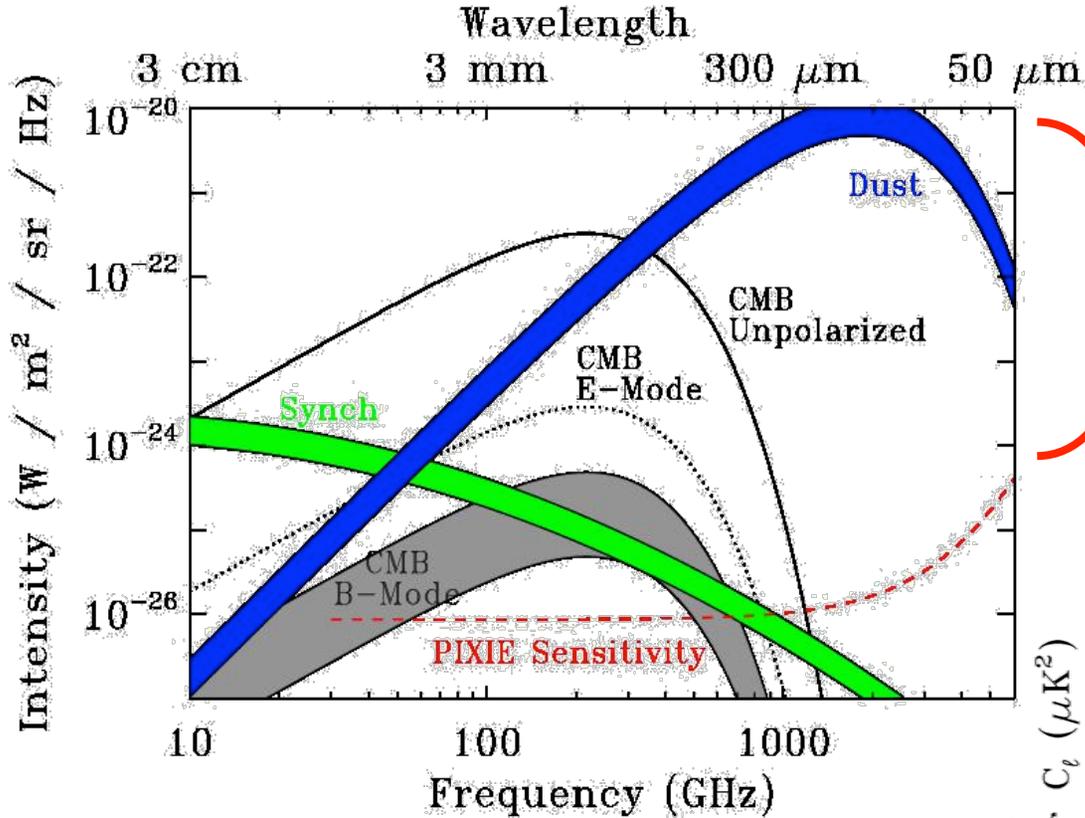
Get channels almost for free

- Longest mirror stroke sets channel width
- Sampling rate sets number of channels
- No messy focal plane allocations





PIXIE Polarization Goals

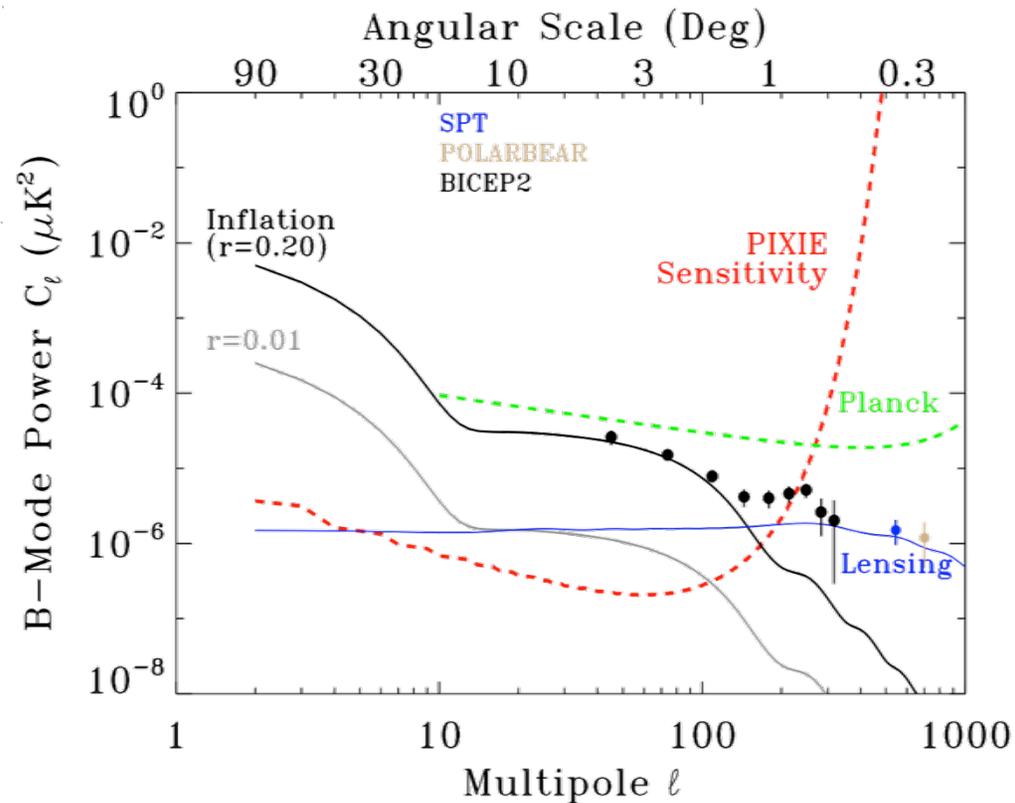


400-Channel "Foreground Machine"

Less than 1% noise penalty for foreground subtraction

Sensitivity $r < 2 \times 10^{-4}$ (95% CL)

CMB sensitivity 70 nK per 1° pixel
Measure r to 1% even for minimal $r \sim 0.02$



Measure Inflationary Signal to Limits of Astrophysical Foregrounds



Blackbody Calibrator Adds Spectrum Science



Calibrator blocks “A” beam: Fringes measure $\Delta I + [Q,U]$

$$\begin{aligned} S(\nu)_{Lx} &= 1/4 [I(\nu)_{\text{sky}} - I(\nu)_{\text{cal}} + Q(\nu)_{\text{sky}} \cos 2\gamma + U(\nu)_{\text{sky}} \sin 2\gamma] \\ S(\nu)_{Ly} &= 1/4 [I(\nu)_{\text{sky}} - I(\nu)_{\text{cal}} - Q(\nu)_{\text{sky}} \cos 2\gamma - U(\nu)_{\text{sky}} \sin 2\gamma] \\ S(\nu)_{Rx} &= 1/4 [I(\nu)_{\text{cal}} - I(\nu)_{\text{sky}} + Q(\nu)_{\text{sky}} \cos 2\gamma + U(\nu)_{\text{sky}} \sin 2\gamma] \\ S(\nu)_{Ly} &= 1/4 [I(\nu)_{\text{cal}} - I(\nu)_{\text{sky}} - Q(\nu)_{\text{sky}} \cos 2\gamma - U(\nu)_{\text{sky}} \sin 2\gamma] \end{aligned}$$

Flip sign:
Hot vs cold calibrator

Calibrator stowed: Fringes measure $[Q,U]$ only

$$\begin{aligned} S(\nu)_{Lx} &= 1/2 [+Q(\nu)_{\text{sky}} \cos 2\gamma + U(\nu)_{\text{sky}} \sin 2\gamma] \\ S(\nu)_{Ly} &= 1/2 [-Q(\nu)_{\text{sky}} \cos 2\gamma - U(\nu)_{\text{sky}} \sin 2\gamma] \\ S(\nu)_{Rx} &= 1/2 [+Q(\nu)_{\text{sky}} \cos 2\gamma + U(\nu)_{\text{sky}} \sin 2\gamma] \\ S(\nu)_{Ly} &= 1/2 [-Q(\nu)_{\text{sky}} \cos 2\gamma - U(\nu)_{\text{sky}} \sin 2\gamma] \end{aligned}$$



Partially-assembled
blackbody calibrator

Calibrator blocks “B” beam: Fringes measure $-\Delta I - [Q,U]$

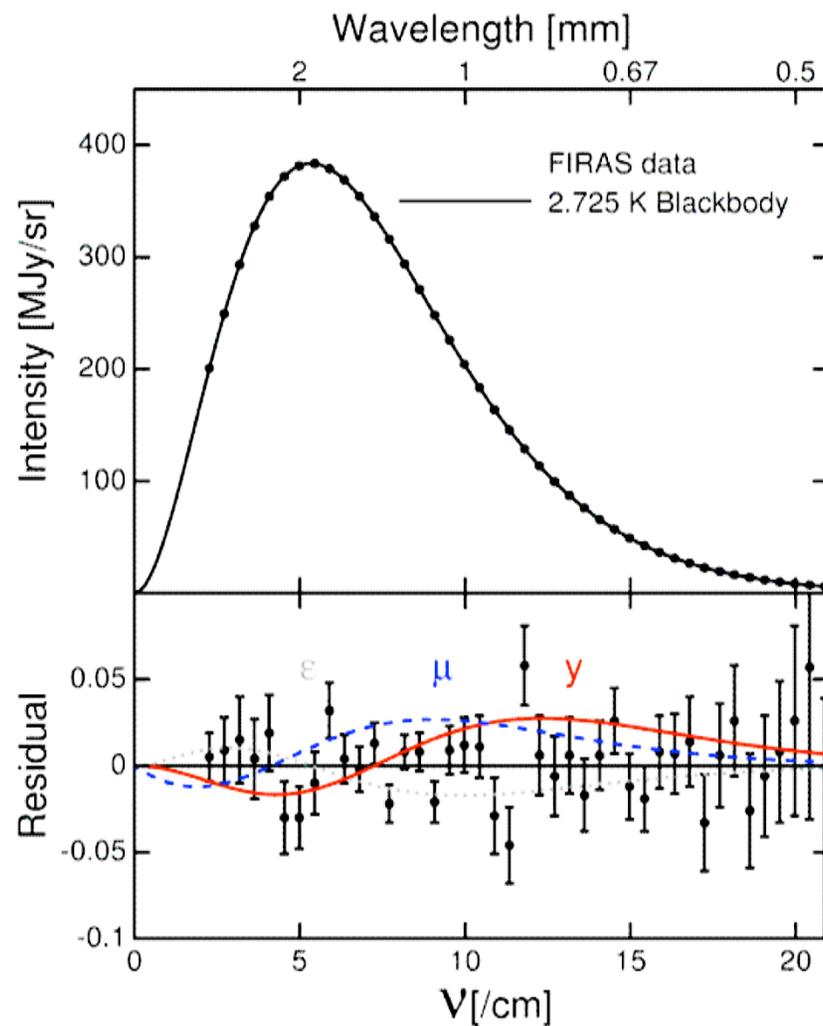
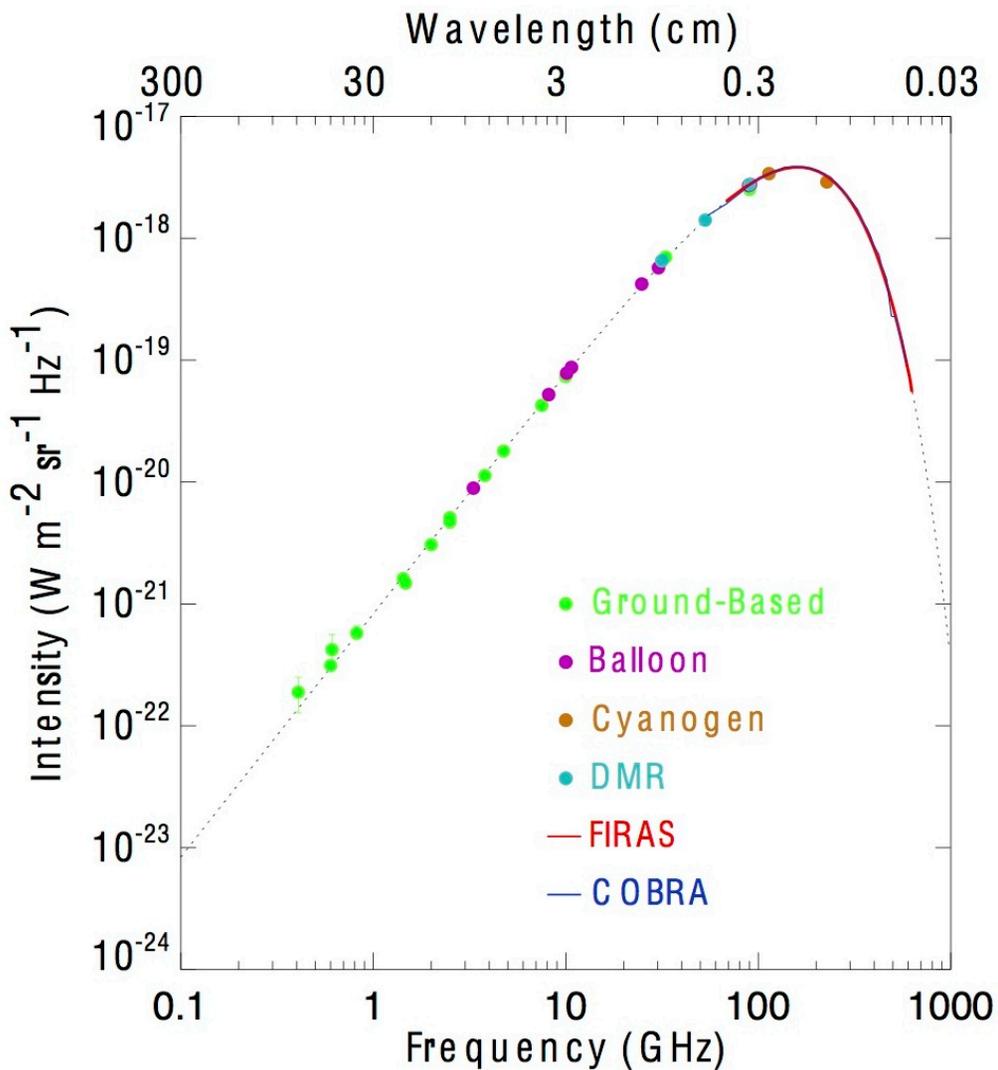
$$\begin{aligned} S(\nu)_{Lx} &= 1/4 [I(\nu)_{\text{cal}} - I(\nu)_{\text{sky}} + Q(\nu)_{\text{sky}} \cos 2\gamma + U(\nu)_{\text{sky}} \sin 2\gamma] \\ S(\nu)_{Ly} &= 1/4 [I(\nu)_{\text{cal}} - I(\nu)_{\text{sky}} - Q(\nu)_{\text{sky}} \cos 2\gamma - U(\nu)_{\text{sky}} \sin 2\gamma] \\ S(\nu)_{Rx} &= 1/4 [I(\nu)_{\text{sky}} - I(\nu)_{\text{cal}} + Q(\nu)_{\text{sky}} \cos 2\gamma + U(\nu)_{\text{sky}} \sin 2\gamma] \\ S(\nu)_{Ly} &= 1/4 [I(\nu)_{\text{sky}} - I(\nu)_{\text{cal}} - Q(\nu)_{\text{sky}} \cos 2\gamma - U(\nu)_{\text{sky}} \sin 2\gamma] \end{aligned}$$

Flip sign:
A vs B beam

Blackbody Spectral Distortion!
1000 Times More Sensitive Than COBE/FIRAS

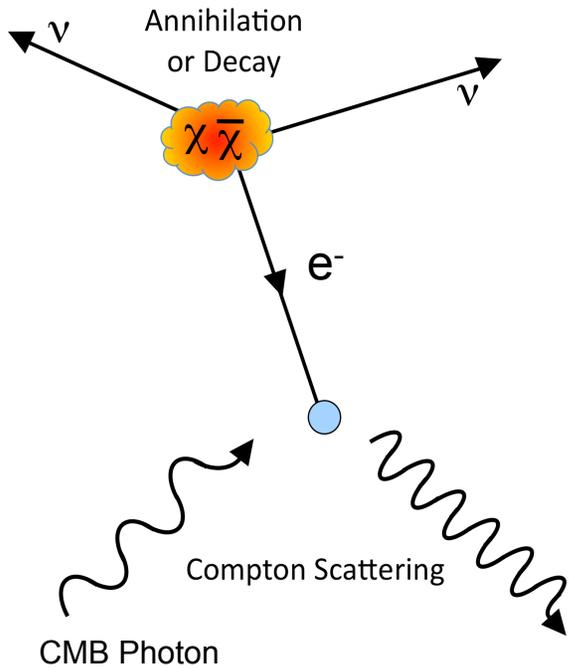
Blackbody Spectrum

COBE: Sky is blackbody within 50 ppm



PIXIE: Improve COBE limits by factor 1000. Sky can not be black at this level!

Spectral Distortion from Energy Release



Optically thin case: Compton y distortion

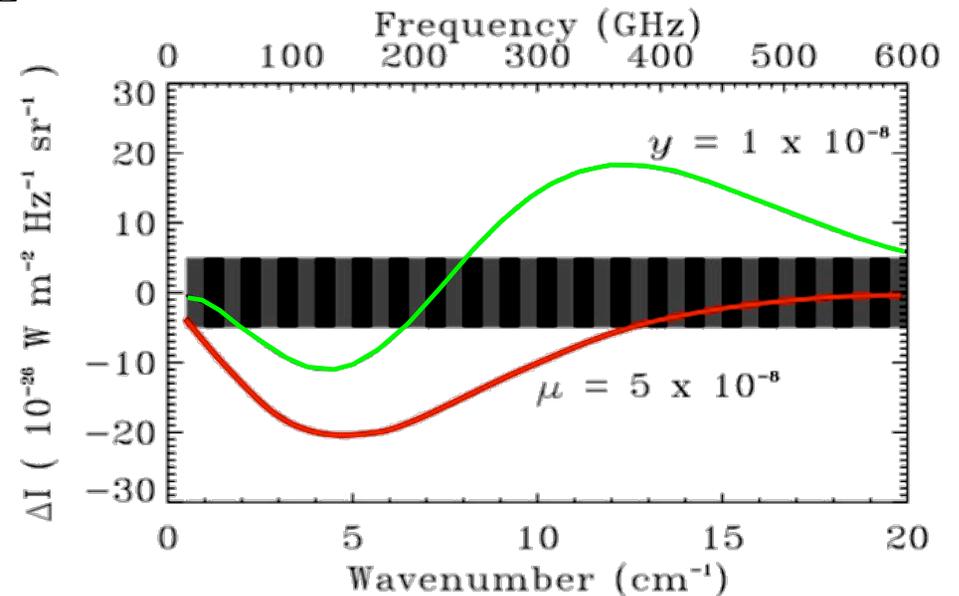
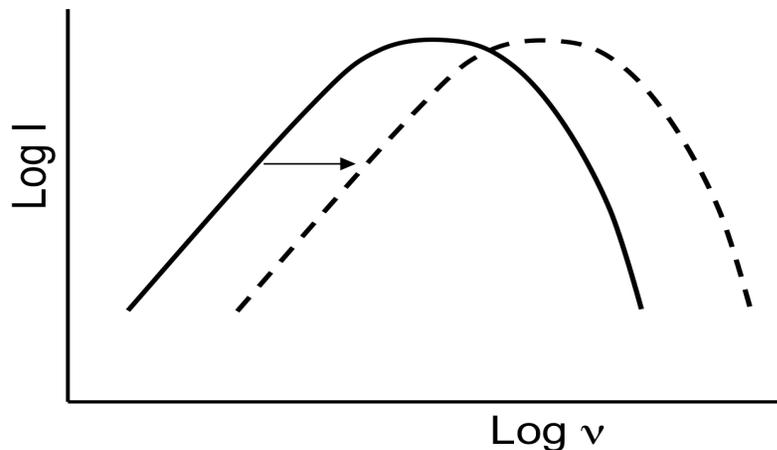
$$I(\nu, T) = \frac{2h\nu^3}{c^2} \frac{1}{\exp(x) - 1} \left[1 + \frac{yx \exp(x)}{\exp(x) - 1} \left(\frac{x}{\tanh(x/2)} - 4 \right) \right]$$

$$y = \int \frac{kT_e}{mc^2} nc\sigma_T dt$$

Optically thick case: Chemical potential distortion

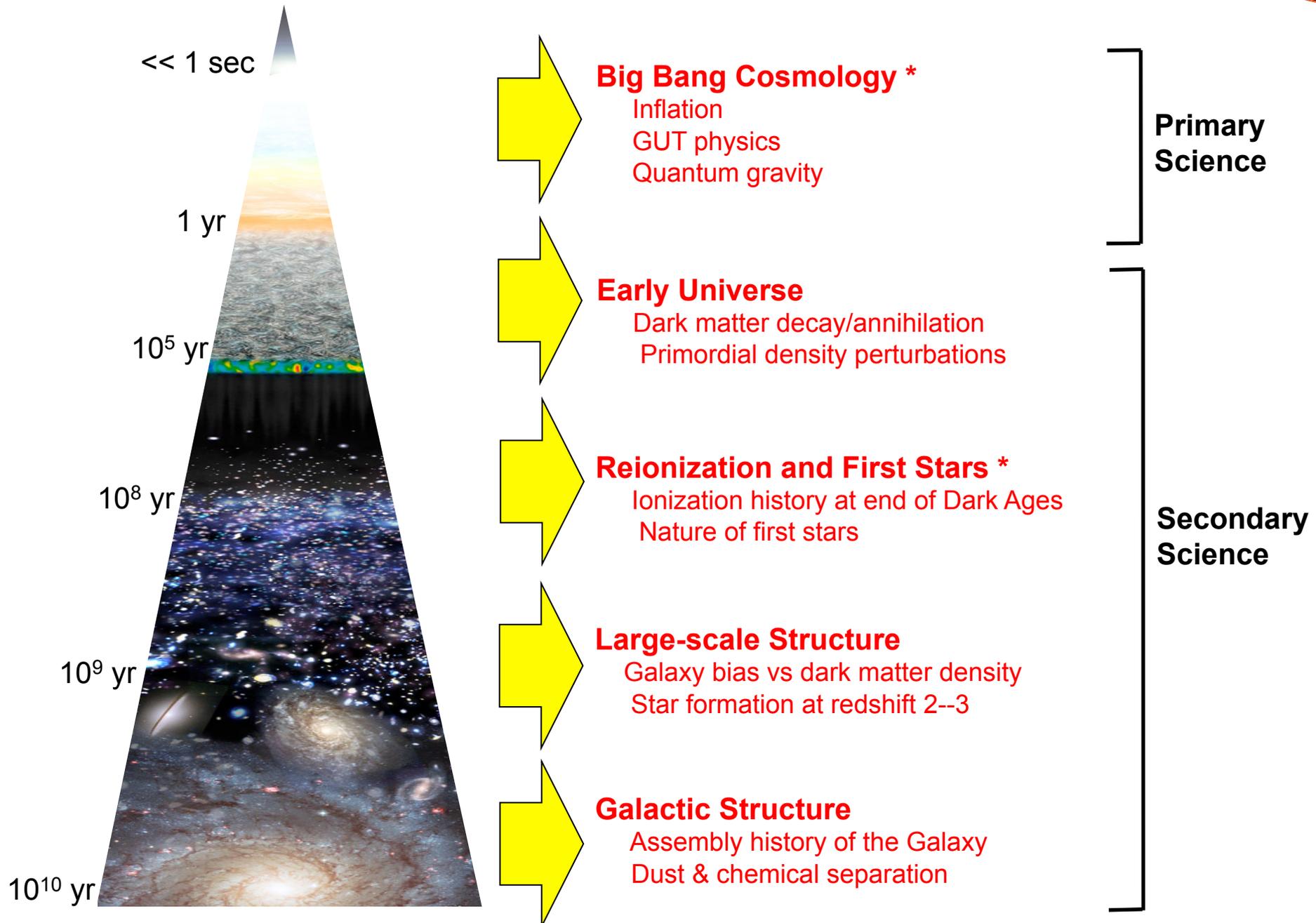
$$I(\nu, T) = \frac{2h\nu^3}{c^2} \frac{1}{\exp\left(\frac{h\nu}{kT} + \mu\right) - 1}$$

$$\mu = 1.4 \frac{\Delta E}{E}$$



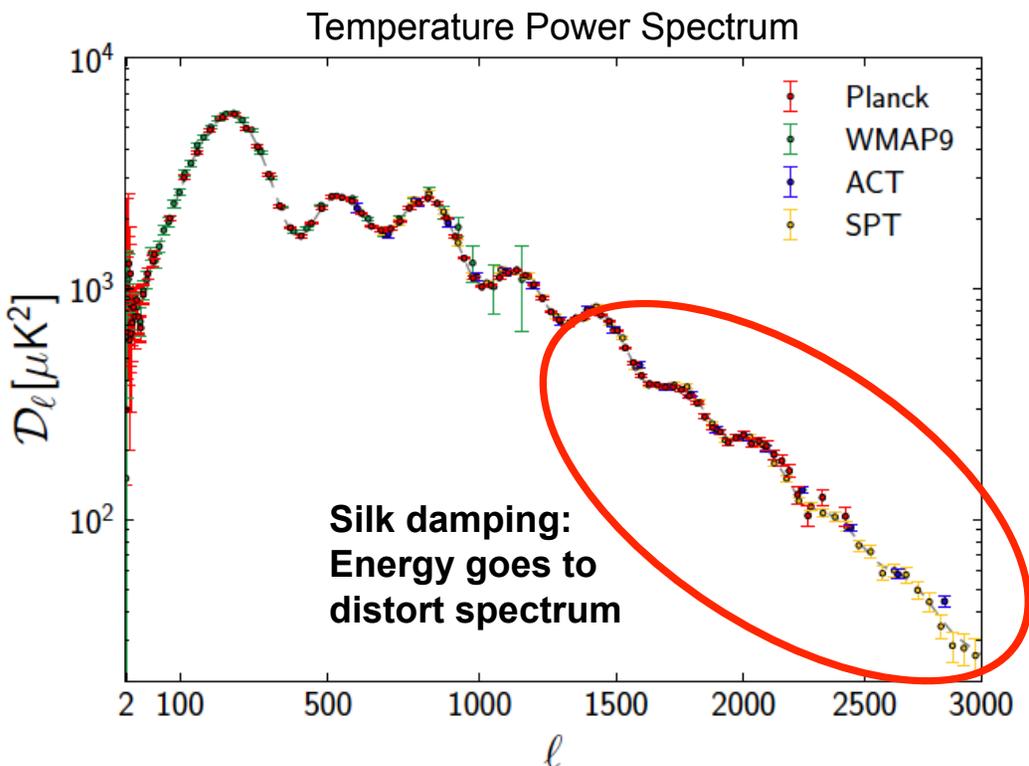
Distortion to blackbody spectrum proportional to integrated energy release

PIXIE: Testing The Standard Model



* Specifically called out in Astro-2010 Decadal Survey

Spectral Distortions: Inflation

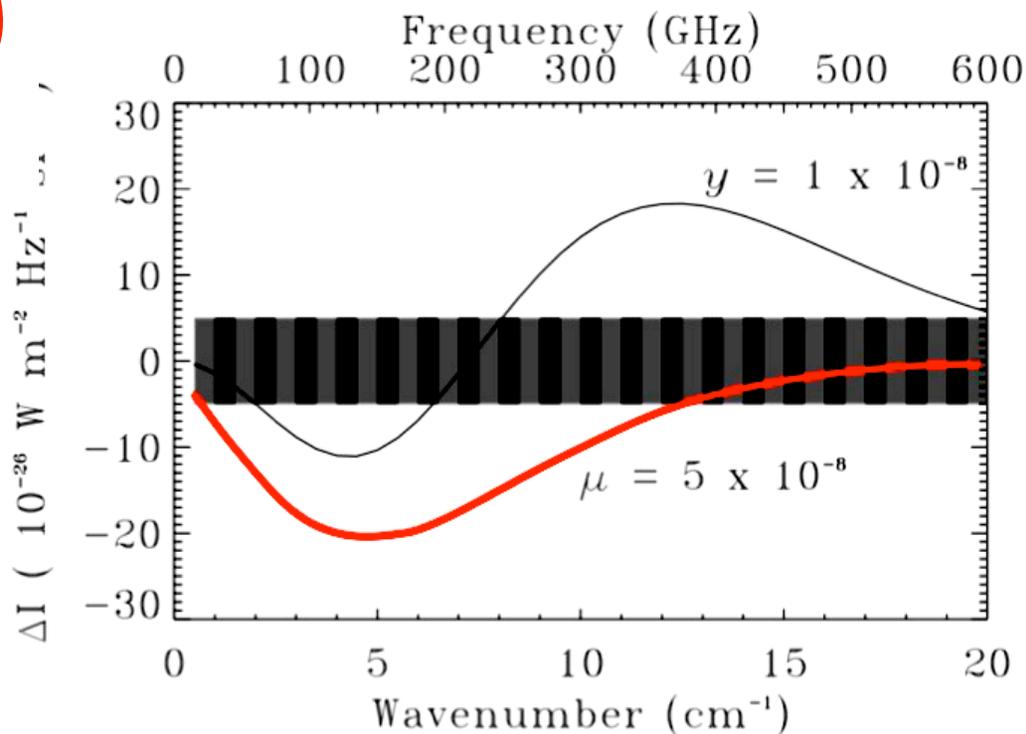


Energy release at $10^4 < z < 10^6$

$$\text{Chemical potential } \mu = 1.4 \frac{\Delta E}{E}$$

PIXIE limit $\mu < 10^{-8}$

Distort CMB from blackbody spectrum



Silk damping of primordial perturbations

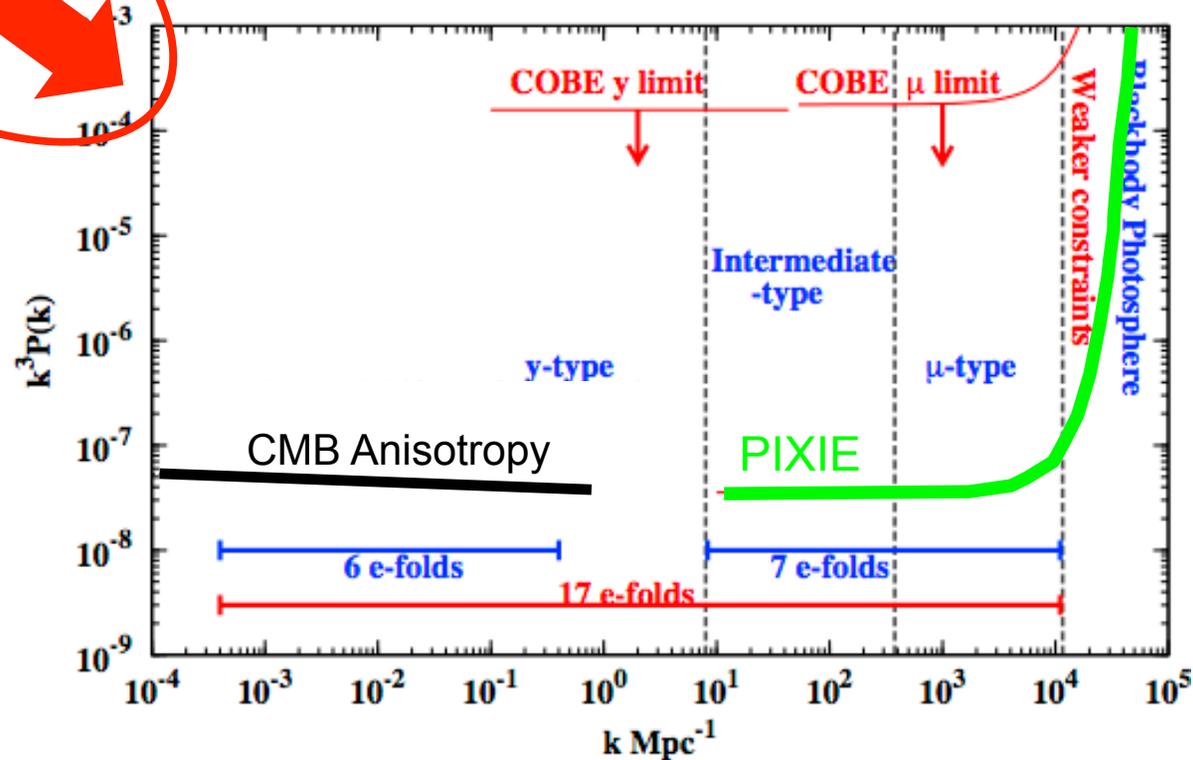
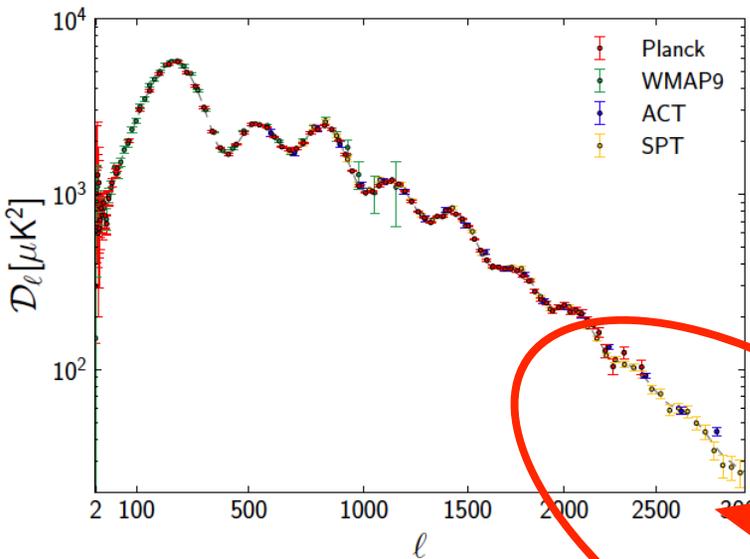
- Scalar index n_s and running $d \ln n_s / d \ln k$
- Physical scale $\sim 1 \text{ kpc}$ ($1 M_\odot$)

Beyond the Power Spectrum



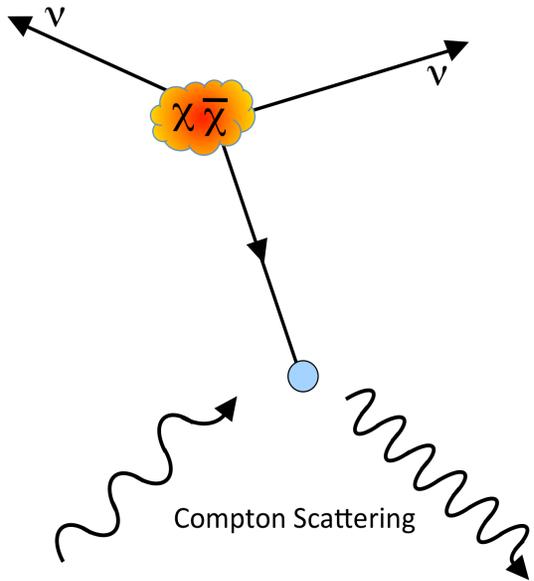
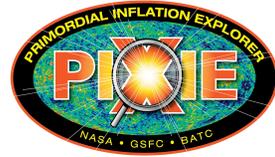
Spectral distortions extend tests of inflation by 4 orders of magnitude in physical scale

- Scalar index and running
- Non-Gaussian f_{NL}
- Tensor index and running



Complementary to both
CMB anisotropy and polarization

Spectral Distortions: Dark Matter Annihilation



$$I(\nu, T) = \frac{2h\nu^3}{c^2} \frac{1}{\exp(\frac{h\nu}{kT} + \mu) - 1}$$

Chemical potential $\mu = 1.4 \frac{\Delta E}{E}$

Annihilation rate $\sim n^2 \sim z^6$

Number density $n \sim m^{-1}$

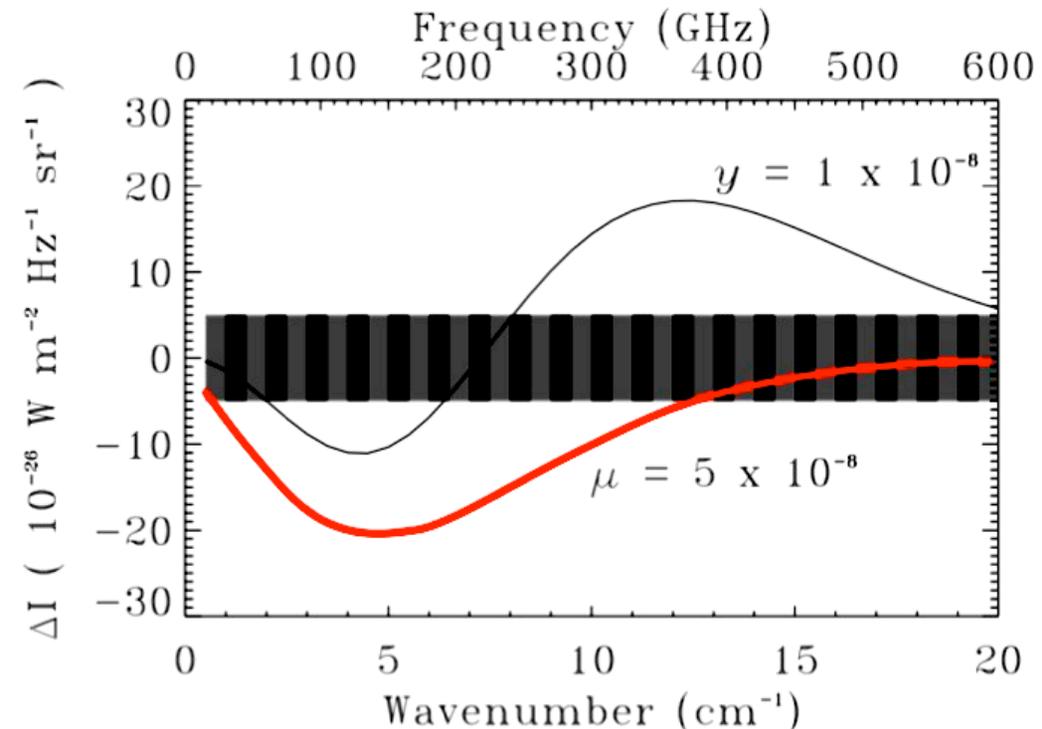
$$m_\chi > 80 \text{ keV} \left[f \left(\frac{\mu}{5 \times 10^{-8}} \right) \left(\frac{\sigma v}{6 \times 10^{-27} \text{ cm}^3 \text{ s}^{-1}} \right) \left(\frac{\Omega_\chi}{0.112} \right)^2 \right]^{1/2}$$

Dark matter annihilation

PIXIE limit $\mu < 10^{-8}$

Neutralino mass limit $m_\chi > 80 \text{ keV}$

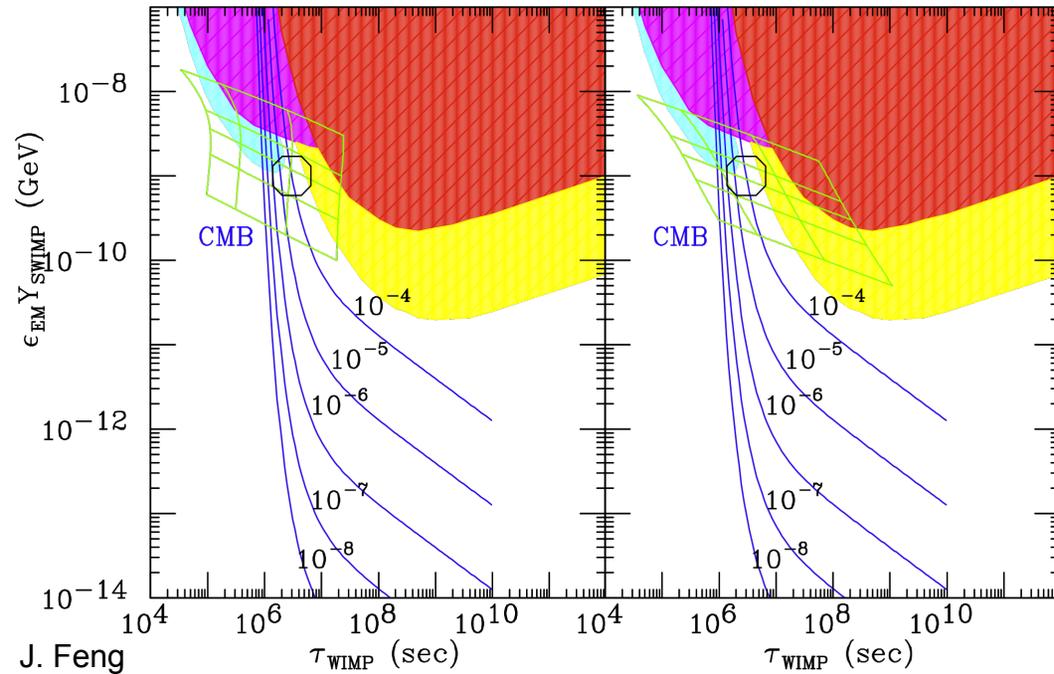
Definitive test for warm dark matter



Spectral Distortions: Dark Matter Decay



slepton decay



Chemical potential $\mu = 1.4 \frac{\Delta E}{E}$

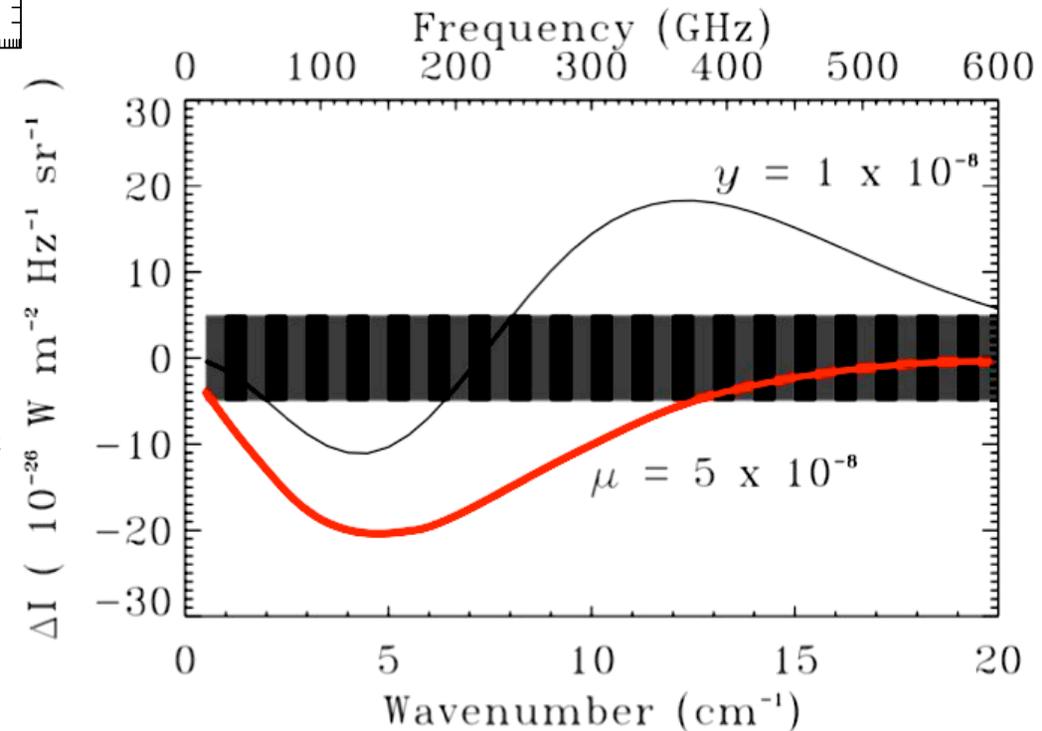
Energy release $\Delta E \sim \Omega_{\text{DM}} \Gamma \Delta m$

Dark matter decay

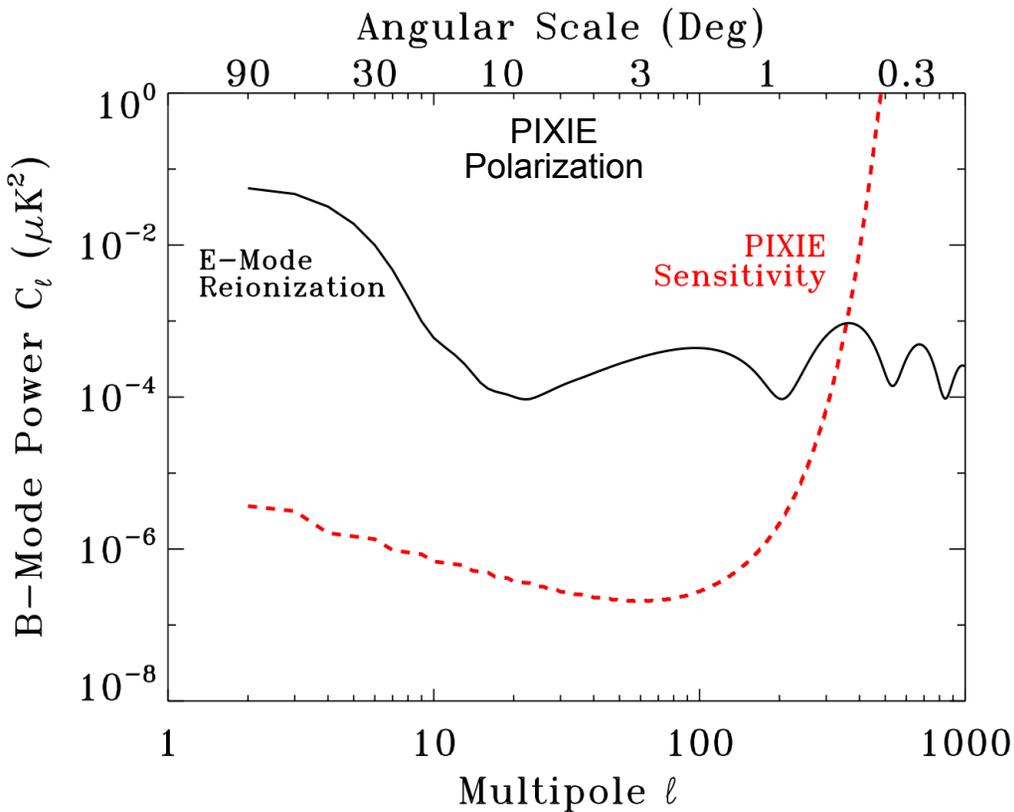
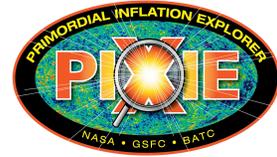
PIXIE limit $\mu < 10^{-8}$

Reach cosmological limit $\tau < 3 \times 10^6$ sec

Test for gravitino dark matter



Spectral Distortions: Reionization



Spectrum: y distortion \sim Electron pressure $\int nkT_e$

- PIXIE limit $y < 5 \times 10^{-9}$
- Distortion must be present at $y \sim 10^{-7}$

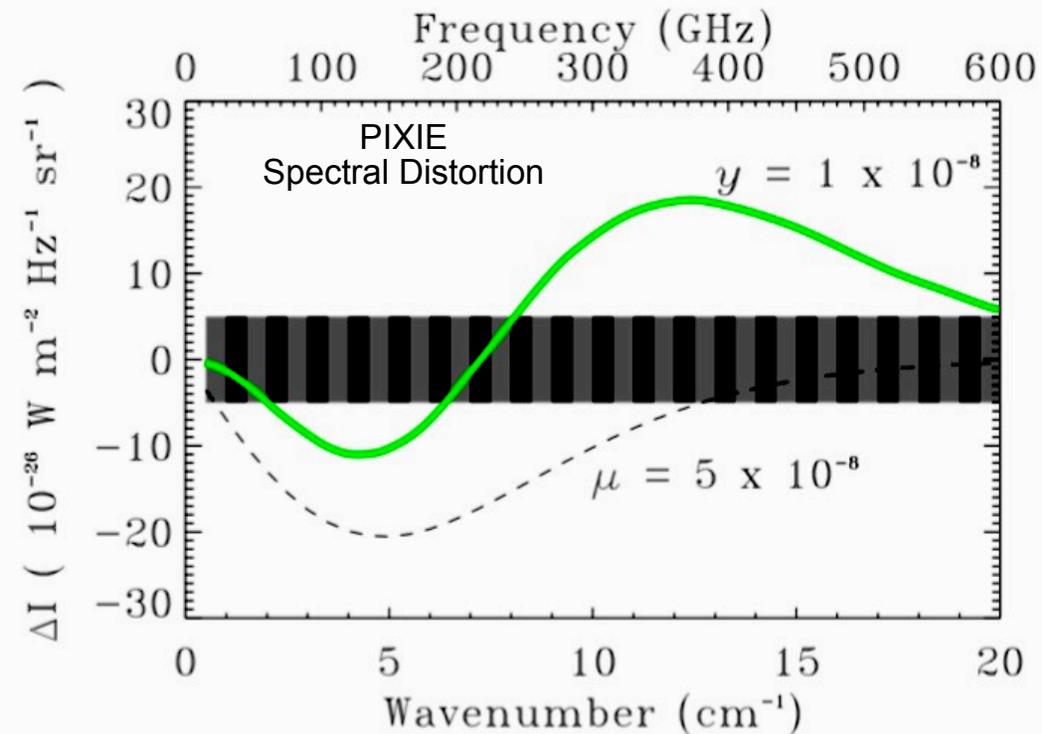
Polarization: Optical depth \sim Electron density n

Same scattering for both signals

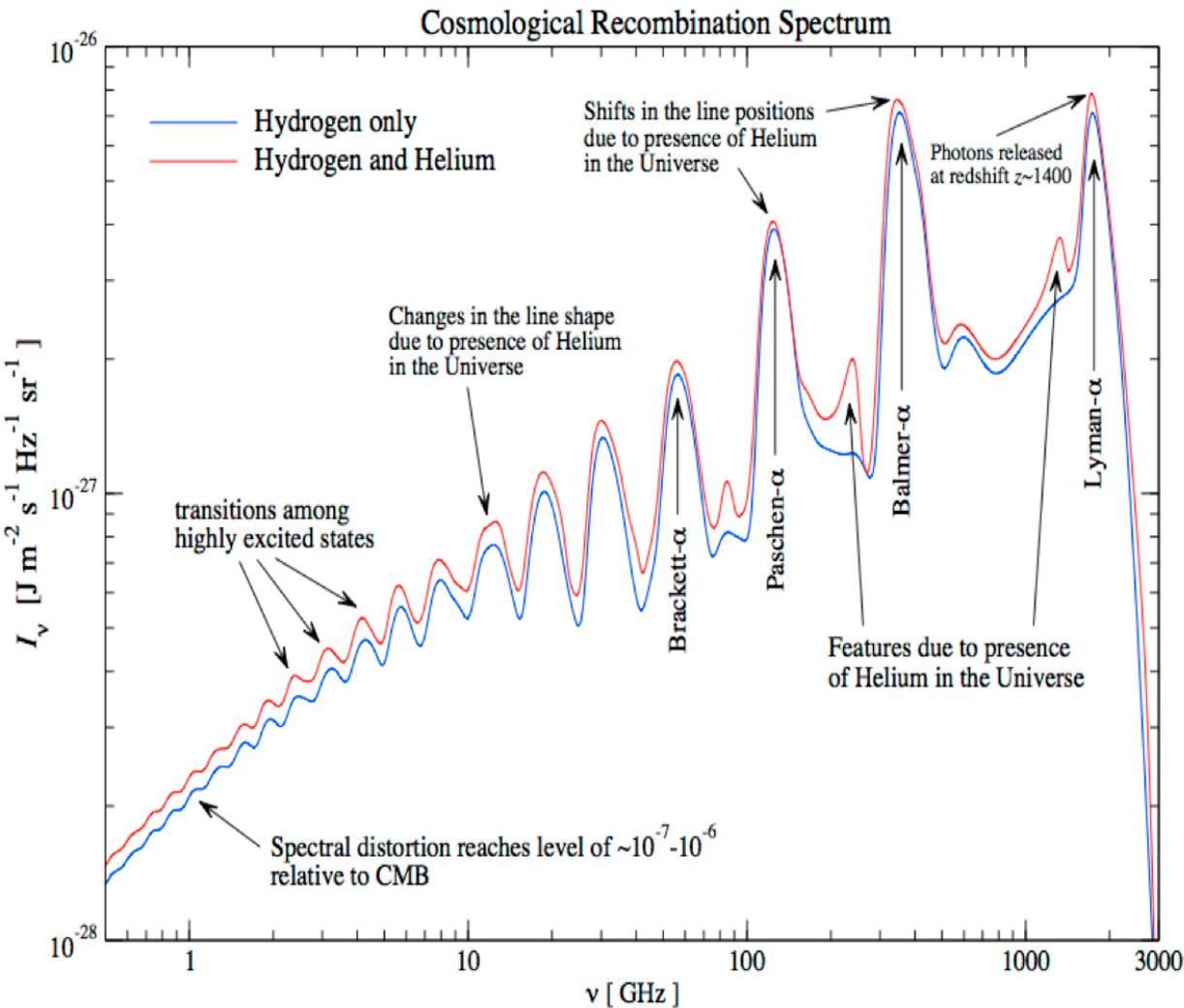
Combine to get n and T_e

- T_e probes ionizing spectrum
- Distinguish Pop III, Pop II, AGN

Determine nature of first luminous objects



Spectral Distortions: Recombination



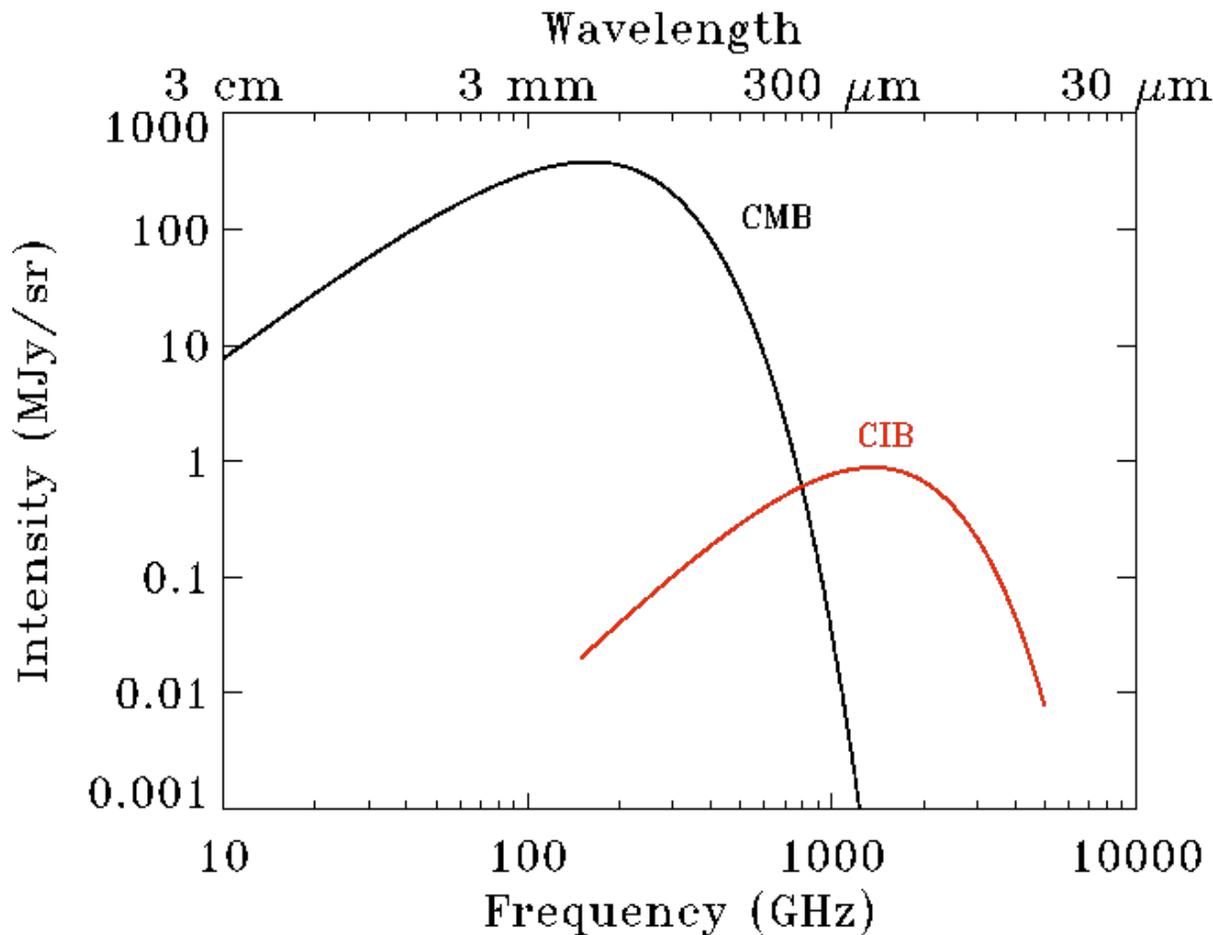
Line emission at recombination yields complex spectral features

- Physics at recombination
- Primordial He abundance

Baseline PIXIE mission: 2σ detection of modified spectrum



Cosmic Infrared Background

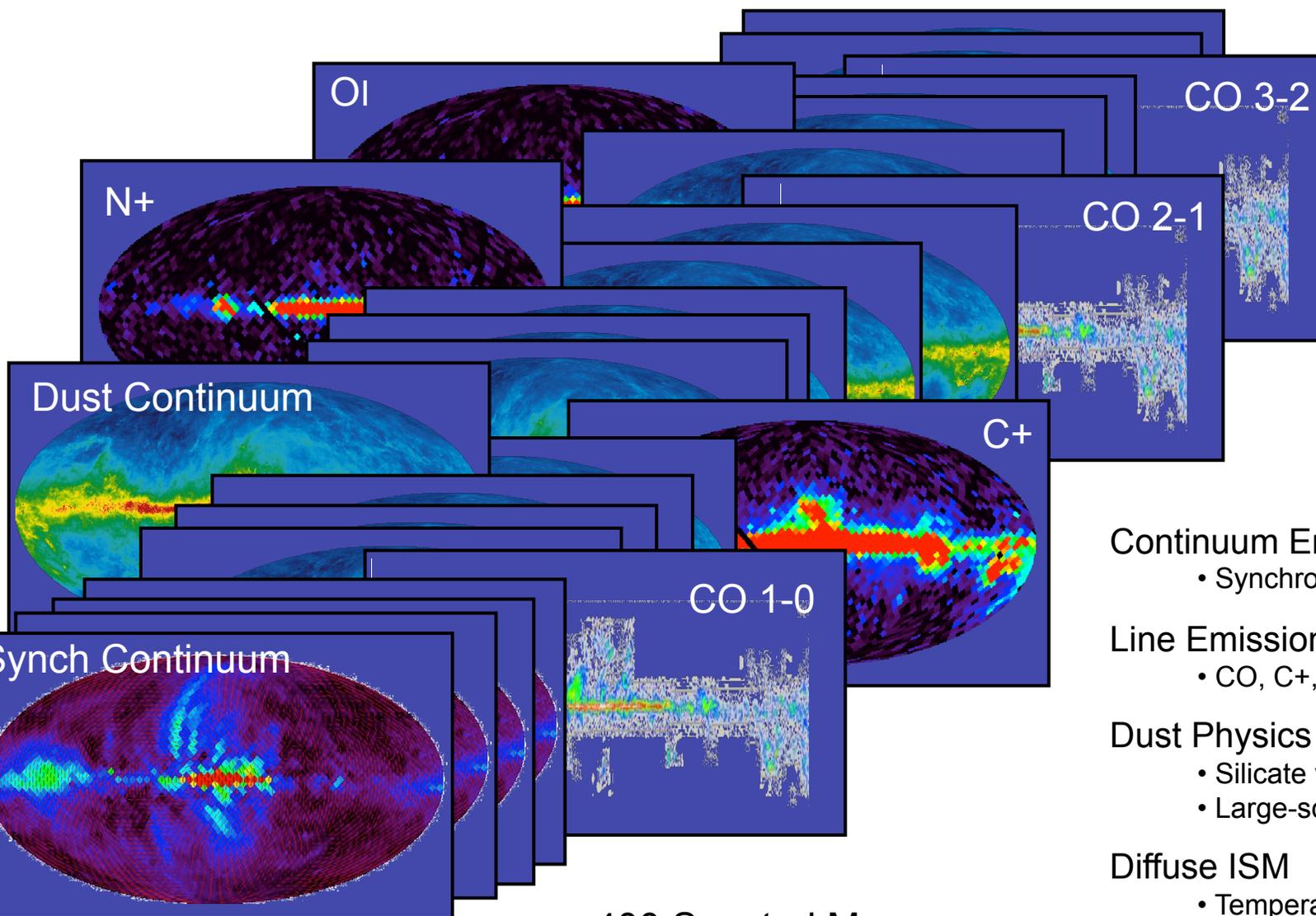


- Thermal Dust Emission from $z \sim 1-3$
- Monopole: Galaxy Evolution
 - Dipole: Bulk Motion
 - Anisotropy: Matter power spectrum

- Frequency coverage over CIB peak
- Complement Herschel, Planck

PIXIE noise is down here!

Spectral Line Emission



Continuum Emission
 • Synchrotron, Dust

Line Emission
 • CO, C+, N+, O, ...

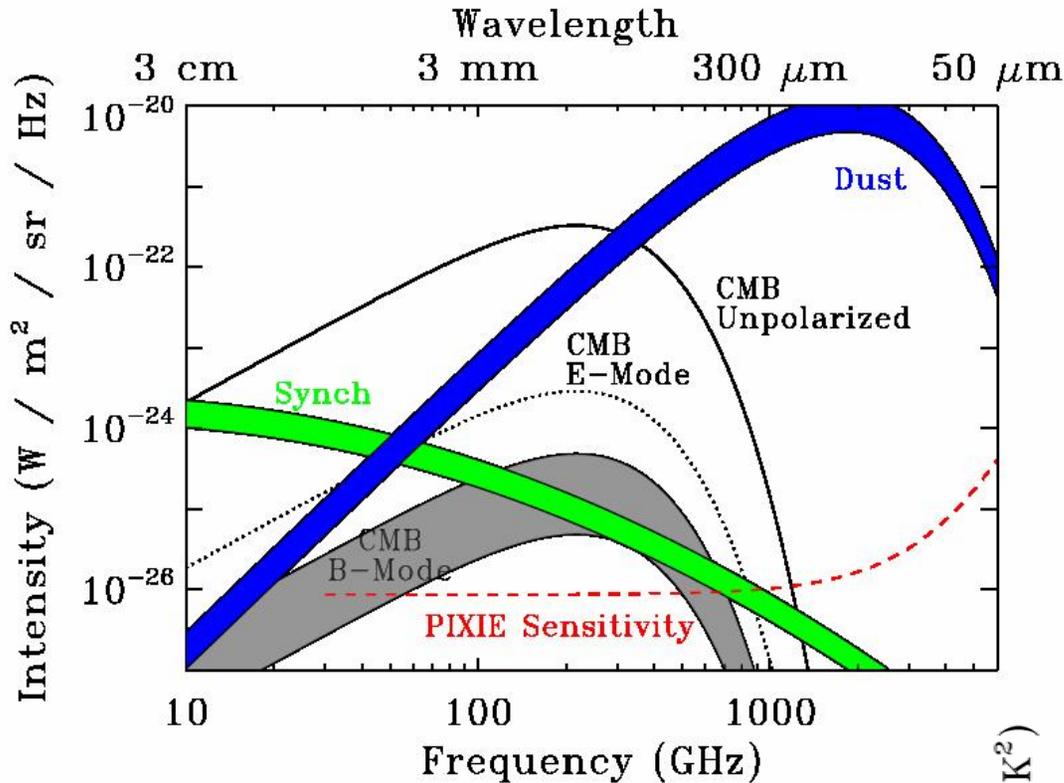
Dust Physics
 • Silicate vs carbonaceous dust
 • Large-scale magnetic field

Diffuse ISM
 • Temperature, Density
 • Energy Balance
 • Metallicity

400 Spectral Maps
 Stokes I, Q, U
 $\Delta\nu = 15$ GHz

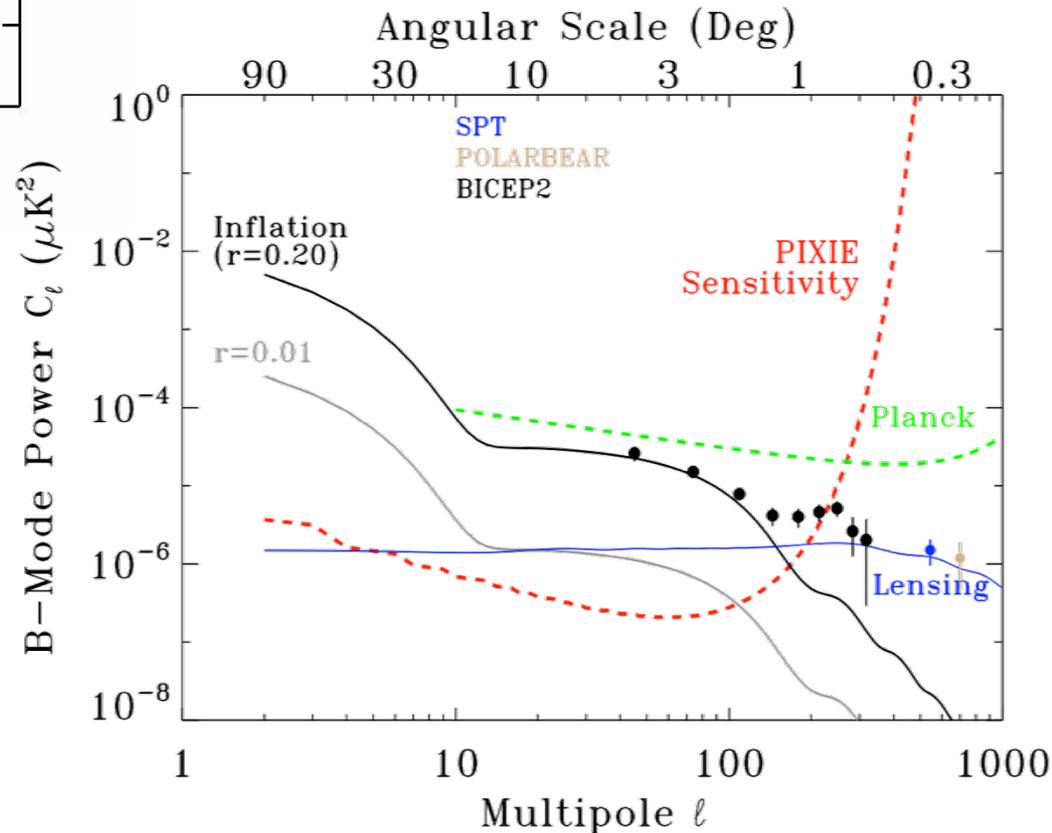
Extremely Rich Data Set!

Unique Science Capability



Full-Sky Spectro-Polarimetric Survey

- 400 frequency channels, 30 GHz to 6 THz
- Stokes I, Q, U parameters
- 49152 sky pixels each $0.9^\circ \times 0.9^\circ$
- Pixel sensitivity $6 \times 10^{-26} W m^{-2} sr^{-1} Hz^{-1}$
- CMB sensitivity 70 nk RMS per pixel



Multiple Science Goals

- Inflation/GUT Physics
- Dark Matter
- Reionization/First Stars
- ISM and Dust Cirrus

B-mode: $r < 2 \times 10^{-4}$ (2σ)

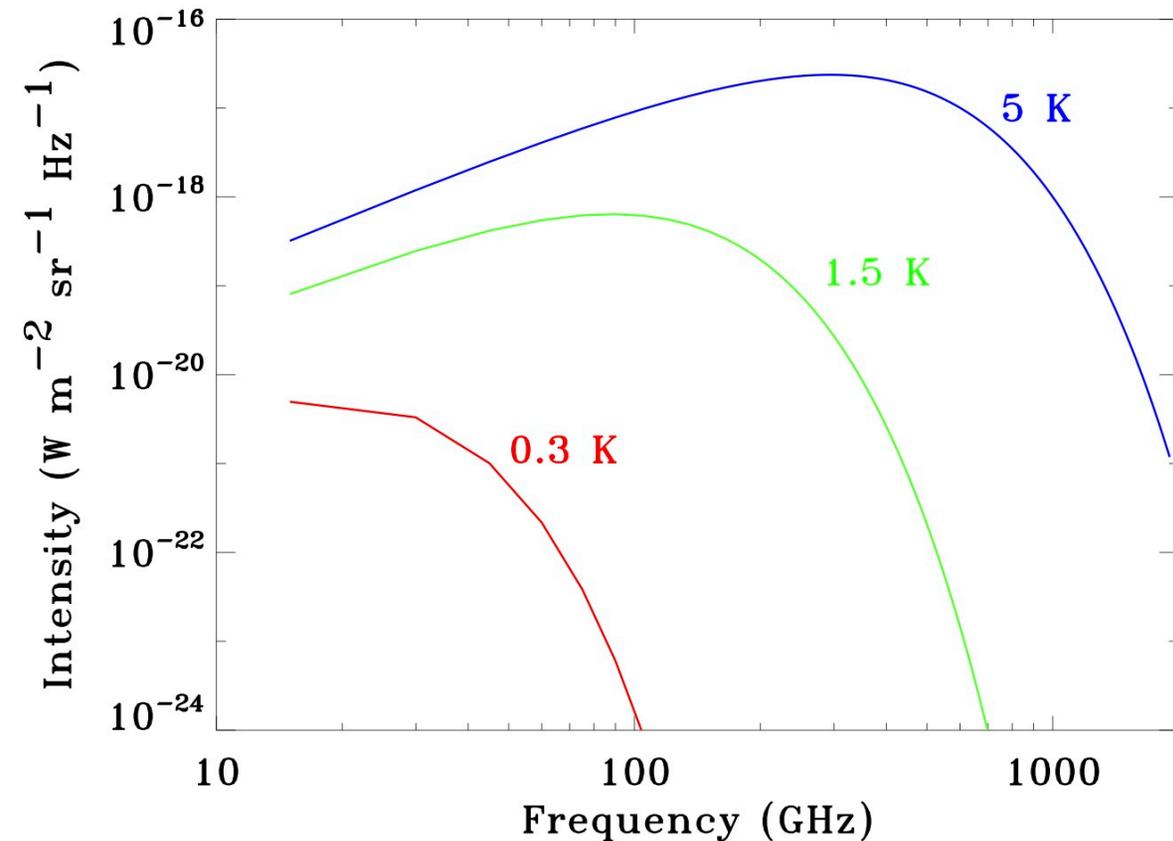
Distortion $|\mu| < 10^{-8}$, $|y| < 5 \times 10^{-9}$



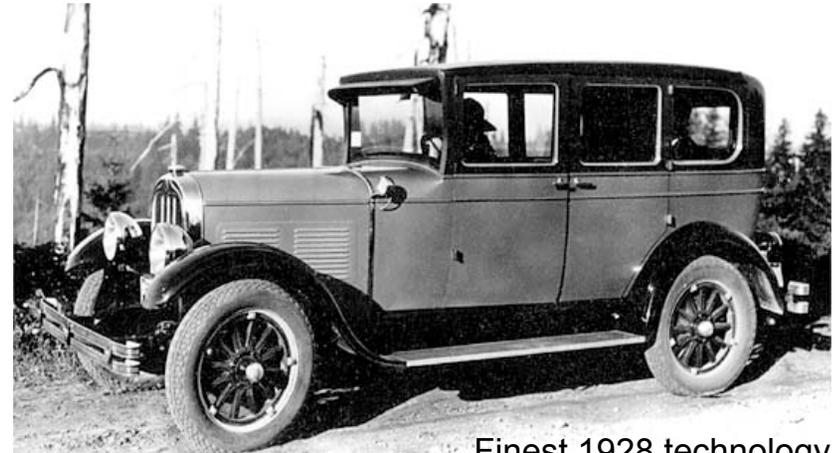
Planck Radiation Law



$$I(\nu, T) = \frac{2h\nu^3}{c^2} \frac{1}{\exp\left(\frac{h\nu}{kT}\right) - 1}$$



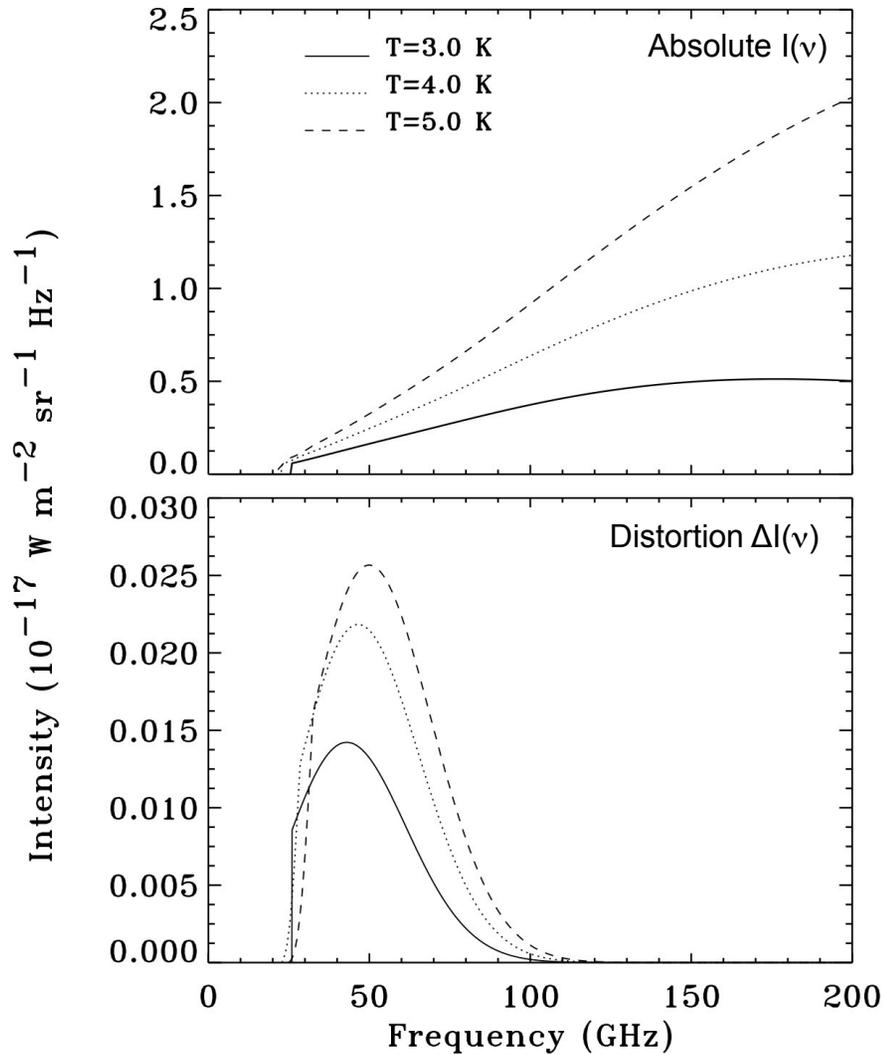
- Foundation of quantum physics
- Derived from few simple assumptions
 - Quantization of energy
 - No barrier to photon creation



Finest 1928 technology

**Direct measurements limited to few percent precision
Last serious efforts date to late 1920's**

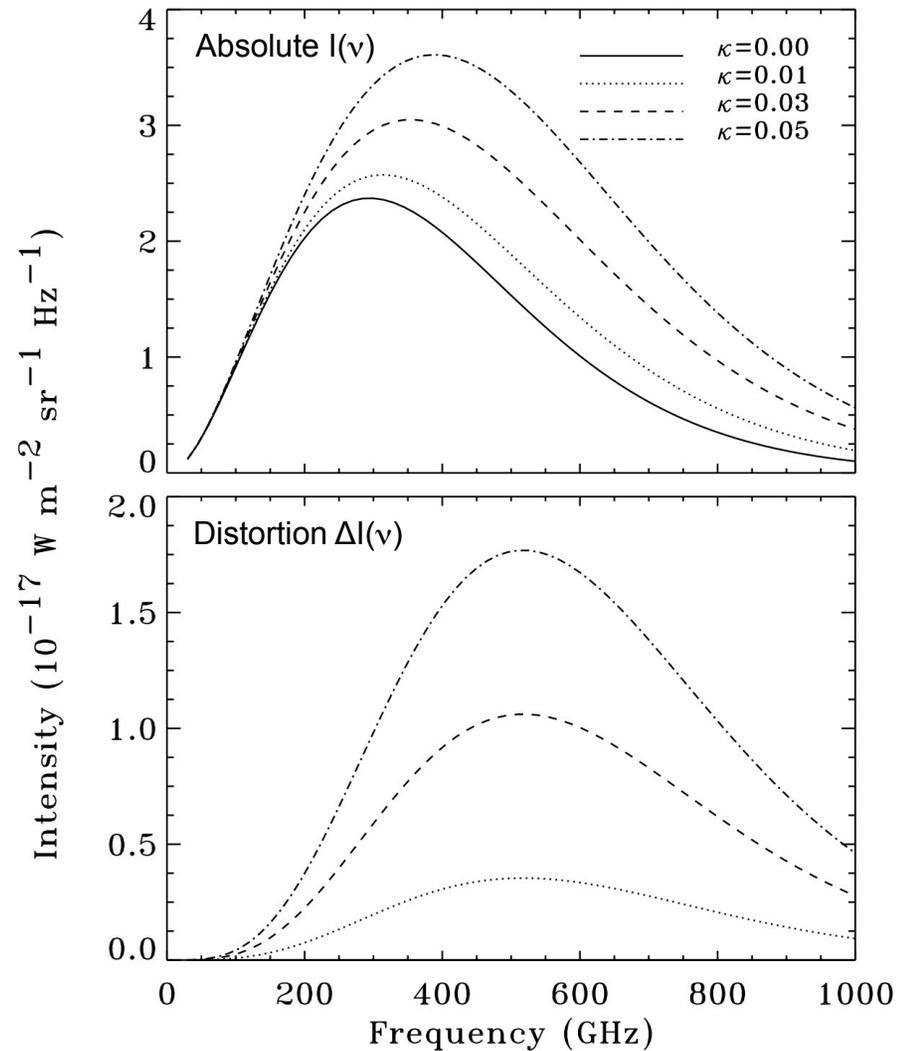
Sample Distortions from Planck Law



U(1) Spontaneous symmetry breaking

$$I(\nu, T) = B(\nu, T) (1 - G(T, \nu))$$

$$\text{Limit } G < 9 \times 10^{-6}$$

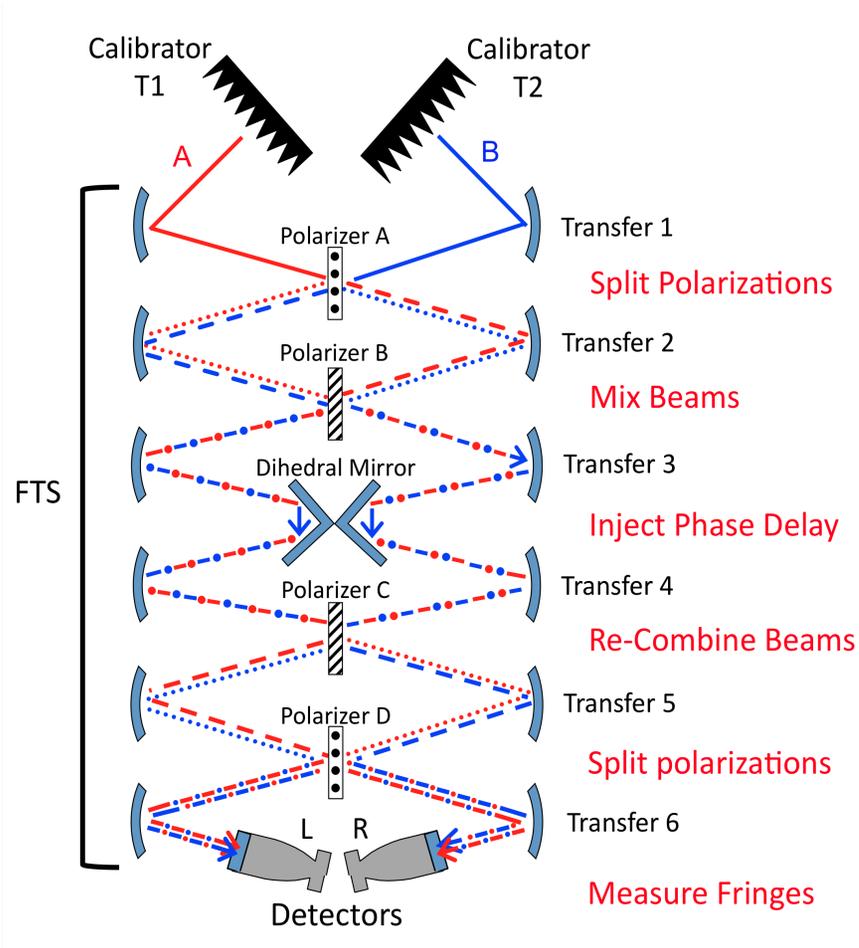


Single-loop quantum gravity

$$I(\nu, T) = B(\nu, T) (1 + \kappa(T)x^2)$$

$$\text{Limit } \kappa < 6 \times 10^{-9}$$

Precision Test of Planck Law



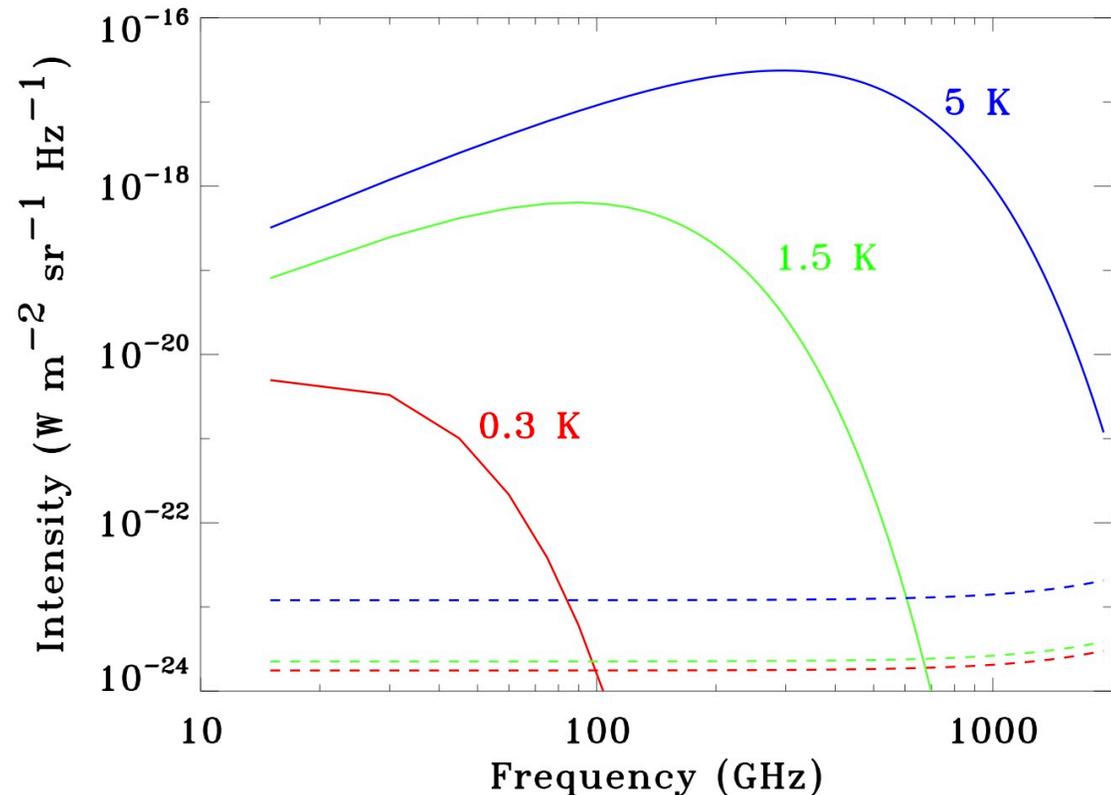
PIXIE FTS with two blackbody calibrators

S/N ratio $> 10^6$ per bin in 1 hour

Limiting factor is systematics

10^{-5} precision from lab measurement

10^{-7} precision with Galactic CO calibration



Interesting science at 10^{-6} level

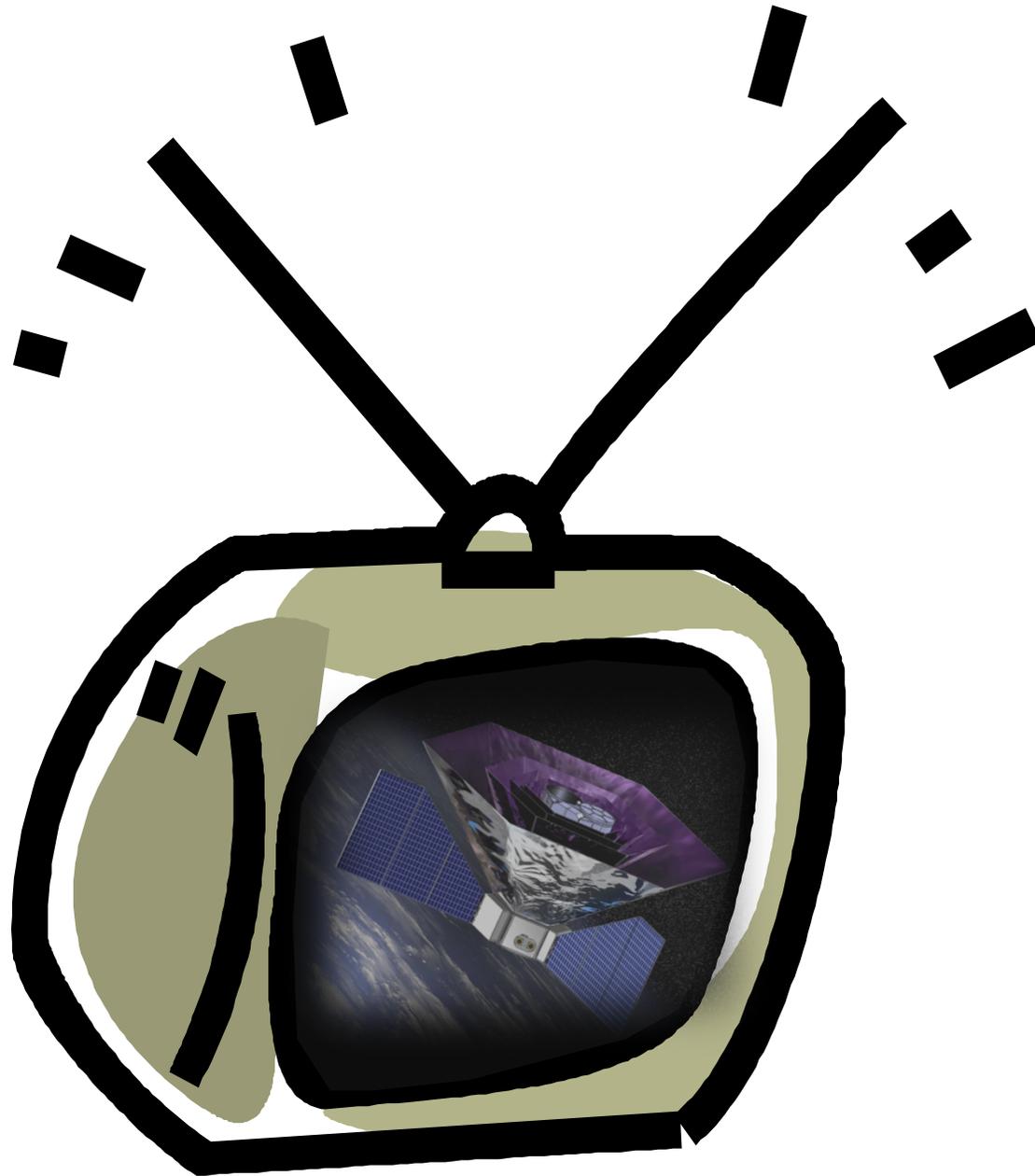
U(1) spontaneous symmetry breaking

CPT violation, quantum gravity

Photon mass / chemical potential

New measurement of Boltzmann constant

Now how much would you pay?



A Non-Cosmological Problem



Will a future Congress fund a \$1B Inflation Probe?
Low-cost alternative within existing NASA budget line

NASA Explorer Program



Small PI-led missions

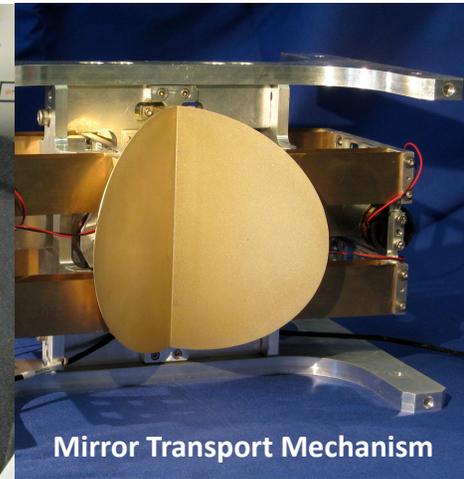
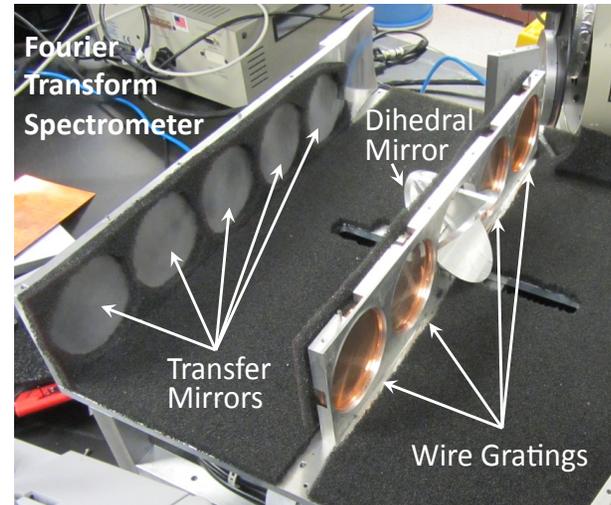
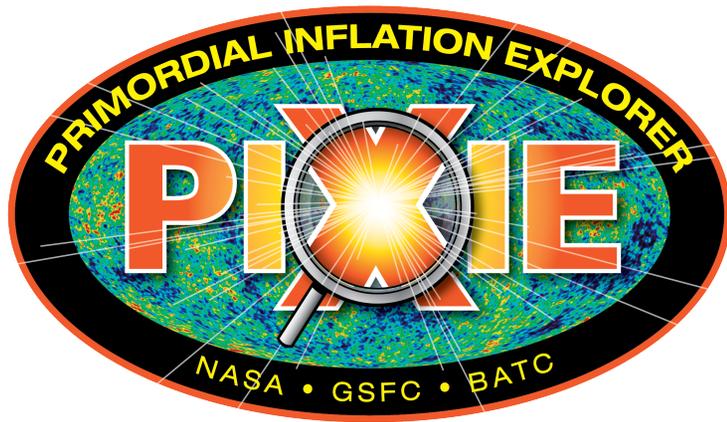
- 22 full missions proposed Feb 2011
- \$200M Cost Cap + launch vehicle

PIXIE not selected; urged to re-propose

- Category I Science rating
- Broad recognition of science appeal

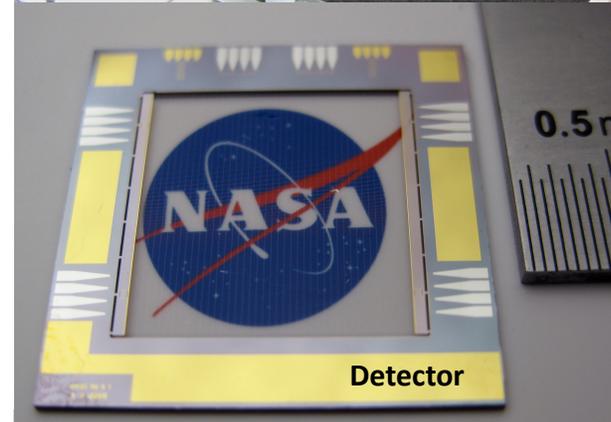
Re-propose to next MIDEX AO (2017)

- Technology is mature
- Launch early next decade

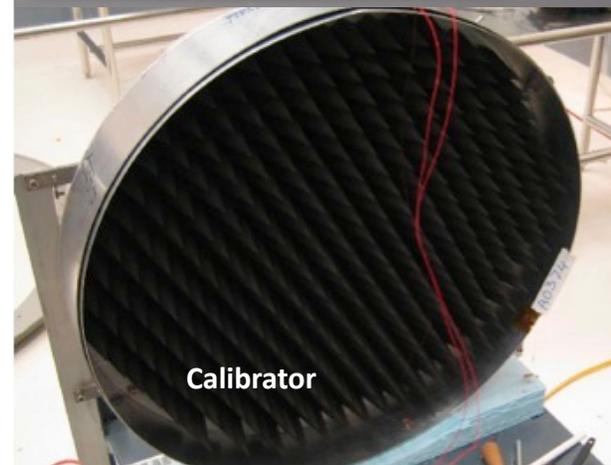


Mirror Transport Mechanism

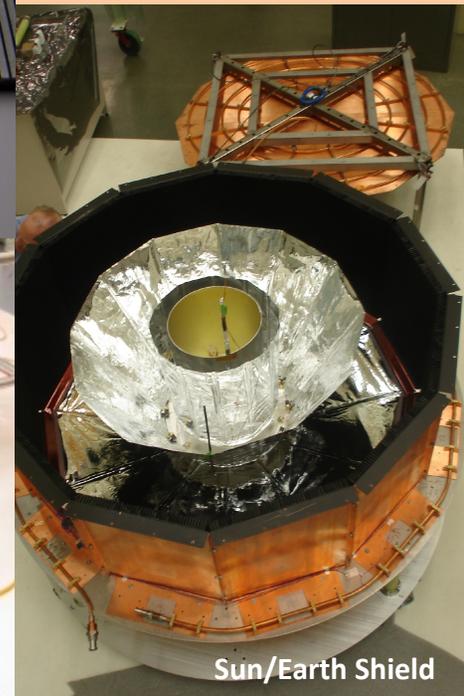
**Mature
technology**



Detector



Calibrator



Sun/Earth Shield

"PIXIE's spectral measurements alone justify the program"

-- NASA review panel